# A REEXAMINATION OF THE HAMMETT EQUATION

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## Received June 8, 1953

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## I. INTRODUCTION

The correlation between the structure of compounds and their chemical reactivity is one of the most intriguing objectives of modern chemistry. Although certain qualitative theories have long existed, only in recent years have successful quantitative theories been developed. In particular, the effects of substituents (R) on the reactivity of a side chain (Y) in compounds of type I have received considerable attention.



By the mid-1930's it had been repeatedly noted that the effects of substituents in many reaction series involving benzene derivatives could be correlated with the acid strengths of the corresponding benzoic acids (60, 91, 124, 176). These

observations led Hammett (125, 126) to propose a general quantitative relation between the nature of the substituent R and the reactivity of the side chain Y. This relation has become known as the Hammett equation, and is widely applied in the form

$$\log (k/k^0) = \sigma \rho \tag{1}$$

Here k and  $k^0$  are rate or equilibrium constants for reactions of the substituted and the unsubstituted compounds, respectively,  $\sigma$  is the substituent constant, which depends solely on the nature and position of the substituent R, and  $\rho$  is the reaction constant, which depends on the reaction, the conditions under which it takes place, and the nature of the side chain Y. The validity of equation 1 is restricted to substituents in the meta- and para-positions of the benzene ring. This equation was tested by Hammett (127f) on fifty-two reaction series, and found to express a large body of experimental data with a mean deviation of about  $\pm 15$  per cent.

Since the publication of Hammett's book, many additional reactions which permit the application of equation 1 have been investigated. One of the aims of this review is to gather together and thus render accessible all material pertinent to the Hammett equation. Some older work omitted by Hammett is also included. Further, Hammett has calculated reaction constants for only a single set of conditions in any one reaction series. To gain an understanding of the factors determining the reaction constants it was considered of interest to calculate and tabulate reaction constants for all sets of conditions for which data were available. Finally, additional or better measurements have been reported for many of the reaction series included by Hammett. For these reasons the original fifty-two reaction series are included in this review.

The accumulated information will be used as a basis for discussion of the factors determining reaction and substituent constants, and to evaluate new  $\sigma$ -values. Next, the precision of the Hammett equation will be examined in the light of the new information, and its range of application and usefulness will be considered. Finally, a number of extensions of the equation will be proposed and discussed.

## Notation

Certain special notations will be used throughout this review. Compounds to which the Hammett equation is applied will be written in the form shown in formula I or as ArY. Y will always stand for the reacting side chain, and R for the substituent affecting the reactivity of Y. Ar will be used to denote the group  $RC_6H_4$ , with R in the meta- or para-position.

#### II. THEORETICAL

The Hammett equation was proposed (125) as an empirical relation suggested by the parallelism of the effects of substituents on the rate or equilibrium constants in many different side-chain reactions of benzene derivatives. In spite of several attempts to provide a good theoretical foundation or derivation of the equation (e.g., 109, 241), it has remained fundamentally an empirical relation. The expression on the left-hand side of equation 1 is proportional to the difference in the free energies of reactions of substituted and unsubstituted compounds (if the k are equilibrium constants) or to the difference in energies of activation (if the k are rate constants). For this reason equation 1 is often referred to as a "linear free-energy relationship." It is not at all obvious that such a linear free-energy relation should hold. Hammett has discussed the relation between the structure of chemical compounds and free-energy changes of their reactions in general, and has suggested that the free-energy change can be considered as the sum of three terms: the entropy change, and changes in the kinetic and in the potential energies (127a,c). It follows that all three terms must be considered in any attempt to correlate structure with reactivity, but little is usually known about the first two. However, it has been demonstrated repeatedly that, in many side-chain reactions of benzene derivatives, the entropy term is not appreciably affected by substituents in the meta- or para-position (127d).

Hammett believes that the constancy of the entropy terms implies a similar constancy of the kinetic energy changes (127a,c), and hence that the free-energy differences are determined only by changes in the potential energy (127e). Therefore it has been assumed by some authors that constancy of entropy changes is a necessary condition for the validity of the Hammett equation. In many reaction series which obey equation 1, however, the entropy changes vary linearly with enthalpy changes, at constant temperature (e.g., 24, 77, 127b), and therefore can be incorporated into the latter (128).

In the light of this discussion it appears that the validity of the Hammett equation should be discussed in terms of the potential energy difference between the ground and transition states.¹ When the reaction site is insulated from the benzene ring, e.g., by one or more methylene groups, there will be no appreciable effect of substituents on the difference in resonance energy between ground and transition states. Substituents then affect the energy of activation primarily by the change they induce in the electron density at the reaction site. If the reaction site is not insulated from the benzene ring, however, the effect of substituents on the differences in resonance energy between ground and transition states must also be considered.²

A general discussion of the Hammett equation in terms of activation energies is rendered difficult by the paucity of information concerning the structures and energies of these states, and by the necessity of discussing almost every reaction series separately.

Fortunately, these difficulties can be avoided by the use of a rough approximation: the assumption that reactivity depends on the electron distribution in a molecule. Rates of nuclear substitution of benzene derivatives have been dis-

- ' For reaction series involving the comparison of equilibrium constants, the discussion should be in terms of initial and final states. Since transition-state theory considers rate processes as governed by an equilibrium between ground and excited states, the discussion for equilibrium processes is quite analogous to the one given here and need not be dealt with separately.
- <sup>2</sup> The author is indebted to Dr. J. F. Bunnett for help in clarifying the ideas presented in this paragraph and the related material in Section IV.

cussed in terms of the electron densities at the reaction site (252, 311). R. D. Brown has postulated a "chemical non-crossing rule," which suggests that the predictions of reactivities from electron densities will usually, although not necessarily, parallel predictions made from considerations of the structure, or calculations of the energy of the transition states (52). Since the "non-crossing rule" appears to hold widely for reactions of benzene derivatives, we shall assume its validity for the reactions discussed in this paper. This assumption will permit many inferences about reaction and substituent constants.

Hammett has discussed the factors determining  $\sigma$  and  $\rho$  (125). He suggested that reaction constants have the form:

$$\rho = (B_1/D + B_2)/RTd^2 \tag{2}$$

where R is the gas constant, T is the absolute temperature, D is the dielectric constant of the solvent, and d is the distance from the substituent to the reaction site.  $B_1$  was assumed to depend on purely electrostatic interaction between the reacting benzene derivative and the medium, and  $B_2$  was assumed to measure the susceptibility of the reaction to changes in the charge density at the reaction site. Little was said about  $\sigma$ , except that it must depend on the electrical effects of the substituent. On the basis of these assumptions Hammett concluded that the substituent effects must be almost exclusively electrostatic in nature. This view has been criticized by Schwarzenbach and Rudin (266), who demonstrated that resonance effects are not excluded by the arguments given.

Some attention has since been given to the interpretation of substituent constants. Westheimer (308) has calculated the effect of substituents on the acid strengths of various aromatic acids by the Kirkwood-Westheimer theory (177, 309), involving only direct electrostatic interaction between the substituent and the carboxy group. The results of these calculations correlate only roughly with substituent constants.

Price (241, 242) has postulated that the difference ( $\Delta \sigma = \sigma_{\text{para}} - \sigma_{\text{meta}}$ ) of the substituent constants in the meta- and para-positions should correspond to the polarizing force of the substituent, which is an expression of its electrostatic effect on the benzene ring. The correlation between  $\sigma$  and polarizing force is good for electron-releasing but poor for electron-attracting substituents.<sup>3</sup>

Recently the present author has shown, by calculations based on molecular orbital theory, that substituent constants can be correlated with changes in electron density induced by the substituents (150–152). These calculations considered both inductive and resonance effects, and the inclusion of both effects was essential to permit interpretation of substituent constants in terms of changes in electron density.

Reaction constants have also been given some theoretical attention. Gallup, Gilkerson, and Jones (109) have calculated reaction constants for four reaction series based on an electrostatic model; they have obtained fair agreement for

<sup>8</sup> Price made the correlations using substituent constants valid only for reactions of anilines and phenols. The agreement is not improved by using the substituent constants for other reactions (table 7).

two series on the basis of ion-dipole interactions, but poorer agreement for two other series involving dipole-dipole interactions. This author has performed some calculations of relative values of reaction constants by molecular orbital theory, again involving both inductive and resonance effects, and fair agreement has been obtained (153). This work is further discussed in Section III,B.

#### III. REACTION CONSTANTS

## A. Summary of existing data

Tables 1 to 3 list the reaction series which permit an application of the Hammett equation. Undoubtedly this list is not complete, since there seems to be no systematic means of searching the literature for such data. However, it is believed that the majority of pertinent information has been included, and it is hoped that no important reaction series have been omitted.<sup>4</sup>

The material included in the tables has been limited in several ways: (a) In calculation of reaction constants, only substituent constants listed in Hammett's tabulation (127f) were used, for reasons discussed in Section IV.B. Owing to doubt as to the accuracy of Hammett's value for the substituent constant for the p-dimethylamino group (see Section IV,D), compounds involving this group have been eliminated. (b) Only reaction series involving at least four substituents have been included, since reaction constants calculated from fewer data were considered too uncertain, and no reliable estimate of their precision could be obtained. (c) Substituent constants for certain groups of substituents do not appear to differ materially from each other (e.g., p-Cl, p-Br, and p-I; see Section IV,B). The author has not included reaction series involving less than two substituents aside from members of such a group. For a few reaction series which were omitted under the above restrictions, reaction constants were calculated on the basis of the substituent constants derived in Section IV.B and are indicated in *italics* in tables 1 to 3. These reaction series were not included in the compilation of the distribution of reaction constants and other parameters in later sections.

All reaction constants have been recomputed in this laboratory in order to make them strictly comparable. The standard deviation (s) from the best straight line and the correlation coefficient (r) have been calculated as measures of the precision with which the data fit the Hammett equation. Tables 1 to 3 also list the solvent<sup>5</sup> and temperature of the experiments, the number (n) of substituents involved in the calculation of reaction constants, and the literature references.<sup>6</sup> Finally,  $(\log k^0)_{\text{caled}}$ , i.e., the value of the log k calculated for  $\sigma = 0$ , is given as a measure of the absolute magnitude of the rate or equilibrium constants.

- <sup>4</sup> In order to have as complete a compilation as possible, the author would appreciate receiving information about any omissions.
- <sup>5</sup> Where mixed solvents are indicated by a certain per cent of one component, the other component is water; volume per cent is implied unless otherwise indicated.
- <sup>6</sup> Literature references in italics refer to data not utilized in the calculation of the reaction constant, but used with it in the computation of substituent constants in Section IV,B.

The information reported thus permits the estimation of the rate or equilibrium constants for any compound involving a substituent of known  $\sigma$ . In keeping with the procedure proposed by Hammett (127f),  $(-\log k^0)_{calcd}$  is given in terms of reciprocal seconds wherever the units of the original measurements could be ascertained, and the few exceptions are indicated by appropriate footnotes. However, none of the other quantities depend on the units.

The arrangement of the reaction series in tables 1 to 3 requires some comment. All equilibria are collected in table 1. Section A lists the acid dissociation constants (basic dissociation constants have been converted into the acid dissociation constants of the conjugate acids), subdivided into carboxylic acids (part I), other oxygen acids (part II), and all other acids (part III). Section B contains all other equilibria.

Reaction constants based on rate measurements are collected in table 2. The reaction series were classified according to the relation of the reacting functional groups to the aromatic ring carrying substituents. Thus, amides (ArCONH<sub>2</sub>) are considered as derivatives of acids, and anilides (ArNHCOCH<sub>3</sub>) as derivatives of anilines. Some rather arbitrary decisions were required. Thus, ArNO<sub>2</sub>, ArN=CXY, and ArN=NX were considered as derivatives of amines, but ArCH=NX as derivatives of aldehydes.

The details of the arrangement of table 2 are as follows:

- A. Side-chain reactions apparently of ionic type (heterolytic reactions)
  - I. Acids and their derivatives
    - a. Acids
    - b. Esters
    - c. Acyl halides
    - d. Other derivatives of acids: amides, anhydrides, etc.
  - II. Hydroxy compounds and derivatives
    - a. Phenols and derivatives
    - b. Alcohols and derivatives
  - III. Alkyl halides
  - IV. Amines and compounds considered derived from them
    - a. Amines
    - b. Amides
    - c. Miscellaneous derivatives of amines
    - d. Quaternary ammonium compounds
    - V. Aldehydes, ketones, and derivatives
      - a. Aldehydes and ketones
      - b. Imines and related compounds
      - c. Oximes, hydrazones, and related compounds
      - d. Miscellaneous derivatives of aldehydes and ketones
  - VI. Phosphines, silanes, arsonous acids, and diarylmercury compounds
- VII. Hydrocarbons
- B. Free-radical reactions
- C. Reactions involving nuclear substitution in the substituted ring

Several reaction constants included in table 2 and identified by footnotes are not based on true rate measurements, but on relative reactivities, reactivity ratios, and times required for a given per cent reaction. Provided the substituents do not affect the mechanisms of the reaction or the products, such data should be good relative measures of rate constants; hence their use for the evaluation of reaction constants seems reasonable.

Some attempts have recently been made to correlate various physical properties of benzene derivatives with substituent constants. "Reaction constants" for such correlations are collected in table 3. Section A contains the data, based on half-wave potentials, for several series of polarographic reductions. Although each such potential is a measure of some equilibrium constant, conversion to such constants involves large uncertainties and therefore was not attempted. In table 3A the reaction constants, the standard errors, and the values of  $(-\log k^0)_{\rm calcd}$  (in these cases  $-E^0_{1/2}$ ) are not dimensionless, but are given in volts. Table 3B lists the data for a few studies of infrared frequencies in extensive series of benzene derivatives. These data were made dimensionless by correlating  $(\nu - \nu^0)/\nu^0$  with substituent constants. In table 3C some other miscellaneous data are given, which are also made dimensionless by the same type of procedure used for the infrared frequencies.

The reaction series reported in table 3 do not constitute a careful literature survey for such data but are those series which have come to the attention of this author in the course of his collection of reaction series. Many more undoubtedly could be added, particularly if data from several laboratories were combined.

All reaction series are numbered consecutively through tables 1 to 3; the serial numbers will be used later in the text and in the tables to refer to these reactions. Only a single number is assigned to each reaction, and series determined under different conditions are indicated by small letters.

## B. Factors determining reaction constants

The reaction constant  $(\rho)$  measures the susceptibility of the reaction to the influence of the substituents. We shall discuss the factors affecting this succeptibility under three headings: (1) the transmission of electrical effects to the reaction site; (2) the susceptibility of the reaction to changes of electron density at the reaction site; and (3) the effect of reaction conditions.

## (1) Transmission of electrical effects to the reaction site

It has long been accepted that the validity of the Hammett equation depends on the fact that  $\sigma$  is an expression of the electrical effect of substituents (43c, 127f); hence,  $\rho$  must depend on the effectiveness with which the side chain can transmit the electrical effect of the substituent to the reaction site.

Hammett has attempted to treat this transmission term by including the factor  $1/d^2$  in equation 2 (125), thus relating the magnitude of the reaction constant with the distance from the substituent to the reaction site. This treatment gave satisfactory results in the comparison of reaction constants of the series

TABLE 1
Reaction constants for equilibrium reactions

REACTION NO.	ACID	SOLVENT	T	ρ	s <sup>(a)</sup>	<b>7</b> (b)	n <sup>(c)</sup>	$-\log k^{0(d)}$	REFERENCES <sup>(e)</sup>
		A(I). Acid	l dissociati	on constan	ts of carbo	oxylie acid	8		
la	ArCOOH	H <sub>2</sub> O	°C. 25	1.000	_	_		4.203	(13, 36a, 65, 87, 90, 93, 157, 167, 172, 179, 186, 240, 262, 267, 275)
1b		50% CH <sub>4</sub> OH CH <sub>1</sub> OH 40% C:H <sub>5</sub> OH 50% C:H <sub>5</sub> OH 50% C:H <sub>5</sub> OH 90% C:H <sub>5</sub> OH 90% C:H <sub>5</sub> OH 90% C:H <sub>5</sub> OH 95% C:H <sub>5</sub> OH C:H <sub>5</sub> OH C:H <sub>5</sub> OH C:H <sub>5</sub> OH C:H <sub>5</sub> OH C:H <sub>5</sub> OH	15 205 300 35 400 420 225 225 225 225 225 225 225 225 225 2	0.954 0.958 0.961 0.961 0.968 0.969 1.085 1.537 1.668 1.423 1.601 1.738 1.791 1.869 1.890 1.957 1.476	0.026 0.025 0.027 0.026 0.026 0.029 0.031 0.062 0.091 0.219 0.120 0.132 0.132 0.148 0.152 0.155 0.039	0.996 0.996 0.996 0.995 0.995 0.995 0.988 0.988 0.970 0.989 0.989 0.990 0.990 0.990 0.998 0.988	7 7 7 7 7 7 7 7 7 7 7 7 7 7 7 7 7 7 7	4.214 4.209 4.205 4.207 4.211 4.215 4.221 5.239 6.514 4.871 5.516 6.174 6.522 6.864 7.045 7.206 -0.029	(49) (49) (49) (49) (49) (49) (49) (49)
2	R СООН	H₂O	25	0.905	0.037	0.992	6	2.206	(267)
3a	$\overset{R}{\underbrace{\hspace{1cm}}_{CH_{s}}}$	H <sub>2</sub> O	25	1.430	0.064	0.955	4	3.875	(267)
3b		50% C <sub>2</sub> H <sub>6</sub> OH	25	1.673	0.106	0.990	11	5,772	(258)
4	$\stackrel{R}{\underbrace{\hspace{1cm}}_{OH}} \operatorname{COOH}^{(g)}$	H <sub>2</sub> O	25	1.103	0.089	0.978	6	3,997	(267)
5	RСООН	H <sub>2</sub> O	25	0.855	0.135	0.970	4	3,693	(267)

6	CH <sub>1</sub> R COOH	1							
U	CH <sub>4</sub>	20% dioxane	26	1.116	0.030	0.999	4	3.974	(112)
7	p-ArC <sub>6</sub> H <sub>4</sub> COOH	50% butyl Cello- solve	25	0.482	0.046	0.981	9	5.636	(26)
8 9 10	ArCH2CH2COOH	H <sub>2</sub> O H <sub>2</sub> O H <sub>2</sub> O	25 25 25	0.489 0.212 0.466	0.033 0.016 0.040	0.981 0.979 0.977	14 8 9	4.297 4.551 4.447	(92) (90) (88, 89, 90)
11	RC CCOOH(h)	H <sub>2</sub> O	24	1.396	0.079	0.988	6	2.819	(64)
12a 12b	ArCH=CHCOCOOH	H <sub>2</sub> O 50% CH <sub>3</sub> OH	25 25	-0.054 0.165	0.006 0.022	0.903 0.893	5 4	1.971 2.507	(271) (271)
		A(II). Acid	dissociatio	n constant	s of other o	oxygen aci	ds		
14a 14b 15a 15b	ArPO <sub>2</sub> OH-	25% C <sub>2</sub> H <sub>5</sub> OH H <sub>2</sub> O 50% C <sub>2</sub> H <sub>5</sub> OH H <sub>2</sub> O 50% C <sub>2</sub> H <sub>5</sub> OH	25 25 25 25 25 25	2.146 0.755 0.986 0.949 0.885	0.096 0.030 0.059 0.058 0.091	0.990 0.995 0.986 0.990 0.972	14 10 12 12 12 13	9.700 1.836 3.132 6.965 8.197	(28, 45, 70, 317) (157) (157) (157) (157) (157)
16	(X = CI  or  Br)	50% C₂II₅OH	25	0.995	0.031	0.998	4	2.942	(158)
17a	X = Cl  or  Br	H₂O	25	0.908	0.152	0.964	6	6.901	(158)
17b	$\begin{array}{l} ArAsO(OH)_2\\ ArAsO_2OH^-\\ ArSeOOH\\ \alpha\text{-ArCH}=\text{NOII}\\ ArNOOH^+\\ ArC(OH)CH_1^{(1)} \ \ (n)\\ ArC(OH)OC_2H_6^{(1)} \ \ (n)\\ ArOH \end{array}$	50% C <sub>2</sub> H <sub>6</sub> O H H <sub>2</sub> O H <sub>2</sub> O H <sub>2</sub> O H <sub>3</sub> O H <sub>4</sub> O C <sub>4</sub> H <sub>6</sub> C <sub>4</sub> H <sub>6</sub> H <sub>4</sub> O 30% C <sub>2</sub> H <sub>6</sub> O H 48.9% C <sub>2</sub> H <sub>6</sub> O H 95% C <sub>2</sub> H <sub>6</sub> O H 8% dioxane	25 18-25 22 25 25 25 81. 4 81. 4 25 20-22 20-22 38	1. 191 1.050 0. 874 0. 905 0. 857 3. 270 0. 968 0. 612 2. 113 3. 197 2. 545 2. 364 1. 819	0.033 0.117 0.102 0.125 0.047 0.195 0.055 0.038 0.119 0.148 0.157 0.203 0.157	0.998 0.975 0.965 0.906 0.994 0.970 0.991 0.996 0.994 0.954 0.989 0.989	5 9 11 16 6 8 9 5 17 9 14 14	8.249 3.540 8.491 4.740 10.695 11.02 0.081(n) 9.847 10.614 11.563 12.572 9.544	(158) (48, 237, 240) (240) (115, 201) (40, 41) (46) (154a, 238a) (154a, 238a) (169, 479, 209, 262) (19) (264, 265, 266) (264, 265, 266) (10)
24	ROH(i)	40% dioxane	25	3.512	0.189	0.991	8	11.012	(74)

TABLE 1-Concluded

REACTION NO.	ACID	SOLVENT	T	ρ	s <sup>(a)</sup>	<b>r</b> (b)	n <sup>(c)</sup>	$-\log k^{o(d)}$	REFERENCES <sup>(e)</sup>
		A(III). A	cid dissocia	tion const	ants of all	other acids			
			°C.			1			
25a	ArSH ArNH <sub>3</sub> +	48.9% C <sub>2</sub> H <sub>5</sub> OH 95% C <sub>2</sub> H <sub>5</sub> OH H <sub>2</sub> O	20-22 20-22 25	2.236 2.847 2.767	0.110 0.150 0.105	0.975 0.971 0.995	12 12 14	7.666 9.211 4.557	(264, 265, 266) (264, 265, 266) (36, 70, 103, 122, 123, 129, 179, 240, 255, 257)
26aA (f)(1) 26b A (f)(1) 26b A (f)(1) 26c	$\begin{array}{c} ArN(CH_3)_2H^+ \\ ArN = NC_6H_6N(CH_3)_2H^+ - p^{(j)} \\ ArCH_2NH_3^+ \\ ArNH^+ = NC_6H_6N(CH_3)_2H^+ - p^{(j)} (k) \\ ArC(-NH)NH^+ (C_4H_9)_2 \\ ArNH_2^+ - C = N^{(1)} \\ N \\ \end{array}$	CH <sub>2</sub> OH 30% C <sub>2</sub> H <sub>4</sub> O H C <sub>2</sub> H <sub>3</sub> O H 20% dioxane 45% dioxane 70% dioxane 82% dioxane CH <sub>2</sub> COOH 30% C <sub>2</sub> H <sub>3</sub> O H 50% C <sub>2</sub> H <sub>3</sub> O H 50% C <sub>2</sub> H <sub>3</sub> O H H <sub>2</sub> O 99% H <sub>2</sub> SO <sub>4</sub> No conditio	25 25 25 25 25 25 25 20 20 225 225 225 2	3. 016 3. 435 3. 535 3. 558 3. 557 3. 430 2. 009 3. 426 4. 191 0. 529 0. 723 3. 652 1. 412 0. 857	0.343 0.076 0.302 0.038 0.063 0.048 0.077 0.277 0.273 0.202 0.052 0.044 0.493 0.105 0.083	0.973 0.989 0.985 1.000 0.999 0.999 0.999 0.962 0.976 0.977 0.942 0.948 0.966 0.986	9 9 4 4 4 4 9 5 10 7 5 7 6	-0. 195 4. 320 -0. 149 4. 397 3. 950 3. 547 3. 425 2. 507 3. 285 2. 065 2. 197 9. 315 -3. 974 11. 139 2. 153	(171a) (19) (171a) (19) (159) (159) (159) (159) (122) (81, 82) (81, 82) (260) (63) (260) (63) (260) (196) (135)
			В. (	Other equil	libria				
2	ArNH, + HCOOH ==	67% C&H&N	100	-1.429	0.055	0.997	11	-0.630	(84)
32A	HCONHAr + H <sub>2</sub> O $2\Lambda r N H_2 + Ag' \Rightarrow Ag(ArNH_2)_2^+(1)$ $\Lambda r C HO + IICN \Rightarrow Ar C HOHCN$ $2\Lambda r C ONH_2 \Rightarrow (ArCONH_2)_2$ $\Lambda r H_2^2 \Lambda r C C \Rightarrow (Ar H_2)_2$ $\Lambda r H_2^2 \Lambda r C C \Rightarrow (Ar H_2)_2$ $\Lambda r H_2^2 \Lambda r C C \Rightarrow (Ar H_2)_2$ $\Lambda r H_2^2 \Lambda r C C \Rightarrow (Ar H_2)_2$ $\Lambda r H_2^2 \Lambda r C C \Rightarrow (Ar H_2)_2$ $\Lambda r H_2^2 \Lambda r C C C C C C C C C C C C C C C C C C$	59 wt% C <sub>2</sub> H <sub>5</sub> OH 95% C <sub>2</sub> H <sub>5</sub> OH C <sub>6</sub> H <sub>6</sub> SO <sub>2</sub> CCl <sub>5</sub> CCl <sub>6</sub> C <sub>6</sub> H <sub>6</sub> CH <sub>8</sub>	25 20 30 0 25 25 -18	-1.452 -1.492 2.053 -3.974 0.782 2.121 -1.302	0.334 0.211 0.113 0.291 0.061 0.149 0.074	0.900 0.832 0.970 0.955 0.979 0.982 0.985	9 16 4 6 4 14 5	-3.18 2.138 2.356 4.128 1.344 3.473 3.189	(108b) (12, 14, 16) (143) (193, 194) (200) (198, 199) (113, 263)
39 39 <b>A</b>	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	H <sub>2</sub> O (CH <sub>2</sub> OH) <sub>2</sub>	25 197	1.630 0.978	0.120 0.080	0.966 0.99 <b>0</b>	7 10	3.913 0.050	(1) (135)

- (a) The standard deviation of experimental measurements from the regression line. (b) The correlation coefficient. (c) The number of compounds involved in the calculation of  $\rho$ . (d) The intercept of the regression line with the ordinate  $(\sigma=0)$ .

- (e) Datafrom references in *stalics* were not used in the calculation of reaction constants, but were used only in the derivation of new substituent constants (see Section 1V,B).

  - (i) The calculation is based on relative values of K.

    (g) The reaction constant is for the ionization of the carboxy group.

    (h)  $\sigma_{\text{para}}$  was used.

    (i) The average value  $(\sigma_p + \sigma_m)/2$  was used for  $\sigma$ ; cf. references 74 and 149.

    (ii) The assignment of the reaction constants in reactions 27 and 29 is the reverse
- of that made by the authors (260). The reasons for this reversal of assignments hav been discussed in reference 153.
- (k) The reaction constant is given for the ionization at the azo nitrogen atom; cf.
- (1) These reactions were added after the work was essentially completed and were not included in the various tabulations and calculations of later sections of this paper. (m) The Hammett equation was applied to these reactions in the form of equation
- 10 (see Section VII,D). "o was correlated with  $\log [k/(k_{\rm blank} k)]$ . This quantity is equivalent to the  $\log$  of the dissociation constant (cf. 154a). The k's are rates of self-etherification of benz-

hydrol in the presence of the bases.

REACTION	REACTION	SOLVENT	T	ρ	s(a)	<b>,</b> (b)	<b>7</b> (c)	$-\log k^{0(d)}$	references <sup>(e)</sup>
NO.	12773	John Division of the Control of the	<u> </u>			į , , , , , , , , , , , , , , , , , , ,	<u> </u>	106 %	ABTERENCIS
T 15 Mark 11 10 Mark 12 10 Mark 1				a. Acids					
40a	ArCOOH + CH₃OH + H <sup>+</sup> → ArCOOCH₃	СН₃ОН	°C. 25	-0.229	0.141	0.457	16	3.841	(130, 131)
40b 40c 40d 41a	ArCOOCH2 ArCOOC6H11 ArCOOC6H11	Cyclohexanol	40 50 60 55	-0.216 -0.209 -0.213 0.555	0.138 0.150 0.148 0.089	0.444 0.404 0.427 0.874	16 16 15 14	3.352 3.029 2.738 4.826	(130, 131) (130, 131) (130, 131) (132)
41b	$ArCOOH + HN_1 \rightarrow ArNH_2$ $ArCOOH + (C_6H_6)_2CN_2 \rightarrow$ $ArCOOCH(C_6H_6)_2$	CCl <sub>2</sub> =Cl1Cl C <sub>2</sub> H <sub>5</sub> OH	65 75 85 40 30	0.518 0.498 0.479 -1.415 0.940	0.091 0.109 0.089 0.150 0.063	0.855 0.798 0.842 0.940 0.992	14 14 14 10 7	4.432 4.100 3.772 5.289 1.751	(132) (132) (132) (494) (253, 254, 255, 257)
44a	$\begin{array}{c} ArCOOCH(C_6H_6)_2\\ ArCOOH + (p-CH_3C_6H_4)_2CN_2 \rightarrow\\ ArCOOCH(C_6H_4CH_2-p)_2 \end{array}$	C6H5CH3	25	2.669	0.023	1.000	4	2.997	(216)
44b	AICOOCH (Canacha-p):	CH <sub>3</sub> COOC <sub>2</sub> H <sub>5</sub>	25	1.765	0.079	0.989	5	3.452	(216)
45	$\begin{array}{c} \text{R} \\ \\ \text{CH}_3 \end{array} + (\text{C}_6\text{H}_5)_2\text{CN}_2 \rightarrow \\ \end{array}$	C₂H₅OH	30	0.946	0.057	0.994	11	1.812	(258)
	$\begin{array}{c} R \\ \hline COOCH(C_6H_6)_3 \\ \hline CII_3 \end{array}$								
				b. Esters					
46a 46b 46c 46d 46e 46Aa	$\begin{array}{c} \text{ArCOOCH}_4 + \text{OH}^- \rightarrow \text{ArCOO}^- \\ \\ \text{ArCOOCH}_4 + \text{C}_6\text{H}_5\text{NH}_2 \rightarrow \\ \text{ArCONHC}_6\text{H}_4^{(0)} \end{array}$	60% (CH <sub>1</sub> ) <sub>2</sub> CO C <sub>6</sub> H <sub>4</sub> NO <sub>2</sub>	0 15 25 40 50 80	2.460 2.299 2.229 2.128 1.920 0.518	0.097 0.122 0.106 0.103 0.075 0.085	0.995 0.991 0.995 0.994 0.996 0.906	9 10 11 11 6 9	3.083 2.449 2.075 1.560 1.247 2.453	-(285, 286, 290, 291, 292) (296a)
46Ab( <sup>n</sup> ) . 46Ac( <sup>n</sup> ) . 46Ad( <sup>n</sup> ) . 46Ae( <sup>n</sup> ) . 47a 47b	$ArCOOC_2H_4 + OH^- \rightarrow ArCOO^-$	75% CH <sub>2</sub> OH	100 115 125 145 25 40	0.362 0.336 0.298 0.235 2.193 2.130	0.124 0.102 0.099 0.099 0.053 0.048	0.719 0.834 0.732 0.512 0.998 0.998	11 7 11 7 7	2.431 2.346 2.235 2.086 3.239 2.606	(296a) (295a) (295a) (295a) (293) (293)
47c 47d 47e 47f		85% C <sub>2</sub> H <sub>5</sub> OH	50 25 35	2.116 2.537 2.464	0.054 0.061 0.075	0.998 0.998 0.997	7 12 6	2.227 3.217 2.748	(293) (98, 147) (98, 147)
47g		87.83% C2H4OH	50 30	2.322 2.431	0.067 0.099	0.996 0.992	10 18	2.210 3.051	(98, 147) (136, 173, 174, 175, 176, 197, \$10)

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REACTION NO.	REACTION	SOLVENT	T	ρ	<sub>5</sub> (a)	<b>,</b> (b)	n <sup>(c)</sup>	-log <b>k</b> 0(d)	references <sup>(e)</sup>
47h 47i 47j 47k 47l 47m (j)		60% (CH <sub>4</sub> ) <sub>2</sub> CO  70% dioxane 95%, butyl Cello-	°C. 0 15 25 40 25 \$\$z\$5	2.443 2.353 2.265 2.181 1.828 2.849	0. 157 0. 158 0. 141 0. 131 0. 229 0. 267	0.978 0.976 0.984 0.985 0.869 0.984	18 21 25 25 4 9	3.535 2.932 2.557 2.046 2.519 3.459	(178, 244, 245, 246, 285, 289, 290, 292, 294) (247) (244)
48a 48b 49a 49b 49c 49d 50a	$ArCOOC_2H_5 + H^+ \rightarrow ArCOOH$ $ArCOOC_4H_7 + OH^- \rightarrow ArCOO^-$ $ArCOO(4\text{-mentbyl}) + OH^- \rightarrow$	solve 60% C <sub>2</sub> H <sub>5</sub> OH 60% (CH <sub>4</sub> ) <sub>2</sub> CO 60% (CH <sub>3</sub> ) <sub>2</sub> CO	100 100 18 25 40 50	0.144 0.106 2.073 2.146 2.075 1.992 2.628	0.050 0.075 0.196 0.103 0.115 0.110 0.082	0.789 0.535 0.978 0.994 0.992 0.992 0.996	7 7 5 5 5 11	4.111 4.086 2.902 2.692 2.183 1.871 4.257	(284) (284) (286, 290, 291, 293) (280)
50b 50c	ArCOO-		40 50	2.552 2.476	0.080 0.079	0.996 0.996	11 11	3.859 3.473	(280) (280)
51	$\begin{array}{c} R \\ CH_{3} \\ CH_{3} \\ \end{array}$ $\begin{array}{c} CH_{3} \\ CGO^{-} \\ CH_{3} \\ \end{array}$	60% dioxane	125	1.176	0.237	0.949	5		(112)
52a	p-ArC <sub>6</sub> H <sub>4</sub> COOC <sub>2</sub> H <sub>5</sub> + OH <sup>-</sup> → p-ArC <sub>6</sub> H <sub>4</sub> COO <sup>-</sup>	88% C2H4OH	25	0.608	0.012	0.999	7	3.267	(23, 26a)
52b 53	ArCH <sub>2</sub> COOC <sub>2</sub> H <sub>4</sub> + OH <sup>-</sup> →	87.83% C₂H₅OH	40 30	0.583 0.824	0.009 0.105	0.999 0.974	8 6	2.636 1.813	(23, 26a) (174)
54	ArCH <sub>2</sub> COO <sup></sup> ArCH <sub>2</sub> CH <sub>2</sub> COOC <sub>2</sub> H <sub>5</sub> + OH <sup></sup> → ArCH <sub>2</sub> CH <sub>2</sub> COO <sup></sup>	87.83% C₂H₅OH	30	0.489	0.038	0.960		2.198	(174, 175)
55		87.83% C₂H₅OH	30	1.329	0.046	0.996	15	2.752	(174, 176)
56	ArCH=CHCOCOOCH <sub>4</sub> + H <sup>+</sup> → ArCH=CHCOCOOH	50% dioxane	25	0.049	0.014	0.669	4	5.783	(271)
<b>57</b> –60	$\begin{array}{c c} R & CO \\ \hline O + OH^- \rightarrow & COO^- \\ \hline COHXY \end{array}$								
60Aa 60Ab( <sup>n</sup> ) 60Ac( <sup>n</sup> )	57: $X = Y = H^{(f)}$ 58: $X = CH_{i}, Y = H^{(f)}$ 59: $X = C_2H_{i}, Y = H^{(f)}$ 60: $X = Y = CH_{i}^{(f)}$ $ArSO_{2}OCH_{i} + H_{2}O \rightarrow ArSO_{i}^{-(n)}$ $ArSO_{2}OCH_{i} + C_{2}H_{i}OH \rightarrow ArSO_{i}^{-(n)}$	H <sub>2</sub> O H <sub>2</sub> O H <sub>2</sub> O H <sub>2</sub> O 50% C <sub>2</sub> H <sub>5</sub> O H 80% C <sub>2</sub> H <sub>5</sub> O H 50 wt% dioxane C <sub>2</sub> H <sub>5</sub> O H	25 25 25 25 50 50 50 70	1.481 1.270 1.455 1.129 1.248 1.338 1.222 1.324	0.181 0.148 0.202 0.050 0.031 0.057 0.108 0.060	0.945 0.979 0.970 0.997 0.999 0.997 0.985 0.996	7 4 4 4 4 4 6	4.315 4.233 4.487 4.691 4.159 4.447 4.394 4.134	(281) (281) (281) (281) (281) (258a) (258a) (258a)

61	$\begin{cases} ArSO_2OC_2H_5 + H_2O \to ArSO_4^-\\ ArSO_2OC_2H_5 + C_2H_5OH \to ArSO_3^-(n) \\ ArSO_2OC_2H_5 + C_2H_5O^- \to ArSO_3^-\\ ArSO_2OCH(CH_3)_2 + H_2O \to ArSO_3^-(n) \\ ArSO_2OCH(CH_3)_2 + CH_3OH \to ArSO_3^-(n) \\ ArSO_2OCH(CH_3)_2 + CH_3OH \to ArSO_3^-(n) \\ ArSO_2OCH(CH_3)_2 + C_2H_5OH \to ArSO_3^-(n) \end{cases}$	30% C2H6OH C2H6OH C2H6OH 50% C2H6OH CH2OH	25 70 35 45 25 50	1.168 1.305 1.372 1.467 1.565 1.366	0.053 0.083 0.023 0.014 0.044 0.065	0.997 0.992 0.999 0.999 0.998 0.995	4 6 5 4 5 4 5	5.254 4.519 2.881 2.392 4.563 4.382 3.979	(86) (258a) (207) (207) (258a) (258a) (258a)
			c.	Acyl halid	les		·	<u> </u>	
63b 64 65a 65b	$ArCOCl + H_2O \rightarrow ArCOOH$ $ArCOCl + CH_2OH \rightarrow ArCOOCH_2$ $ArCOCl + C_2H_3OH \rightarrow ArCOOC_2H_3$	50% (CH <sub>3</sub> ) <sub>2</sub> CO 95% (CH <sub>3</sub> ) <sub>2</sub> CO CH <sub>3</sub> OH C <sub>2</sub> H <sub>4</sub> OH 60% C <sub>2</sub> H <sub>4</sub> OH, 40% (C <sub>2</sub> H <sub>4</sub> ) <sub>2</sub> O	0 25 0 0 0	0.797 1.782 1.469 1.542 1.922	0.383 0.109 0.097 0.145 0.070	0.654 0.992 0.982 0.960 0.994	9 5 10 13 8	3.269 4.200 3.362 4.074 3.997 2.969	(22) (53) (217) (214, 217) (44)
66 67a	ArCOCl + (CH <sub>3</sub> ) <sub>2</sub> CHOH → ArCOOCH(CH <sub>3</sub> ) <sub>2</sub> ArCOCl + C <sub>6</sub> H <sub>5</sub> NH <sub>2</sub> → ArCONHC <sub>6</sub> H <sub>6</sub>	(CH <sub>2</sub> ) <sub>2</sub> CHOH C <sub>6</sub> H <sub>6</sub>	25 25	1.280	0.061 0.051	0.991 0.997	6 4	4.271 2.980	(215) (314)
67b 68a 68b 68c 68d 69	$ArSO_2Cl + H_2O \rightarrow ArSO_2OH$ $ArSO_2Cl + C_6H_6 + AlCl_2 \rightarrow ArSO_2C_6H_8$	H <sub>2</sub> O 42.53% (CH <sub>3</sub> ) <sub>2</sub> CO C <sub>6</sub> H <sub>6</sub>	40 15 25 15 25 30	1.114 -0.300 -0.281 0.843 0.811 -1.802	0.048 0.158 0.149 0.134 0.127 0.119	0.996 0.748 0.746 0.966 0.969 0.981	4 4 4 4 6	2.723 2.945 2.491 3.827 3.509 4.314	(314) (134) (134) (134) (134) (134) (221)
		d. Other de	erivatives	of acids: ar	nides, anh	ydrides, et	c.		
70a 70b 70c 70d	$A_1CONH_2 + OH^- \rightarrow A_1COO^{-(g)}$	H <sub>2</sub> O 60% C <sub>2</sub> H <sub>5</sub> OH	100 52.8 64.5 80.3	1.068 1.364 1.273 1.146	0.054 0.020 0.060 0.075	0.992 1.000 0.996 0.992	13 4 4 4	1.791 5.190 4.661 4.136	(249) (205) (205) (205)
70e 71a 71b 71c 71d	$ArCONH_2 + H^+ \rightarrow ArCOOH^{(g)}$	H <sub>2</sub> O 60% C <sub>2</sub> H <sub>6</sub> OH	100.1 100 52.4 65 79.5 99.6	1.100 0.119 -0.483 -0.310 -0.298 -0.222	0.035 0.058 0.020 0.039 0.095 0.084	0.998 0.597 0.998 0.985 0.847 0.883	4 12 4 4 4	3.523 3.513 5.606 5.072 4.428 3.806	(205) (248, 249) (205) (205) (205) (205) (205)
72 73	ArCOOCH <sub>3</sub>	80% (CH <sub>2</sub> ) <sub>2</sub> CO, 20% CH <sub>2</sub> OH H <sub>2</sub> O	30	0.264 -2.593	0.074	0.802 0.981	8 5	3.981 4.587	(297) (251)
74		H <sub>2</sub> O	30	0.867	0.003	1.000	4	4.634	(251)
75 76a 76b <sup>(h)</sup>	$ArCO + H_2S + OH^- \rightarrow ArC(SH) = NH$ $(ArCO)_2O + H_2O \rightarrow ArCOOH^{(li)}$	C <sub>2</sub> H <sub>5</sub> OH 75% dioxane	60.6 58.25 79.65	2.147 1.568 1.246	0.078 0.094 0.088	0.991 0.995 0.969	7 9 7	3.698 5.113 4.470	(173) (24) (24)

TABLE 2—Continued

A. Heterolytic reactions. II. Hydroxy compounds and derivatives

REACTION NO.	REACTION	SOLVENT	T	ρ	<sup>2</sup> (#)	<sub>p</sub> (b)	n <sup>(c)</sup>	-log ke(d)	references (e)
			a. Phen	ols and de	rivatives			<u>'</u>	
1			°C.						
76A 76B	$\begin{array}{c} ArOH + C_6H_5COCl \rightarrow ArOCOC_6H_5^{(n)} \\ ArOH + Cll_3COBr \rightarrow ArOCOCH_2^{(1)(n)} \end{array}$	None CH <sub>3</sub> COOC <sub>2</sub> H <sub>6</sub>	20 0	0.564 -1.446	0.214 0.214	0.525 0.953	6 11	3.738 3.939	(27a) (18a,b)
77	ArO <sup>-</sup> + CH <sub>2</sub> CH <sub>2</sub> O → ArOCH <sub>2</sub> CH <sub>2</sub> OH	98% C <sub>2</sub> H <sub>5</sub> OH	70.4	0.947	0.063	0.992	9	4.254	(37)
78	ArO <sup>-</sup> + CH <sub>3</sub> CHCH <sub>2</sub> O → ArOCH(CII <sub>3</sub> )CH <sub>2</sub> OII	98% C <sub>2</sub> H <sub>4</sub> OH	70.4	-0.771	0.068	0.987	9	4.698	(37)
79 80 81	$ArO^- + C_2H_5I \rightarrow ArOC_2H_5$ $ArO^- + CH_3OSO_5^- \rightarrow ArOCH_3$	C <sub>2</sub> H <sub>6</sub> OH H <sub>2</sub> O No condi	42.5 100 tions	-0.994 -0.813 -1.680	0.024 0.067 0.436	0.996 0.980 0.646	5 15 4	3.955 4.121 0.013	(114) (117) (218)
82a 82b 82c 82d	ArOCOC <sub>6</sub> H <sub>6</sub> + OH <sup>-</sup> → ArOH	60% (CH <sub>2</sub> ) <sub>2</sub> CO	-20 -10 0 15	1.051 1.034 0.976 0.930	0.268 0.248 0.246 0.234	0.950 0.955 0.951 0.951	6 6 6	1.801 1.408 1.015 0.490	(292) (292) (292) (292)
83 84a 84b 84c.	ArOPO (OC <sub>2</sub> H <sub>6</sub> ) <sub>2</sub> + H <sub>2</sub> O $\rightarrow$ ArOH ArOCOCH <sub>4</sub> + H* $\rightarrow$ ArOH	$H_2O$ , $pH = 7.6$ 60% (CH <sub>4</sub> ) <sub>2</sub> CO	37 25 40 60	1.903 -0.198 -0.203 -0.232	0.351 0.011 0.024 0.017	0.966 0.992 0.963 0.986	4 5 5 5	8.379 4.744 3.588 3.244	(2) (292) (292) (292) (292)
84d 85a	$ArOSO_2OH + H^+ \rightarrow ArOH$	H <sub>2</sub> O	80 48.7	-0.277 0.596	0.025 0.050	0.977 0.987	5 14	2.588 3.937	(292) (61, 62)
5b 6	$\begin{array}{c} ArOC_6H_1(NO_2)_2\text{-}2,4 + CH_2OK \rightarrow \\ ArOCII_3 \end{array}$	CH3OH	78.7 20	0.466 1.450	0.057 0.006	0.969 0.999	11 6	2.519 2.319	(61, 62) (219)
86Aa	NO <sub>2</sub> OCH <sub>3</sub> +p-(CH <sub>3</sub> ) <sub>2</sub> NC <sub>6</sub> H <sub>4</sub> OCH <sub>3</sub> → NO <sub>2</sub>	(CH <sub>3</sub> ) <sub>2</sub> CO	35	2.220	0.150	0.996	4	6.519	(141)
	$\begin{bmatrix} \text{NO}_2 \\ \text{O} \\ \text{NO}_2 \end{bmatrix}^- [p\text{-}(\text{CH}_3)_3 \text{NC}_6 \text{H}_4 \text{OCH}_3]^+$								
86Ab 87	ArOPO(OC <sub>2</sub> H <sub>5</sub> ) <sub>2</sub> + erythrocyte cholinesterase	$H_2O$ , $pH = 7.6$	45 37	2.203 4.058	0.108 0.178	0.998 0.998	5 4	6.104 1.727	(141) (2)
			b. Alec	hols and d	erivatives				
88 89a	ArOCH <sub>2</sub> OH + HBr → ArOCH <sub>2</sub> CH <sub>2</sub> Br ArCHOHCH=CHCH <sub>2</sub> → ArCH=CHCHOHCH <sub>4</sub>	C <sub>6</sub> H <sub>5</sub> O H 40% dioxane	97 0	-0.636 -6.086	0.017 0.580	0.992 0.909	4 7	4.889 4.053	(21) (47)
89b 89c	Alon -onononon		30 40	-4.672 -4.435	0.348 0.355	0.941 0.932	7 7	2.743 2.323	(47) (47)

89d 80e 89f 89g 89h 89i	60% dioxane	50 60 0 30 40 50	-4.379 -4.351 -5.995 -4.765 -4.845 -4.710	0.341 0.275 0.574 0.362 0.338 0.317	0.936 0.957 0.908 0.939 0.948 0.952	7 7 7 7 7	1.944 1.515 4.775 3.313 2.845 2.397	(47) (47) (47) (47) (47) (47) (47)
89j 90a ArCH2OCOCH2 + OH <sup>-</sup> → ArCH2OH	60% (CH <sub>2</sub> ) <sub>2</sub> CO	60 0	-4.515 0.818	0.304 0.075	0.951 0.967	7 12	1.983 2.019	(47) (287, 292)
90b 90c 91d 91b 91c 91c 91d 91e	60% (CH <sub>4</sub> ) <sub>2</sub> CO	15 25 40 15 25 40 60 80	0.762 0.743 0.725 -0.021 -0.054 -0.053 -0.046 -0.065	0.077 0.071 0.069 0.015 0.017 0.035 0.031	0.961 0.965 0.965 0.612 0.856 0.622 0.615	12 12 12 4 5 5	1.491 1.181 0.875 4.889 4.377 3.938 3.265 2.667	(287, 292) (287, 292) (287, 292) (292) (292) (292) (292) (292) (292)
92 ArCH <sub>2</sub> OSO <sub>2</sub> C <sub>6</sub> H <sub>4</sub> CH <sub>3</sub> - $p$ + H <sub>2</sub> O $\rightarrow$	55.6% CH <sub>2</sub> OH	25.25	-2.2(i)	0.021	0.182		2.007	(181)
92A $ArCH_3EC(=S)O \text{ cholesteryl} \rightarrow ArCH_2SH^{(n)}$	None	176	0.467	0.076	0.958	4	3.38	(217a)
	A. Heter	olytic re	actions.	III. Alk	yl halide	es		

REACTION NO.	REACTION	SOLVENT	T	ρ	<sub>5</sub> (a)	r <sup>(b)</sup>	n <sup>(c)</sup>	$-\log k^{0(d)}$	references <sup>(e)</sup>
			°C.						1
93a	$ArCH_2Cl + OH^-(0.0506 N) \rightarrow ArCH_2OH$	H <sub>2</sub> O	30	0.333	0.186	0.540	6	5.484	(228)
93b	(0.104 N)		30	-0.239	0.170	0.450	6	5.239	(228)
93c 94a 94b	$ArCH_2Cl + H_2O \rightarrow ArCH_2OH$	47.7% C2H6OH	30 30 83	$ \begin{array}{r r} -0.139 \\ -2.178 \\ -1.937 \end{array} $	0.139 0.216 0.214	0.337 0.948 0.937	6 12 12	4.971 5.608 3.399	(228) }(222, 223, 224, 225)
94c		50% (CH <sub>2</sub> ) <sub>2</sub> CO	30.4	-1.816 -1.688	0.214	0.929	12	6.312	(226, 227)
94d 94e			60 69.8	-1.840	0.217 0.197	0.921 0.935	13 12	4.987 4.495	(226, 227) (20)
94f	$ArCH_2Cl + I^- \rightarrow ArCH_2I$	(CH <sub>2</sub> ) <sub>2</sub> CO	84.5 0.1	-1.435 0.809	0.106 0.118	0.958 0.863	11 11	4.120 4.383	(20) (20)
95b	ArCH2Cl + (CH2)2N →	C <sub>6</sub> H <sub>6</sub>	20 100	0.786 0.372	0.116 0.229	0.860 0.699	11 6	3.389 3.001	(20) (273)
97	$ArCH_2CI + (CH_2)_2N \rightarrow$ $ArCH_2N(CH_2)_2^+ + CI^-$ $ArCH_2F + OH^- \rightarrow ArCH_2OH$	95% C2H5OH	76	0.452	0.097	0.733	12	4.548	(206)
98a	ArCH <sub>2</sub> Br + C <sub>5</sub> H <sub>5</sub> N → ArCH <sub>2</sub> NC <sub>5</sub> H <sub>5</sub> Br <sup></sup>	(CH <sub>3</sub> ) <sub>2</sub> CO	20	-0.261	0.057	0.819	16	3.831	(10, 17, 18)
98b		CIT OT	40	-0.258	0.073	0.742	16	3.251	(10, 17, 18)
99	Ar¹Ar²CHCl + CH₃OH → Ar¹Ar²CHOCH₄(k)	CH3OH	25	-4.072	0.527	0.932	5	2.792	(3)
100	$Ar(C_6H_5)CHC1 + C_2H_5OH \rightarrow Ar(C_6H_5)CHOC_2H_5$	C <sub>2</sub> H <sub>5</sub> OH	25	-5.090	0.330	0.957	10	2.062	(102, 145, 212, 213, 303)
101		(CII <sub>2</sub> ) <sub>2</sub> CHOII	25	-2.755	0.570	0.651	6	4.621	(3)
102a		60% (C <sub>2</sub> H <sub>5</sub> ) <sub>2</sub> O, 40% C <sub>2</sub> H <sub>5</sub> OH	0	-2.923	0.256	0.960	8	2.608	(102, 145, 212, 213, 303)

TABLE 2—Continue	ed.
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REACTION NO.	REACTION	SOLVENT	T	ρ	<sub>S</sub> (a)	<b>y</b> (b)	n <sup>(c)</sup>	$-\log k^{o(d)}$	references (e)
102b 103 104	ArCH <sub>2</sub> CH <sub>2</sub> Cl + I <sup>-</sup> $\rightarrow$ ArCH <sub>2</sub> CH <sub>2</sub> I ArCOCH <sub>2</sub> Br + C <sub>5</sub> H <sub>5</sub> N $\rightarrow$ ArCOCH <sub>2</sub> NC <sub>5</sub> H <sub>6</sub> +Br <sup>-</sup> CH <sub>5</sub>	(CH <sub>4</sub> ) <sub>2</sub> CO (CH <sub>4</sub> ) <sub>2</sub> CO	°C. 25 75 20	-2.656 0.590 0.558	0.282 0.118 0.104	0.946 0.870 0.894	7 7 7	1.720 3.528 3.071	(211) (8) (11)
105а	$ArCOCH_2Br + S = CH_3 \rightarrow CH_3$	C <sub>6</sub> H <sub>6</sub>	14.8	0.868	0.080	0.970	10	3.006	(230)
	ArCOCH <sub>2</sub> S CH <sub>3</sub> CH <sub>3</sub>								
105b 106	ArSCH2CH2Cl + H2O →	50% (CH <sub>2</sub> ) <sub>2</sub> CO	25.4 55	0.953 -1.671	0.088 0.062	0.969 0.996	10 6	2.766 0.618	(230) (8)
07а	ArSCH <sub>2</sub> CH <sub>2</sub> OH ArSCH <sub>2</sub> CH <sub>2</sub> CI + I <sup>-</sup> → ArSCH <sub>2</sub> CH <sub>2</sub> I	(CH <sub>2</sub> ) <sub>2</sub> CO	55	0.626	0.097	0.918	6	4.570	(8)
07Ь 08	ArSO <sub>2</sub> CH <sub>2</sub> CH <sub>2</sub> Cl + I <sup>-</sup> → ArSO <sub>2</sub> CH <sub>3</sub> CH <sub>2</sub> Cl	(CH <sub>3</sub> ) <sub>2</sub> CO	75 75	0.673 0.642	0.099 0.056	0.873 0.969	6 5	3.876 3.039	(8) (9)
09a	$\begin{array}{c} Ar_{1}Ar_{2}CHCCl_{1} + N_{1}Ar_{2}CHCCl_{2} + N_{2}Ar_{1}Ar_{2}C-CCl_{2}^{(k)} \end{array}$	92.5% C₂H₅OH	20.1	2.659	0.284	0.969	8	2.938	(76, 77)
109b <sup>(k)</sup> 109c <sup>(h)</sup> 110a	Ar <sub>2</sub> CHCHCl <sub>2</sub> + NaOII → Ar <sub>3</sub> C=CHCl(h)	92.5% C₂H₅OH	30.4 40.2 20.1	2.604 2.459 2.456	0.270 0.212 0.192	0.970 0.966 0.972	8 6 6	2.441 1.984 3.432	(76, 77) (76, 77) (76, 77)
110b <sup>(h)</sup>	Ar <sub>2</sub> C=CHCR <sup>m</sup>		30.4 40.2	2.359 2.336	0.184 0.189	0.972 0.970	6 6	2.904 2.391	(76, 77) (76, 77)

# A. Heterolytic reactions. IV. Amines and compounds considered derived from them

REACTION NO.	REACTION	SOLVENT	T	ρ	S(B)	<b>r</b> (b)	n <sup>(c)</sup>	-log k0(d)	references(e)
				a. Amines	·				
111	$\begin{array}{c} A_{\Gamma}NH_{2} + HCOOH \rightarrow A_{\Gamma}NHCHO \\ A_{\Gamma}NH_{2} + C_{6}H_{6}COCI \rightarrow A_{\Gamma}NHCOC_{6}H_{6} \\ \\ A_{\Gamma}NH_{2} + FC_{6}H_{2}(NO_{2})_{2}\cdot 2\cdot 4 \rightarrow \\ A_{\Gamma}NHC_{6}H_{3}(NO_{2})_{2}\cdot 2\cdot 4 \\ \\ A_{\Gamma}NH_{2} + CIC_{6}H_{2}(NO_{2})_{2}\cdot 2\cdot 4 \rightarrow \\ A_{\Gamma}NHC_{6}H_{3}(NO_{2})_{2}\cdot 2\cdot 4 \rightarrow \\ \\ A_{\Gamma}N$	67% C <sub>5</sub> H <sub>5</sub> N C <sub>6</sub> H <sub>6</sub> 99.8% C <sub>2</sub> H <sub>5</sub> OH C <sub>2</sub> H <sub>5</sub> OH	°C. 100 25 40 20 30 40 25	-1.224 -2.781 -2.491 -4.243 -4.106 -4.006 -3.976	0.029 0.221 0.154 0.057 0.052 0.051 0.140	0.988 0.986 0.997 0.998 0.998 0.998 0.967	9 9 4 6 6 5	4.123 2.888 2.614 2.280 2.109 1.949 3.952	(85) (272, 314) (314) (67) (67) (67) (67) (296)

114b 114c			35 45	-3.204 -3.055	0.098 0.080	0.992 0.993	10 10	3.930 3.670	(269) (269)
114d	O₂N		100	-2.415	0.209	0.979	10	2.324	(296)
115	$ArNH_2 + Cl$ $NO_2 \rightarrow$	C <sub>2</sub> H <sub>5</sub> OII	25	-3.728	0.127	0.987	6	1.644	(296)
	$\hookrightarrow$								
	O <sub>2</sub> N								
	ArNH NO2	ļ	,						
110	A-NII LACIT NO CHIN	H2O	0.5	2 607	0.110	0.075	_	4.740	(32)
116	$ArNH_2 + 2\cdot Cl-5\cdot NO_2C_6H_3N \rightarrow 2\cdot ArNH-5\cdot NO_2C_6H_2N  ArNH_2 + HONO \rightarrow ArN_2^{+(1)}$	0.05 N HCl	65 0	-3.687 2.310	0.110 0.193	0.975 0.987	5 7	3.394	(295)
116Aa 116Ab <sup>(1)</sup> 116Ac <sup>(1)</sup>	AINII2 + HONO - AIN2	0.5 N HCl 0.05 N HBr	0	2.462 2.679	0.142 0.029	0.986 0.999	9	2.761 1.706	(295) (295) (295)
	R	0.00 1. 112.	· ·	27375	3.025	0.000	•	11.00	
117	$NH_2 + C_6H_4COC1 \rightarrow$ $CH_3$	C6H6	25	-2.727	0.205	0.991	7	3.435	(272)
į	R NHCOC <sub>6</sub> H <sub>6</sub>								
118	$\begin{array}{c} R \\ \hline \\ OCH_3 \end{array}$	C <sub>6</sub> H <sub>6</sub>	25	-2.609	0.270	0.983	5	3.056	(272)
	R NHCOC <sub>6</sub> H <sub>5</sub>								
119a	$ArN(CH_3)_2 + 1-CH_4O-2.4.6- (NO_2)_3C_6H_2 \rightarrow$	(CH <sub>2</sub> ) <sub>2</sub> CO	15	-2.857	0.057	0.997	4	5.352	(140, 141)
119b	ArN(CH <sub>8</sub> ); 2,4,6-(NO <sub>2</sub> );C <sub>6</sub> H <sub>2</sub> O-		25 35	-2.334 $-2.378$	0.209	0.933	4	4.994 4.505	(140, 141)
119c 120a	$ArN(CH_3)_2 + 1-CH_3O-2,4,6-(NO_2)_3-3-CH_3C_6H \rightarrow$	(CH <sub>3</sub> ) <sub>2</sub> CO	35 15	-3.137	0.076 0.071	0.999 0.996	7 4	5.755	(140, 141) (139)
120b	ArN(CH <sub>3</sub> ) <sub>8</sub> +2,4,6-(NO <sub>2</sub> ) <sub>8</sub> -3-CH <sub>3</sub> C <sub>6</sub> HO		25	-2.917	0.056	0.997	4	5.329	(139)
	$ArN(CH_4)_2 + CH_4\overline{I} \rightarrow ArN(CH_4)_4^+ I^-$	CH <sub>2</sub> OH	35 65	-2.776 $-2.142$	0.047 0.034	0.998 0.996	7	4.916 1.940	(139) (100)
121b 121c 121d		90% (CH <sub>3</sub> ) <sub>2</sub> CO C <sub>6</sub> H <sub>6</sub> NO <sub>2</sub>	35 24.8 40.1	-3.303 -3.069 -2.961	0.162 0.058 0.066	0.991 0.997 0.996	8 5 5	3.366 6.802 6.365	(83) (189) (189)
121e			60	-2.710	0.066	0.996	5	5.812	(189)

TABLE 2-Continued

REACTION NO.	REACTION	SOLVENT	T	ρ	s <sup>(a)</sup>	<b>r</b> (b)	n <sup>(c)</sup>	$-\log k^{q(d)}$	REFERENCES (e)
	1		<u>'</u>	b. Amides			<u></u>	-	I
			°C.						
22	$ArNHCHO + OH^- \rightarrow ArNH_2$ $ArNHCOCH_2 + CH_2O^- \rightarrow ArNH_2$	67% C <sub>5</sub> H <sub>5</sub> N CH <sub>5</sub> OH	100	0.318	0.081	0.705	9	4.725	(84) (30, 182, 184)
.23	$\begin{array}{c} ArNHCOCH_2 + CH_2O^- \rightarrow ArNH_2 \\ ArNHCOCH_3 + H^+ \rightarrow ArNH_2 \end{array}$	CH <sub>2</sub> OH 50% C <sub>2</sub> H <sub>2</sub> OH	70	2.151 0.293	0.400 0.048	0.945 0.963	6 6	6.536 2.770(m)	(30, 182, 184) (170)
24	·	30% C2H10H	10	0.293	0.048	0.903	U	2.770(m)	(170)
	R								
25	NHCOCH₃ + CH₃O →	CH <sub>2</sub> OH	_	1.723	0.170	0.976	12	1.627	(30, 306, 307)
	NO <sub>2</sub> R								
	NH <sub>2</sub>		j						
	NO <sub>2</sub>								
26	ArCH₂NHCOCH₂ + Cl₂ →	CH <sub>3</sub> COOH	18	-1.051	0.033	0.997	6	-0.466	(313)
	ArCH2NClCOCH3		<u> </u>						
		c.	Miscellane	ous derivat	ives of am	ines			
27		C <sub>6</sub> II <sub>6</sub>	25	-2.508	0.573	0.854	7	1.622	(107, 191)
27Аа	$\begin{array}{c} cis\text{-}ArN = NC_1 l l_5 \rightarrow \\ trans\text{-}ArN = NC_6 H_5^{(n)} \end{array}$	C <sub>6</sub> H <sub>6</sub>	25	-0.610	0.179	0.820	6	5.481	(191a)
27Ab( <sup>n</sup> )			35	-0.638	0.162	0.856	6	4.405	(191a)
27Ba	$(trans)-Ar^{1}N=NAr^{2}+C_{6}II_{5}COOOH \rightarrow (trans)-Ar^{1}N(O)=NAr^{2}(k) (n)$	C <sub>6</sub> lI <sub>6</sub>	15	-1.448	0.116	0.984	19	3.925	(9a)
27Bb(k)(n)			25	-1.402	0.114	0.984	19	3.544	(9a)
27Bc(k)(n) 28a	ArN=CHC6II6 + II+ → ArNII2.	H <sub>2</sub> O	35 -0.1	-1.370 0.424	0.112 0.146	0.984 0.611	19 4	3.371 5.825	(9a) (312)
28b		1110	10	0.280	0.143	0.461	4	5.652	(312)
28c	ArN=CHC <sub>6</sub> H <sub>5</sub> + CH <sub>3</sub> COOH → ArNH <sub>2</sub>	II2O	20 -0.1	0.206 0.384	0.139 0.250	0.364 0.377	4	5.500 0.992	(312) (312)
29b			10	0.516	0.222	0.525	4	0.682	(312)
l29c l29A	ArN=CHC6H6 + H2 + PtO2 →	C <sub>2</sub> H <sub>6</sub> OH	20 24-25	0.679 0.237	0.208 0.235	0.655 0.222	4 8	0.333 5.576	(312) (259)
	ArNHCH <sub>2</sub> C <sub>6</sub> H <sub>5</sub> <sup>(n)</sup>						ŀ	1	[ ` '
.30	ArNCS + C2H6OII → ArN=C(SH)OC2II6	C <sub>2</sub> H <sub>6</sub> OH	78	1.746	0.154	0.951	17	5.943	(54)
131		$(C_4H_9)_2O$	20	2.460	0.155	0.994	4	2.259	(15)
31A	$ArN - C(OH)OCH_3$ $ArN = C = NAr + OH^- + H_2O \rightarrow (ArNH)_2CO^{(h)}(^{(h)})$	75% tetrahydro-	20	1.780	0.276	0.937	10	3.229	(144a)
131B	(ArNH) <sub>2</sub> CO (h) (n)	furan 75% tetraliydro-	20	-0.768	0.087	0.969	14	3.696	(144a)
131	(ArNH) <sub>2</sub> CO (h) (n)	furan	-	-0.708	0.087	0.909	14	3.090	(1448)
32	$ArNIINH_2 + SnCl_2 \rightarrow ArNH_2$	3 N HC1 H <sub>2</sub> O	100 90	-0.707 1.149	0.091 0.160	$0.916 \\ 0.952$	9	5.183 2.417(m)	(105) (220)
34		95% C2H6OH,	25	2.064	0.100	0.963	13	2.721	(176)
35	$ArNO_2 + H_2 + Rh \rightarrow ArNH_2$	HCl 75% C <sub>2</sub> H <sub>6</sub> OH	22	0.247	0.174	0.587	16	5.219	(137, 138)
			<u>!</u>	<u> </u>				0.210	(101, 100)
		d.	Quaternary	y ammoniu	m compou	nds			
36	$ArCH_2N^+(CH_3)_2CH_2COC_6H_6 + OCII_3^-$ $\rightarrow ArCH_2CH(COC_6H_5)N(CII_3)_2$	CH <sub>3</sub> OH	37.7	0.887	0.155	0.793	9	4.073	(283)
37	ArCOCH2N (CH2)2CH2C6H5+OCH3	CH*OH	37.7	-0.211	0.063	0.725	8	4.210	(95)
38		50% C2H4OH	20	1.276	0.071	0.984	9	2,137	(183)
	ArCOO~	00 /0 C2111C11	20	1.2/0	0.071	U. 904	9	2.13/	(100)

Α.	Heterolytic	reactions.	v.	Aldehydes,	ketones,	and	derivatives

REACTION NO.	REACTION	SOLVENT	T	ρ	<sub>5</sub> (a)	<b>7</b> (b)	# <sup>(e)</sup>	$-\log k^{q(d)}$	references (e)
			a. Alde	hydes and	ketones				
			°C.						
139 140	$\begin{array}{c} ArCHO + HCN \rightarrow ArCHOHCN \\ ArCHO + CH_2(COOC_2H_6)_2 \rightarrow \\ ArCH=C(COOC_2H_6)_2 \end{array}$	95% C <sub>2</sub> H <sub>5</sub> OH C <sub>6</sub> H <sub>5</sub>	20 84	2.329 0.226	0.074 0.038	0.991 0.950	13 4	7.703 3.971	(16, 50) (239)
141a 141b 141c	2ArCHO → ArCH2OH + ArCOOH	50% CH <sub>2</sub> OH	40 60 80.2	3.633 3.719 3.860	0.229 0.168 0.090	0.988 0.994 0.998	9 8 8	5.058 4.412 3.874	(288) (288) (288)
141d 141e 142	ArCHO + CaHaN(CH1)2 → ArCHOHCaILN(CH2)2-p	75% C <sub>2</sub> H <sub>5</sub> OH C <sub>6</sub> H <sub>6</sub>	100 30 92.5	3.756 3.973 0.825	0.074 0.395 0.083	0.998 0.971 0.979	7 6 5	3.537 4.584 5.111	(288) (305) (238)
143	ArCOCII <sub>1</sub> + NH <sub>2</sub> NHCONH <sub>2</sub> → Ar(CH <sub>2</sub> )C=NNHCONH <sub>2</sub>	83% C2H6OH		0.91 <sup>(j)</sup>	-	-	5		(78)
144	$\begin{array}{c} Ar^{1}COAr^{2} + CH_{2}MgI \rightarrow \\ Ar^{2}C(OMgI)CH_{2}Ar^{2}^{(1)(k)} \end{array}$	C <sub>6</sub> H <sub>6</sub> OC <sub>2</sub> H <sub>6</sub>	$\sim$ 25	0.363	0.057	0.923	7	-0.012	(192)
145	$A_1COC_6H_4CH_2C_6H_6-o + H^+ \rightarrow$	78% CH <sub>2</sub> COOH	117.5	0.197	0.078	0.482	9	4.948	(39, 298)
146a 146b 146c 146d 146e	$ArCOCH_1 + Br_2 \rightarrow ArCOCH_2Br$	H <sub>2</sub> O 50% CH <sub>3</sub> COOH idem + 1 M HCl idem + 2 M HCl 75% CH <sub>4</sub> COOH	25 25 25 25 25 15	0.417 -0.639 -0.494 -0.423 -0.505	0.091 0.017 0.017 0.018 0.049	0.767 0.994 0.990 0.994 0.952	10 4 4 4 9	3.522 4.025 2.235 1.813 2.909	(208) (210) (210) (210) (210) (99)
146f 146g 146h		∓ 0.5 M HCl	25 35 45	-0.458 -0.441 -6.379	0.050 0.042 0.041	0.936 0.942 0.916	13 12 11	2.409 1.917 1.474	(99, 210) (99) (99)
146i		75% CH <sub>4</sub> COOH + 1 M HCl	25	-0.341	0.074	0.885	5	1.863	(210)
		1	o, Iniines a	and related	compound	ls			
147 148a 148b	$\begin{array}{l} Ar(C_6\Pi_6)C=NH+H_8O\rightarrow ArCOC_6H_6\\ ArCH=NC_6H_6+H^+\rightarrow ArCHO \end{array}$	H <sub>2</sub> O H <sub>2</sub> O	0 -0.1 10	1.704 -0.216 -0.209	0.150 0.142 0.111	0.942 0.637 0.716	7 4 4	2.125 5.840 5.660	(80) (312) (312)
148c	ArCH=NC <sub>6</sub> H <sub>5</sub> + CH <sub>2</sub> COOH → ArCHO	H2O	20 0.1	-0.206 -0.725	0.085 0.264	0.797 0.831	4	5.502 1.091	(312) (312)
149b 149c 149 A	ArCH= $NC_6H_6+H_2+PtO_2 \rightarrow ArCH_8NHC_6H_6$ (n) (o)	C <sub>2</sub> H <sub>4</sub> OH	10 20 24-25	-0.750 -0.535 -0.586	0.291 0.327 0.210	0.806 0.665 0.579	4 4 11	0.783 0.430 5.664	(312) (312) (259)

TA	RI	æ	2	Con	ti <b>n</b> ue	ď

TABLE 2—Continued												
REACTION NO.	REACTION	SOLVENT	T	ρ	<sub>5</sub> (a)	7 <sup>(b)</sup>	n <sup>(c)</sup>	$-\log k^{0(d)}$	REFERENCES <sup>(e)</sup>			
		c. Oxin	nes, hydraz	ones, and	related con	npounds						
150. 151. 152. 153. 154. 155b (k) 155c (k) 155c (k) 155d (k)	$ \begin{split} & \text{ArCH=NoCoCH}_1 + \text{H}^+ \rightarrow \text{ArCHO} \\ & \text{ArCH=NoCoCH}_1 \rightarrow \text{ArCN} \\ & \text{ArCH=NoCoC}_6 \text{H}_1 \rightarrow \text{ArCN} \\ & \text{ArCH=NoCoOC}_6 \text{H}_2 \rightarrow \text{ArCN} \\ & \text{ArCH=NoCoOC}_6 \text{H}_2 \rightarrow \text{ArCN} \\ & \text{ArCH=NoCoOC}_6 \text{H}_2 \rightarrow \text{ArCN} \\ & \text{ArCH=NoCoOCH}_2 \rightarrow \text{ArCOCH}_2 \\ \end{split} $	80% (CH <sub>4</sub> ) <sub>2</sub> CO Xylene Xylene Xylene Xylene 94.5% H <sub>2</sub> SO <sub>4</sub> Butyl carbitol	°C. 25 139 120 118.6 50.9 190.5 199.5 210.5 221.5 40.05	-0. 132 -0. 434 -0. 712 -0. 597 -2. 110 0. 622 0. 743 0. 790 0. 864 -0. 914	0.068 0.055 0.042 0.055 0.280 0.166 0.101 0.097 0.075 0.027	0.801 0.983 0.993 0.985 0.985 0.967 0.846 0.952 0.961 0.980 0.997	4 4 4 5 6 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5	4.645 3.737 3.895 3.322 4.623 1.791 1.549 1.030 4.275	(42) (4) (4) (4) (236) (276) (276) (276) (276) (276) (190)			
157	ArCH=NCl + OH <sup>-</sup> → ArCN	92.5% C₂H₅OH	0	2.240	0.117	0.992	9	1.760	(133)			
d. Miscellaneous derivatives of aldehydes and ketones												
158	$ArCH(OH)CN + H_2O \rightarrow ArCHO$	95% C₂H₅OH	20	1.233	0.126	0.921	13	9.704	(16, 50)			
A. Heterolytic reactions. VI. Phosphines, silanes, arsonous acids, and diarylmercury compounds												
REACTION NO.	REACTION	SOLVENT	T	ρ	5 <sup>(a)</sup>	<sub>p</sub> (l <sub>2</sub> )	n <sup>(c)</sup>	$-\log k^{0(d)}$	references <sup>(e)</sup>			
161	$\begin{array}{l} ArP(C_2H_5)_2 + C_2H_5I \to ArP(C_2H_5)_3^+ \ I^- \\ Ar(C_6H_5)_2SiH + C_5H_1N \to \\ Ar(C_6H_5)_2SiOH \\ ArA_3(OH)_2 + cystine + OH^- \to \\ ArA_3O(OH)_2^{(6)} \\ Ar_2H_g + H^+ \to ArH + ArH_g^{+(p)} \end{array}$	(CH <sub>3</sub> ) <sub>2</sub> CO Wet C <sub>3</sub> H <sub>11</sub> N H <sub>2</sub> O 99.67% dioxane	°C. 35 38.8 20 30 40 50	-1.094 2.784 -0.250 2.282 2.189 2.104	0.054 0.099 0. <i>091</i>	0.983 0.985 0. <i>511</i>	5 6 5 7 7 7	3.290 3.433 4.509	(83) (111) (71) (75, 171) (75, 171) (75, 171)			
		A. Hetero	lytic rea	ctions.	VII. Hy	lrocarbo	ns					
REACTION NO.	REACTION	SOLVENT	T	ρ	S(B)	r(b)	n <sup>(0)</sup>	-log &0(d)	references <sup>(e)</sup>			
163 164	$Ar(C_0H_0)C=CH_2+NH_1\rightarrow ArNH_2^{(1)}$ Copolymerization of $ArCH=CH_2$ with $C_0H_0CH=CH_2$ in the presence of $SnCl_2^{(4)}$	CHCla + H2SOa CCla + CeHaNO2	°C. 25 0	-2.134 -1.932	0.122 0.129	0.956 0.979	10 5	-0.261 -0.118	(202) (229)			

165	Copolymerization of ArCH=CH2 with	C <sub>6</sub> H <sub>6</sub> NO <sub>2</sub>	0	-1.627	0.116	0.940	5	-0.436	(229)
	p-ClC <sub>6</sub> H <sub>4</sub> CH=CH <sub>2</sub> in the presence of SnCl <sub>2</sub> (4)		-					******	(===,
166	Copolymerization of ArCH=CH2 with C6H6C(CH3)=CH2 in the presence of	C <sub>6</sub> H <sub>6</sub> NO <sub>2</sub>	0	-2.119	0.353	0.677	5	-0.571	(229)
	SnCl <sub>2</sub> (9)								
167-182	ArCH-O C + Cl-								
101-102	D + Ca								
	A B								
	$ArCH_{2}O \bigoplus_{D}^{A} C + Cl_{2} \rightarrow$ $ArCH_{2}O \bigoplus_{D}^{A} C^{(f)}$								
107	Cl D A = COOH: B = C = D = H	99% CH4COOH	00	-0.752	0.000	0.004	_	1 051	(100)
167 168 169	A = COOH; $B = C = D = HA = CI$ ; $B = C = D = HA = F$ ; $B = C = D = H$	99% CH₃COOH	20 20	-0.732 -0.923 -0.854	0.026 0.210	0.984 0.826	8	1.351 1.266	(160) (160)
170	B = COOH; $A = C = D = H$	99% CH <sub>2</sub> COOH 99% CH <sub>2</sub> COOH	20 20	-0.851	0.021 0.020	0.999 0.987	4	1.235 1.736	(162) (165)
171	C = F; $A = B = I$ ) = H C = Br; $A = B = D = H$	99% CH <sub>2</sub> COOH 99% CH <sub>2</sub> COOH	20 20	-0.887 -0.870	0.017 0.006	0.999 1.000	5	1.585 1.700	(162) (160)
173 174	C = Cl; A = B = D = H C = COOH; A = B = D = H	99% CH <sub>2</sub> COOH	20 20	-0.884 -0.903	0.021 0.045	0.998 0.975	13 9	1.868 2.258	(38, 160, 162) (160)
175 176	$A = Br; C = C(CH_3)_{5}, B = D = H$ $A = Br; C = C(CH_3)_{2}C_{2}H_{5},$	99% CH <sub>4</sub> COOH 99% CH <sub>4</sub> COOH	20 20	-0.869 -0.854	0.027 0.020	0.997 0.999	6 <b>5</b>	1.511 1.590	(164) (164)
177	$B = D = H$ $A = Br; C = CH_1, B = D = H$	99% CH4COOH	20	-0.872	0.024	0.997	8	1.204	(164)
178 179	$A = Br; C = C_2H_6, B = D = H$ $A = CH_2; C = Br, B = D = H$	99% CH <sub>2</sub> COOH 99% CH <sub>2</sub> COOH	20 20	-0.851 -0.850	0.020 0.029	0.999 0.995	9	1.125 1.426	(163) (164)
180 181a	A = D = CI; B = C = H $A = CH(CH_1)_1; C = CI, D = CH_1.$	99% CH <sub>4</sub> COOH 99% CH <sub>5</sub> COOH	20 16	-0.866 -0.853	0.036 0.007	0.984 0.999	5 4	2.280 0.245	(163) (165)
181b	B = H		20	-0.869	0.008	0.999	4	-0.454	(164)
182 183	$A = C = Cl; B = D = CH2$ $ArCOC6H4OCH1-p + Cl2 \rightarrow$	99% CH <sub>3</sub> COOH 99% CH <sub>3</sub> COOH	20 20	-0.921 -0.696	0.014 0.037	0.996 0.990	5 11	0.877 1.655	(163) (161)
	1-ArCO-3-C1-4-CH <sub>3</sub> OC <sub>6</sub> H <sub>2</sub>	<u> </u>							

# B. Free-radical reactions

REACTION NO.	REACTION	SOLVENT	T	ρ	<sup>2</sup> (y)	r(b)	n(0)	$-\log k^{0(d)}$	REFERENCES (e)
184	$C_bH_bN(CH_a)_2$ $(ArCOO)_2 \rightarrow ArCOO \bullet^{(b)}$	Solid state CHCl <sub>1</sub> CH <sub>4</sub> COC <sub>5</sub> H <sub>5</sub> Dioxane	°C. 100 20 80 80	-2.554 -2.334 -0.201 -0.374	0.260 0.335 0.172 0.080	0.963 0.954 0.687 0.932	6 8 10 15	5.363 1.891 4.232 4.291	(156) (144) (34) (274)

TABLE 2-Concluded

REACTION NO.	REACTION	SOLVENT	Т	ρ	s (a)	<b>y</b> (b)	n(c)	—log k⁰ <sup>(d)</sup>	REFERENCES (e)
187	Initiation by (ArCOO)2 of polymeriza- tion of CaHaCH=CH2	C <sub>6</sub> H <sub>5</sub> CH=CH <sub>2</sub>	°C. 60	-0.550	0.139	0.884	21	5.099	(72)
188a 188b 188c	ArCOOOC(CH <sub>2</sub> ); decomposition	(C <sub>6</sub> H <sub>5</sub> ) <sub>2</sub> O	100 110.1 120.2	-0.903 -0.678 -0.568	0.022 0.035 0.014	0.996 0.994 0.999	4 5 5	5.192 4.597 4.056	(33) (33) (33)
188d 189 190	$ArCHO + C_6H_6COO_{\bullet}^{(i)}$ ArCHO + p-CiC <sub>6</sub> H <sub>4</sub> COO <sub>•</sub> <sup>(i)</sup>	(CH <sub>2</sub> CO) <sub>2</sub> O (CH <sub>2</sub> CO) <sub>2</sub> O	130.9 30 30	-0.525 -0.488 -1.668	0.036 0.071 0.054	0.990 0.922 0.986	5 4 6	3.532 -0.915 -1.071	(33) (301) (301)
190A	$ArCH_3 + BrN \xrightarrow{h\nu} ArCH_2Br^{(1)(n)}$ $COCH_2$	CCla	80	-1.806	0.161	0.977	9	-0.140	(181a)
190B 191 192 193 194 195a	$ArCH_2 + Br_2 \xrightarrow{h\nu} ArCH_2B_r^{(1)(n)}$ Autoöxidation of $ArNHN = CHC_6H_6^{(1)}$ Same, catalyzed by $C_4H_3COOOH(1)$ Autoöxidation of $ArCH = NNHC_8H_6^{(1)}$ Same, catalyzed by $C_6H_3COOOH(1)$ Autoöxidation of $ArCHOIICOAr^{(k)}$	CCls CeHe CeHe CeHe CeHe	80 16-21 17-20 17-20 17-20	-1.369 -1.714 -2.253 -0.347 -0.663 1.429	0.193 0.117 0.151 0.184 0.215 0.117	0.964 0.964 0.965 0.544 0.744 0.963	6 7 7 8 9	-0.122 2.908 2.789 3.111 3.034 2.792	(181a) 5 (233) (233) (233) (233) (233) (304)
195b <sup>(k)</sup> 196	Copolymerization of ArCH=CH <sub>2</sub> with C <sub>6</sub> H <sub>5</sub> CH=CH <sub>2</sub> (q)	No solvent	20 60	1.335 0.531	0.089 0.042	0.975 0.989	7 10	2.536 0.045	(304) (299, 300)
197	Copolymerization of ArCH=CH <sub>2</sub> with methyl methacrylate <sup>(q)</sup>	No solvent	60	0.038	0.147	0.091	11	-0.037	(300)
198	Copolymerization of ArCH—CH <sub>2</sub> with p-ClC <sub>4</sub> H <sub>4</sub> CH—CH <sub>2</sub> (q)	No solvent	60	0.103	0.062	0.767	5	0.008	(300)
199	Copolymerization of ArC(CH <sub>2</sub> )=CH <sub>2</sub> with maleie anhydride <sup>(q)</sup>	No solvent	60	-0.612	0.439	0.512	8	0.248	(302)
199Aa	Ar <sub>2</sub> COHCOHAr <sub>2</sub> + (CH <sub>3</sub> COO) <sub>4</sub> Pb → 2Ar <sub>2</sub> CO <sup>(n)</sup>	СН₃СООН	18	-0.426	0.106	0.973	4	2.979	(73)
199Ab 199Ac 199B	ArI (OCOCH <sub>8</sub> ) <sub>2</sub> + iso- C <sub>6</sub> H <sub>6</sub> CHOHCHOHC <sub>6</sub> H <sub>6</sub> $\rightarrow$ ArI <sup>(n)</sup>	СН•СООН	25 35 34.7	-0.406 -0.391 1.438	0.082 0.102 0.050	0.983 0.971 0.996	<b>4</b> <b>4</b> 6	2.720 2.363 2.609	(73) (73) (234)

# C. Reactions involving nuclear substitution in the substituted ring

REACTION NO.	REACTION	SOLVENT	T	ρ	5(a)	<b>y</b> (b)	n(c)	-log ko(d)	REFERENCES (e)
200	$\begin{array}{c} \text{ArH} + \text{NO}_2^+ \rightarrow \text{ArNO}_2^{(i)} \\ \text{ArB} (\text{OH}_2 + \text{Br}_7 \rightarrow \text{ArB}_7 \\ \text{ArB} \tau + C_b H_{10} \text{NH} \rightarrow \text{ArNC}_b H_{10}^{(o)} \\ \text{R} & \text{Br} + \text{C}_b H_{10} \text{NH} \rightarrow \\ \text{NO}_2 & \text{R} & \text{NC}_b H_{10} \end{array}$	(CH <sub>1</sub> CO) <sub>2</sub> O 20%, CH <sub>2</sub> COOH C <sub>0</sub> H <sub>6</sub> C <sub>4</sub> H <sub>10</sub> NH	°C. 18 25 99 25	-5.926 -4.504 4.871 4.918	0.351 0.136 0.163 0.365	0.962 0.966 0.987 0.973	5 7 4 10	-0.103 3.206 11.463 4.673	(31, 146, 148) (188) (58) (27)

203b		35	4.865	0.358	0.973	10	4.371	(27)
$204R \underbrace{Cl + CH_{3}ONa}_{NO_{2}} \rightarrow$	СИ-ОН	<b>£</b> 5	<b>3</b> .941	0.358	0.984	7	6.394	(57)
$R \underbrace{\hspace{1cm} OCH_1^{(0)}}_{NO_2}$								
204A $R \longrightarrow F + C_2H_6O^- \rightarrow R \longrightarrow OC_2H_6$ $NO_2$	C <sup>2</sup> H <sup>9</sup> OH	49.6	4.071	0.280	0.994	7	1.780	(29)
204B ArH + $C_6\Pi_{\mathfrak{s}^{\bullet}} \to ArC_6H_{\mathfrak{s}^{(n)}(8)}$	ArH	80	0.675	0.208	0.880	5	-0.137	(6, 7, 142)

<sup>(</sup>a) The standard deviation of experimental measurements from the regression line.

(b) The correlation coefficient.

(c) The number of compounds involved in the calculation of  $\rho$ .

(d) The intercept of the regression line with the ordinate ( $\sigma = 0$ ).

(e) Data from references in italias were not used in the derivation of reaction constants, but were used only in the derivation of new substituent constants (see Section IV.B).

(f) σmeta was used.

(8) It has been suggested that the rate constants in reactions 70a and 71a actually represent rates of solution rather than rates of reaction (205).

(h) The Hammett equation was applied to these reactions in the form of equation 8 (see Section VII.D).

(i) The calculations are based on relative rates.

(i) The reaction constant is the value given in the reference. The data reported are insufficient to permit recalculation.

(k) The Hammett equation was applied in the form of equation 10 (see Section VII.D).

(1) The calculations are based on time required for a certain per cent of the reaction to occur.

(m) No units of time are given by the authors.

(n) These reactions were added after the work was essentially completed, and were not included in the various tabulations and calculations of later sections of this paper.

(o) Data given in italics refer to reaction constants which were calculated with the substituent constants listed in table 7 (see Section IV,B). These data were not included in the tabulation of distribution of the various parameters (see Section V).

(p) This reaction series simultaneously involves a reaction of the side chain of one ring and a substitution in the other ring.

(q) The calculations are based on reactivity ratios.

(r) The number and relative importance of the positions chlorinated may vary between the different series depending on which of the groups A, B, C, and D are hydrogen, and may even vary slightly within any one series.

(8) Based on partial rate factors obtained from competitive reactions.

TABLE 3 Miscellaneous physical data

# A. Half-wave potentials from polarographic reductions

REAC- TION NO.	REACTION	SOLVENT	T	Ρ	5 <sup>(8)</sup>	<sub>7</sub> (b)	n(c)	$-E_{\frac{1}{2}}^{0(d)}$	REFER- ENCES
205	$ArNO_2 \rightarrow ArNHOH$ $Ar^1COAr^2 \rightarrow$	10% C2H6OH 40% CH3OH	°C. 25 25	0.165 <sup>(d)</sup> 0.235 <sup>(d)</sup>	0.015 0.030	0.986 0.952	9 12	0.341 <sup>(d)</sup> 1.120 <sup>(d)</sup>	(231, 235) (51)
	$(Ar^{1}Ar^{2}COH)_{2}^{(f)}$ $Ar^{1}CH = CHAr^{2} \rightarrow$ $Ar^{1}CH_{2}CH_{2}Ar^{2}^{(f)}$	75% dioxane	24	0.251 <sup>(d)</sup>	0.022	0.960	5	2.158 <sup>(d)</sup>	(116)

# B. Infrared absorption frequencies(g)

REAC- TION NO.	REACTION	SOLVENT	ν <sup>0</sup> (g)	ρ	5 <sup>(a)</sup>	r <sup>(b)</sup>	n(0)	-log k <sup>0 (e)</sup>	REFER- ENCES
			cm1						
208a	C=O frequency in		ł						
0001	ArCOCl 1	CCl <sub>s</sub>	1778	0.00502	0.00125	0.987	5	0.0000	(104)
208b 209a	C=O frequency in ArCOOH	СН₃ОН	1744 1705	0.0109 0.0140	0.0033 0.0013	0.846 0.982	5 9	-0.0002 0.0000	(104) (104)
209b		CCl	1743	0.00740	0.0007	0.973	6	0.0006	(104)
210	C=O frequency in (ArCOOH)2	CCl4	1696	0.00836	0.0003	0.996	6	0.0000	(104)
210A	C=O frequency in Ar <sup>1</sup> COAr <sup>2</sup> (j)	CCl <sub>4</sub>	1664	0.00849	0.0011	0.955	13	0.0005	(108a, 168)
210B	C=O frequency in ArCOCH <sub>3</sub>	Nujol Mull	(1659.3)	0.0195	0.0037	0.974	5	(0)	(270a)
211a	NH2 frequencies in	0.01						0.000	(101)
211b	ArNH <sub>2</sub> 1	CCl <sub>4</sub>	3410 3489	0.00604 0.00977	0.0007 0.0014	0.985 0.977	7	0.0006	(104) (104)
	OH frequency in ArOH	CCI.	3551	-0.00296	0.0007	0.948	в	-0.0008	(104)
212b		CCl	3610.1	-0.00346	0.0005	0.989	12	0.0008	(149)
212c 213	OH frequency in	C <sub>2</sub> Cl <sub>4</sub>	3610.1	0.00397	0.0019	0.889	15	0.0001	(149)
	ROH:								
	ОН						_		
214	Free OH <sup>(h)</sup> Hydrogen-bonded	C2Cl4 C2Cl4	3611.7 3568.2	0.00446 0.00416	0.0005 0.0014	0.965 0.844	9	-0.0004 0.0006	(149) (149)
	OH(i)	0.0.4	5556.2	0.00110	3.3011	5.611		3.0000	(*/

## C. Other measurements

REAC- TION NO.	REACTION	SOLVENT	T	ρ	3 (a)	<b>r</b> (b)	*(°)	-log ko(e)	REFER- ENCES
			°K.						
215	CBr bond dissociation	C6H6CH3	Ì	0.023	0.013	0.540	10	-0.007	(277)
216	Nuclear magnetic resonance absorption of F <sup>19</sup> in ArF			1.446	0.302	0.872	20	0.378	(121)
217a	Nuclear quadrupole coupling frequency of Cl <sup>35</sup> in ArCl		196	0.0239	0.0070	0.865	7	-0.012	(204)
217b 217c	Isotope effect in	Aqueoue	77 0	0.0245 0.0259 0.0079	0.0048 0.0057 0.0023	0.931 0.916 0.812	7 7 6	-0.003 0.001 0.337	(204) (204) (261)
210,,	$ArC^{14}OOC_{2}H_{5} + OH^{-}(k_{C}^{12}/k_{C}^{14})$	C <sub>2</sub> H <sub>6</sub> OH		0.0079	0.0023	0.012	U	0.007	(201)

- (a) The standard deviation of experimental measurements from the regression line.
  (b) The correlation coefficient.

- (c) The correlation coefficient.

  (c) The number of compounds involved in the calculation of  $\rho$ .

  (d) The reaction constants in table 3A are based on half-wave potentials; hence  $\rho$ , s, and  $-E_{1/2}^0$  are in volts.

  (e) The intercept of the regression line with the ordinate  $(\sigma = 0)$ .

  (f) The Hammett equation was applied in the form of equation 10 (see Section VII.D).

- (1) The Hammett equation was applied in the form of equation 10 (see Section VII.D).

  (g) The reaction constants in table 3B are based on frequency shifts in the form  $(\nu \nu^0)/\nu^0$ , where  $\nu$  and  $\nu^0$  are the frequencies of the substituted and unsubstituted compounds respectively; hence,  $\rho$  and s are dimensionless, and (—log  $k^0$ )caled also is dimensionless and reflects the deviation of the point for R = H from the regression line.

  (h) The average  $(\sigma_p + \sigma_m)/2$  was used; cf. references 74 and 149.

  (i) The more positive substituent constant  $(\sigma_m$  or  $\sigma_p)$  was used; cf. references 74 and 149.

  (j) The data for reactions 209 to 211 are made dimensionless by dividing the change in values of the quantity measured by the absolute value for the unsubstituted compound; cf. footnote (g) of this table.

ArY and ArCH=CHY, but did not explain the small reaction constants for ArCH<sub>2</sub>Y and ArCH<sub>2</sub>CH<sub>2</sub>Y (125). Consequently, Hammett concluded that the  $1/d^2$  factor is applicable only if Y and Ar are conjugated. This conclusion is surprising, since the factor  $1/d^2$  is introduced on the basis of electrostatic arguments, which should apply best when Ar and Y are not conjugated.

In a series of similar reactions it may be assumed that the reaction constants depend on the polarizability of the side chain. This hypothesis has been tested by correlating the reaction constants for the acid dissociations for several series of acids of the general form  $ArMO_nH_m$  (M = boron, carbon, phosphorus, arsenic) with the polarizability of the ion derived from the element M and all the electrons it shares (157). Ionic refractivities extrapolated from Fajans' tables (101) were used for the polarizabilities. From the data, listed in table 4, it appears that the polarizability of M has a decisive influence on the magnitude of the reaction constant. Further work on similar acids, however, appears desirable.

TABLE 4
Comparison of reaction constants and polarizabilities

REACTION SERIES: IONIZATION OF	REACTION NO. (a)	<b>p</b>	ION	IONIC RE- FRACTIVITY(b)
ArB(OH) <sub>2</sub> . ArCOOH. ArAsO(OH) <sub>2</sub> . ArPO(OH) <sub>2</sub> .	1a 18	2.53 1.00 0.95 0.76	B5- C4- As3- P3-	391 88 76 67

 <sup>(</sup>a) Reaction No. refers to the reaction series in table 1.
 (b) Extrapolated from reference 101.

The data suggest that the reaction constants for the sulfonic and selenic acids should be quite small. Unfortunately, no experimental data appear to be available.

Pressman and Brown have attempted an interpretation of relative values of reaction constants for the acid dissociation of benzeneboronic, benzenearsonic, and benzoic acids on the basis of the resonance structures involved in the ground state of the compounds (240). Their interpretation does not take adequate account of the magnitude of the dissociation constants observed, and when extended to benzenephosphonic acids suggests reaction constants larger than those experimentally determined (reaction 14a) (157).

The transmission of the electrical effect of substituents through the side chain has also been treated from another viewpoint (153). Considering several types of reactions, A, B,  $\cdots$  and several series of compounds, 1, 2,  $\cdots$  which differ only in the group (Z) linking the reaction site Y with the substituted benzene ring Ar, it is reasonable to assume that

$$\rho_{A,1}; \rho_{B,1}; \dots = \rho_{A,2}; \rho_{B,2}; \dots = \dots$$
(3)

The scanty experimental data available to test the validity of equation 3 are summarized in table 5. Considering the large uncertainties in reaction constants, the agreement is encouraging.

In the same paper (153) it was shown that relative values of the reaction

constants can be calculated by molecular orbital theory from atom-atom polarizabilities. Thus, calculations were carried out on the effect of introducing a group Z between the reacting side chain Y and the substituted ring Ar. Table 6 compares the calculated and observed reaction constants. From general consideration of the terms entering the calculation it was concluded that the reaction constant should be greatly reduced, and probably change in sign, if the group Z

TABLE 5 The effect of the introduction of groups Z between the substituted ring and reaction site Y

z	REACTION NO. (a)	REFERENCE REACTION NO. (a)	RELATIVE REACTION CONSTANT, $\rho/\rho^0$	MEAN ρ/ρ <sup>0</sup>	DEVIATION
-CH₂	8 53	1a 47g	0.489 0.336	0.410	0.084
CH <sub>2</sub> CH <sub>2</sub>	9 54	1a 47g	0.212 0.196	0.206	0.009
-Сн-сн	10 55	1a 47g	0.466 0.542	0.508	0.038
$\leftarrow$	7 52	1t 47g	0.341 0.262	0.303	0.040
-CH=CHCO	21a 21b	(b)	-0.059 0.13	0.035	0.065

(a) The reaction numbers refer to the reaction series in tables 1 and 2.
(b) No reaction constant for the reference reaction is known, but it may be estimated as  $\rho = 1.3$ .

TABLE 6 Calculated and observed values of  $\rho/\rho^0$ 

z	$ ho/ ho^0$					
2	Calculated	Observed				
СН=-СН	0.683	0.508 <sup>(s)</sup>				
<b>-</b>	0.177	0.303(a)				
-N=N	0.136	0.126 <sup>(b)</sup>				
-CH=CHCO	0.010	+0.035 <sup>(a)</sup>				
$\overline{}$	-0.013					

(a) From table 5.
(b) From reactions 28 and 27b.

is conjugated with Ar and Y and involves an odd number of atoms between Ar and Y. The only examples of such systems for which data are available are the acid dissociation constants of the benzylidenepyruvic acids and the acid hydrolysis of their methyl esters. The prediction is confirmed for the acid dissociation constants in water (reaction 12a). No exact comparison is possible for the acid dissociation constants in 50 per cent methanol (reaction 12b) and the acid hydrolysis of the esters (reaction 56). The reaction constants for both reaction series are very small, but positive. Since reaction constants for acid hydrolyses are generally small, the reaction constant of reaction 56 is of little value for the testing of the theory. However, the reaction constant for reaction 12b is very much smaller than the reaction constant for the acid dissociation constants of benzoic acids in water-alcohol mixtures.

Structural changes in the side chain may be expected to affect the reaction constants. In the alkaline hydrolysis of phthalides, for instance, introduction in the  $\alpha$ -position of one or two methyl groups, or of one ethyl group, appreciably changes  $\rho$  (see reactions 57–60). In some reaction series the side chain contains a benzene ring. It is shown in Sections VII,C and VII,D that substituents in such a ring have no appreciable effect on the reaction constant. In reactions of a series of compounds of the type

$$\overset{R}{\underbrace{\hspace{1cm}}_{X}}Y$$

where X is the same for the whole series, reaction constants also are essentially independent of the nature of X (see Section VII,C).

# (2) Susceptibility of the reaction to changes in electron density at the site of the reaction

The second factor on which reaction constants depend is the susceptibility of the reaction velocity or equilibrium constant to the electron density at the site of the reaction. It is apparent that a positive  $\rho$  indicates that the reaction is facilitated by low electron density at the reaction site, and a negative  $\rho$  implies a reaction favored by high electron density (250a).

The susceptibility of the reactions of the alkyl and acyl halides with nucleophilic reagents has been discussed in detail (273). The authors believe that these reactions occur as "concerted displacement reactions," and that the sign and magnitude of  $\rho$  are determined by the relative importance of the simultaneous electrophilic and nucleophilic reactions. The wide variation of the magnitude and sign of  $\rho$  for these reactions is considered as evidence for the concerted mechanism of these reactions. Regrettably, the transmission of electrical effects to the reaction site was not considered in this discussion (cf. preceding section), so that a direct comparison of the values of  $\rho$  is not warranted. Few measurements on a given series of compounds reacting with different reagents have been reported. However, the existing data appear to indicate that a wide variation of  $\rho$ -values can be observed, even for the same side chain.

## (3) Effect of reaction conditions

Reaction constants for a given reaction depend on the conditions under which the reaction takes place. Hammett proposed that reaction constants can be expressed in the form of equation 2 (125). Little has been added to our knowledge of the dependence of  $\rho$  on the reaction conditions, and none of the implications of equation 2 have been tested adequately. The reaction constants collected in

tables 1 to 3 now permit such tests. In figure 1,  $\rho$  is plotted against 1/T for all the reaction series in which at least four reaction constants were evaluated under conditions differing only in the temperature of the experiments, and for which  $\rho < 1.2$ . With due allowance for the large uncertainties in reaction constants, the plots appear to be linear. A few reaction series would be somewhat better described by a curved line. Equation 2, however, not only implies that the plots of  $\rho$  against 1/T must be linear but also defines the slope of these lines. The slopes demanded by theory are indicated in figure 1 by dashed lines. The plots for six of the reaction series are seen to approximate these slopes closely; two appear to be appreciably too steep, and for two the slope has the wrong sign.

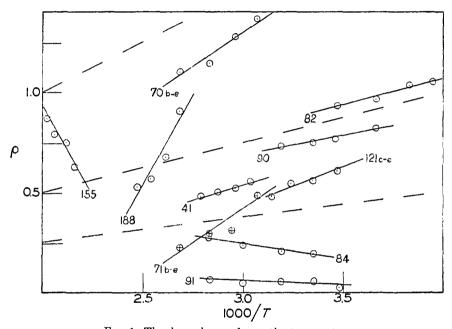


Fig. 1. The dependence of  $\rho$  on the temperature

Of the other reaction series ( $\rho > 1.2$ ) for which more than three reaction constants are known, six approximate the theoretical slope, and one appears to have a negative slope. Tables 1 and 2 include thirty-five other reaction series in which two or three reaction constants were obtained under identical conditions except for differences in temperature. Considering the large uncertainties in  $\rho$ , it appears futile to attempt to test the magnitude of the slope of the plot of  $\rho$  against 1/T for these reaction series. However, in six of the series  $\rho$  appears to increase with the temperature, in violation of equation 2.

Thus, it can be concluded that in many cases equation 2 appears to express the temperature dependence of  $\rho$  satisfactorily, but that some cases are known in which the reaction constants increase with temperature. The extent to which deviations from linearity occur is difficult to determine because of the small range of temperature which is usually available.

Equation 2 also predicts the change of  $\rho$  with the dielectric constant of the solvent. However, the data available to test this dependence are more difficult to interpret. The interpretation is simplest for the acid dissociation constants, since a large body of data is available, and it can be assumed that no changes in the mechanism of the reaction will interfere with the considerations. As a general rule, the reaction constants appear to increase with decreasing dielectric constant, as predicted by equation 2. Two exceptions may be noted: the reaction constants for the second pK's of the benzenephosphonic acids (reaction 15) appear to decrease slightly in going from water to 50 per cent ethanol; and in the acid dissociation constants of the anilinium ions (reaction 26) in aqueous dioxane,  $\rho$  appears to pass through a maximum between 45 per cent and 70 per cent dioxane.

Reaction constants derived from rate constants show considerably more variation in their behavior on change of solvent. In at least one reaction series a change in mechanism with change in solvent has been postulated (53). However, it does not appear likely that changes in mechanism are responsible for the solvent dependence of reaction constants in many reaction series. Some reaction constants are found to increase and others to decrease with increasing polarity of the solvent, and several instances are observed where the reaction constants change sign with a change in solvent. In one case (reaction 89) the direction of the change of  $\rho$  with polarity appears to depend on the temperature. These facts can be understood in terms of equation 2 only if it is assumed that  $B_1$  and  $B_2$  may have opposite signs, and that either the first or the second term in the parentheses may predominate (see reference 125). Until the significance of  $B_1$  and  $B_2$  is better understood, these facts cannot be interpreted adequately.

Use of the "activity postulate" (120) leads to an alternate expression for the solvent dependence of reaction constants for the dissociation of acids. On the basis of the assumptions under which the postulate is valid, it was shown that the reaction constants for a given reaction series in various solvents can be expressed as a linear function of the "activity function" (Y), which depends on the nature of the ionizing group and the solvent involved (119, 120). A similar dependence of  $\rho$  on Y can be determined for solvolysis reactions (see 119a, 315).

## IV. SUBSTITUENT CONSTANTS

## A. Definition of substituent constants

Substituent constants were defined originally by the equation (127f)

$$\log (K/K^0) \equiv \sigma \tag{4}$$

where  $K^0$  and K are the acid dissociation constants of benzoic acid and its monosubstituted derivatives, respectively. This definition was largely one of convenience. The acid dissociation constants of the benzoic acids were taken as

<sup>&</sup>lt;sup>7</sup> It may be preferable to replace the dielectric constant of the solvent with an effective dielectric constant of the molecule and its immediate surroundings (177).

<sup>&</sup>lt;sup>8</sup> The existence of this maximum has been questioned (118). Using the differential potentiometric method, Grunwald was unable to duplicate the pK's in high concentrations of dioxane (118).

a reference reaction series because a large number of such constants were known accurately, and because many previous correlations had been made with these constants. Equation 4 implies the arbitrary definition of a reaction constant of unity for this reaction series, and a substituent constant of zero for the unsubstituted compound. In the calculation of further substituent constants from other reactions the definition of  $\sigma$  through equation 4 is retained, and the resulting values must then be considered as estimates of log  $(K/K^0)$ . The substituent constants so derived, and hence the reaction constants, depend somewhat on the order in which the data were treated (125), particularly since the Hammett equation does not represent the data with high precision.

The definition through equation 4 is abandoned, although this has never been stated explicitly, when special substituent constants are derived for use with the reactions of phenols and anilines. Since the usefulness of the Hammett equation depends on its application to a large number of reaction series, this author proposes to redefine the substituent constant, ideally, as the value of  $\sigma$  which best fits the entire body of experimental data. This definition has been implied by many workers, who have either derived substituent constants for groups not included in Hammett's tables (e.g., 36, 179, 253–255, 257) or reëvaluated existing ones (e.g., 136), and who have attempted to find the value which best fits the largest number of reaction series. Unfortunately all such determinations have been concerned with a single or a few substituents, and have always been based on a few reaction series which usually encompassed only the special interests of the authors. Such a procedure is natural, considering the tremendous amount of labor involved in a more thorough reëvaluation.

The new definition has several disadvantages. It makes substituent constants dependent on the body of knowledge available at the time of their evaluation, and implies that they should be revised at frequent intervals. Moreover, the evaluation of such substituent constants requires the formidable task of fitting the entire available data by some suitable statistical procedure. Such computation is not feasible without the use of electronic computing equipment.<sup>10</sup>

In spite of the shortcomings listed, the definition of substituent constants proposed here appears to be the only reasonable one. It further permits the definition of constants for special types of reactions wherever they should become necessary, without a redefinition of the substituent constant.

## B. Evaluation of substituent constants

In the calculation of reaction constants summarized in tables 1 to 3 only substituents were considered for which Hammett had reported substituent

 $<sup>^{9}</sup>$  The substituent constants for use with the reactions of phenols and anilines will be denoted by  $\sigma^{*}$  throughout this review and will be discussed in detail in Section IV,C and Section IV,D.

<sup>&</sup>lt;sup>10</sup> Professor C. Gardner Swain has stated that he intends to undertake such a reëvaluation of substituent constants with the use of the electronic computing equipment available in Cambridge, Massachusetts. In connection with this work, Professor Swain would appreciate receiving any relevant data which have been omitted from this review.

constants. Although many workers have carefully evaluated and reported substituent constants for other groups (27, 36, 179, 253–255, 257), this restriction was imposed for several reasons: (1) The process of calculation of substituent constants from known reaction constants, and then using these substituent constants for the calculation of further reaction constants which in turn will be used for further calculation of substituent constants, leads to a set of constants which depends on the order in which the process is carried out. The inaccuracies introduced in this manner are the more serious the lower the precision of the equation on which they are based. Fortunately, only four reaction series are involved in Hammett's original evaluations (125), and three further reaction series in his later work (127f).

- (2) If it had been decided to use substituent constants derived since the publication of Hammett's book, decisions would have been required concerning the best value known at the present time. In some cases, where different substituent constants had been derived by various authors, such decisions would have been difficult to make.
- (3) Most of the computational labor in evaluating the reaction constants in tables 1 to 3 has been done over a period of several years. Use of newly derived substituent constants would have required extensive recomputations.
- (4) The manner of computation adopted in this paper has permitted evaluation of as many as twenty-seven values for the substituent constant of a single group, and hence has led to various inferences about substituent constants which will be discussed in the following sections.

It might have been possible to recompute all reaction constants on the basis of the substituent constants adopted in this review. Since a systematic reëvaluation is anticipated, it was not felt advisable to make such laborious recomputation at this time.

Accordingly, substituent constants have been calculated by standard correlation methods (270a) for all substituents for which appropriate data were available. Since neither  $\log k$  nor  $\sigma$  can be assumed to be without error, the computations, according to modern statistical theory, required modification of the commonly applied least-squares method. Since the method employed here is rarely used by chemists, the necessary calculations are outlined in an appendix.

Substituent constants derived from reactions which do not fit the Hammett equation reasonably well involve large uncertainties; hence, only reaction series with a correlation coefficient larger than 0.95 were used for the evaluation of substituent constants. This restriction simultaneously eliminates reactions which do not follow the Hammett equation and reactions for which the reaction constant is so small that the common random variations outweigh the systematic substituent effects. The necessity for such a restriction can be seen from the following example: Recently Roberts and Moreland (256a) have evaluated the substituent constant for the m-OH group. One of the reaction series used was reaction 46A. Although the standard deviation (s = 0.124) is not particularly large, the correlation coefficient (r = 0.719) is so small that this reaction series would not have been used in the evaluations in the present paper. Although the  $\sigma$ -value

TABLE 7
Substituent constants

			Saosiiiaen	i constan						
R	σmeta	n(a)	REAC- TIONS(b)	σ <sub>рага</sub>	n(a)	REAC- TIONS(b)	σ* para	n (a)	REAC- TIONS(b)	
a. Alkyl substituents										
CH <sub>1</sub> C <sub>2</sub> H <sub>6</sub> C <sub>4</sub> H <sub>7</sub> CH(CH <sub>3</sub> ) <sub>2</sub> CH <sub>4</sub> CH <sub>4</sub> CH <sub>4</sub> CH(CH <sub>3</sub> ) <sub>2</sub> CH <sub>4</sub> CH(CH <sub>3</sub> ) <sub>2</sub> CH(CH <sub>3</sub> ) <sub>2</sub> CH(CH <sub>3</sub> ) <sub>2</sub> CH(CH <sub>3</sub> ) <sub>3</sub> CH(CH <sub>3</sub> ) <sub>3</sub> C(CH <sub>4</sub> ) <sub>3</sub>	-0.069 -0.043	1 1	212b 47j,k, 125,	-0.170 -0.151 -0.126 -0.151 -0.161 -0.115 -0.123 -0.197	* 3 * 2 2 1	27b, 47g 27b, 47g 27b, 47g 47g				
(CH <sub>2</sub> ) <sub>2</sub> CH(CH <sub>3</sub> ) <sub>2</sub> C(CH <sub>3</sub> ) <sub>2</sub> C <sub>2</sub> H <sub>5</sub> CF <sub>8</sub>	0.415	4	35 1a, 26a, 1l, 43	-0.225 -0.190 0.551	1 2 3	47g 47g. 80 26a, 1l, 43				
CH <sub>2</sub> Cl CH <sub>2</sub> CN CH <sub>2</sub> CH <sub>2</sub> COOH	-0.027	•		0.184 0.007 0.066	1 1	133 134				
b. Hydroxy and alkoxy groups										
OH OCH <sub>1</sub> OC <sub>2</sub> H <sub>4</sub> OC <sub>2</sub> H <sub>5</sub> OC <sub>4</sub> H <sub>7</sub> OC <sub>4</sub> H <sub>9</sub> OC <sub>4</sub> H <sub>1</sub> O(CH <sub>2</sub> ) <sub>6</sub> CH(CH <sub>1</sub> ) <sub>2</sub> OC <sub>4</sub> H <sub>1</sub> OC <sub>4</sub> H <sub>5</sub> OC <sub>4</sub> H <sub>6</sub> OC <sub>4</sub> H <sub>6</sub> OC <sub>4</sub> H <sub>6</sub> OC <sub>4</sub> H <sub>6</sub> OC <sub>4</sub> H <sub>6</sub>	0.002 0.115 0.150	16	cf. table 12	-0.357 -0.268 -0.250 -0.286 -0.320 -0.340 -0.265 -0.415 -0.028 -0.519	27 * 2 1 1 1 1 1 10 1	cf. table 9 la, 47g 47g la la 47g 212b cf. table 8 31				
c. Amino and amido groups										
NH: NHCH: NHC2H: NHC4H: NHC4H: N(CH:)2 NHCOCH:	-0.161 -0.302 -0.240 -0.344 -0.211	1 1 1	15a 15a 15a	-0.660 -0.592 -0.600 -0.015	1 17 <sup>(e)</sup>	15a cf. table 8 14b, 15a,b,				
NHCOC.H. NHNH: NHOH NH; NH;CH; NH;C;H; NH;C;H;	0.217 -0.020 -0.044 0.634 0.958 0.958 0.904	1 1 1 1 1 3	13 15b 205 22 14a 14a 11, 26a, 43	0.078 -0.550 -0.339	1 1 1	18 13 15a 205				
	d. Carbox	v. carl	alkoxy, acyl		d their					
COOH	0.355		1	0.265	7	cf. table 8	0.728	•		
COOCH <sub>1</sub> (f) COOC <sub>2</sub> H <sub>5</sub> COOC <sub>4</sub> H <sub>9</sub> COOCH <sub>2</sub> C <sub>6</sub> H <sub>5</sub>	0.315 0.398	6	cf. table 8 cf. table 8	0.522	7	cf. table 8	0.636 0.678 0.674 0.667	5 2 2 1	cf. table 8 23a, 212b 23a, 212b 23a	
CONH <sub>2</sub> . CHO COCH <sub>3</sub> (g). COC <sub>6</sub> H <sub>4</sub> .	0.280 0.355 0.306 0.678	*	134	0.216 0.516 0.459 0.628	3 3 4 16	47h,j,k, 11, 130, 184 47h-k cf. table 8	0.627 1.126 0.874 1.000	*	134	
C00 <sup>+</sup>	0.104	11	cf. table 8	0.132	15	cf. table 8				
			e. Miscellar	neous grou	ps ———					
NO2 <sup>(h)</sup> NO F CI Br I I IO2 <sup>(j)</sup> SCH3 SO2CH3	0.710 0.337 0.373 0.391 0.352 (0.70) 0.144 0.551 0.647	* * * * 1 5 1 7	la cf. table 8 47h cf. table 8	0.778 0.123 0.062 0.227 0.232 0.276 (0.76) -0.047 0.567 0.728	1 * * * 1 * 1 4	27b  1s  47h 1a.l, 47h, 71	1.270	4	23a, 26a	
SCN SeCN B(OH): Si(CH <sub>3</sub> );	0.006 -0.121	1 2	26a 11, 43	0.699 0.664 0.454 -0.072	1 1 1 2	28 28 26a 11, 43				
			22	2						

TABLE 7-Concluded	TA	RI	E 7	Con	clud	60
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R	$\sigma_{\mathrm{meta}}$	n (a)	REAC- TIONS (b)	σpara	n(a)	REAC- Tlons(b)	σ para	n (a)	REAC- TIONS (b
		e. Mi	scellaneo:13 (	groups - Co	nclude	ł			
C6H5 N=NC6H5 C6H4N=NC6H5	0.218	*(j)		0.009 0.640	•(k)	!			90
CH=CHC <sub>6</sub> H <sub>5</sub>	0.141	•		-0.019	1	la	1.088 0.619	*	26a
PO <sub>2</sub> H <sup>-</sup> SO <sub>2</sub> - SO <sub>2</sub> NH <sub>2</sub>	0,228 2	1a,l	0.238 0.381 0.621	1 4	1a 23a 14a,b, 15a, b				
			f. Fused-rir	ng systems	<u></u>		!		
3,4-(CH <sub>2</sub> ) <sub>a</sub> 3,4 (CH <sub>2</sub> ) <sub>a</sub> 3,4 (CH <sub>2</sub> ) <sub>4</sub> 3,4-(CH <sub>2</sub> O <sub>2</sub>				-0.259 -0.477 0.170 -0.159	1 1	125 125			

- (a) The number in this column indicates how many estimates were averaged to obtain the substituent constant listed. An asterisk indicates that the value is taken from Hammett (127f).

  (b) The numbers in this column refer to the reaction numbers in tables 1 to 3.

  - (c) For the use with reactions of amines and phenols see Section IV,C. (d) These values should be considered with reservation (see Section VI,A).
- (e) Hammett's value for the dimethylamino group (127f) is apparently incorrect (cf. 111 and tables 8 and 9), and has not been used in the calculation of the reaction constants given in this paper.
  - (f) A separate constant for use with thiols is calculated from reaction 25:  $\sigma_{\text{para}} = 0.603$ , n = 2 (cf. Section IV,C). (s) A separate constant for use with thiols is calculated from reaction 25:  $\sigma_{\text{para}} = 0.697$ , n = 2 (cf. Section IV,C).
- (b) A separate constant for use with thiols is calculated from reaction 25:  $\sigma_{\text{DMR}} = 1.04$ , n = 2 (cf. Section IV.C).

  (i) These values were calculated from a reaction at 50°C. rather than at 25°C. However, the reaction constant and the equilibrium constants vary only slightly with temperature, so that these constants are probably fair estimated to the constants of the constants are probably fair estimated to the constants of the constants are probably fair estimated to the constants of the constants are probably fair estimated to the constants of the constants are probably fair estimated to the constant of the constants are probably fair estimated to the constant of th mates (36a).

  (i) This constant has been discussed by Lichtin and Leftin (195).

  - (k) This constant has been discussed by Berliner and Liu (26a).

(1) β-Naphthyl.

for m-OH found from this reaction series is well within the range of the other values found, this agreement is probably fortuitous. The standard error  $(s_{\sigma})$ (270a) of the estimate of  $\sigma$ -m-OH obtained from this reaction series is 0.263, so that the probability is 67 per cent that the correct value lies between -0.22and +0.30. Obviously, this information is neither precise nor very useful. A substituent constant for the p-OH group calculated from the same reaction series is  $+0.152 \pm 0.259$ . This value of  $\sigma$  is not significantly different from the value ( $\sigma = -0.357$ ) given in table 7, as can be shown by a "t"-test (t = 1.97) (270). Hence, this reaction series is worthless for the determination of new substituent constants. The above restriction of evaluation of substituent constants to only those reaction series for which r = 0.95 is necessary to avoid the use of reaction series such as 46A.

In some cases all the data for calculation of reaction and substituent constants did not come from the same investigation; in such cases care was taken that the reaction conditions were identical, or sufficiently similar to make the data comparable.

Table 7 lists all substituent constants so calculated and also includes those previously reported by Hammett (127f). Thus, all substituent constants available at the time of this writing are collected in a single place. The only exceptions are constants for substituents in fused rings, and for hetero atoms replacing the CH group of a ring; these constants are discussed in Sections VII, A and VII, B.

Further, no substituent constants were calculated for groups  $p\text{-}(C_6H_4Z)$  and  $p\text{-}(N\text{=-}NC_6H_4Z)$ , although the necessary data are available from a combination of reaction series 7 and 1t (see 26a) and reaction series 28 and 27b, respectively. It is doubtful that such constants would be of much interest.

Each  $\sigma$ -value reported in table 7 is a mean if more than one value could be calculated, and the number of individual values entering the mean is indicated as n. The reaction series used in the computations are also indicated. Minor differences from values reported by other authors, sometimes even using the same reaction series, result from three factors: (a) the method of computation is somewhat different; (b) the reaction constants often disagree, since many authors have used substituent constants not in Hammett's table; (c) often the

TABLE 8
Precision of substituent constants

R	LIX	nts	MEDIAN	MEAN VALUE (B)	n <sup>(b)</sup>	REACTION <sup>(c)</sup>
	Lower	Upper	VALUE			
p-OH p-N(CH <sub>1</sub> ) <sub>2</sub> m-OH p-CO p-COO m-COO <sup>-</sup> m-COO <sup>-</sup> p-OC <sub>2</sub> H <sub>5</sub> m-SO <sub>2</sub> CH <sub>1</sub> p-N(CH <sub>1</sub> ) <sub>2</sub> p-COOC <sub>1</sub> H <sub>5</sub> m-COOC <sub>2</sub> H <sub>5</sub> m-COOC <sub>2</sub> H <sub>5</sub> m-COOC <sub>2</sub> H <sub>5</sub> m-COOC <sub>1</sub> H <sub>5</sub> m-COOC <sub>1</sub> H <sub>5</sub> m-COOC <sub>1</sub> H <sub>5</sub> m-COOC <sub>1</sub> H <sub>5</sub> m-SCH <sub>1</sub> p-COOCH <sub>1</sub> (dc	-1.049 -0.134 0.232 0.055 -0.023 -0.109 0.402 0.560 0.664 0.210 0.383 0.258	-0. 208 -0. 206 0. 192 0. 756 0. 208 0. 197 0. 118 0. 554 0. 683 1. 112 0. 434 0. 408 0. 360 0. 178 0. 765	-0.335 -0.653 -0.018 0.660 0.122 0.098 -0.053 0.538 0.876 0.876 0.257 0.400 0.320 0.135 0.619	$\begin{array}{c} -0.357 \pm 0.104 \\ -0.600 \pm 0.213 \\ -0.602 \pm 0.106 \\ 0.628 \pm 0.132 \\ 0.132 \pm 0.050 \\ 0.104 \pm 0.076 \\ -0.028 \pm 0.050 \\ 0.522 \pm 0.053 \\ 0.649 \pm 0.043 \\ 0.859 \pm 0.149 \\ 0.265 \pm 0.126 \\ 0.398 \pm 0.003 \\ 0.315 \pm 0.036 \\ 0.144 \pm 0.031 \\ 0.636 \pm 0.031 \\ \end{array}$	27 17 16 16 15 11 10 7 7 7 7 6 6 5 5	Cf. table 9 Cf. table 10 Cf. table 10 Cf. table 12 1a,1 43, 47h-k, 50a-c, 90a-d, 130, 189 13, 15a,b, 19, 23a, 47h-k, 203a,b, 82a-d 13, 37, 47h-k, 121a, 138, 155, 159 47h-k, 39, 200, 201 1s,1, 23a, 26a, 47h 11, 23c,d, 25a,b, 26a, 43 1a, 14a,b, 84a-d 47h-k, 200, 201 23c,d, 25a,b, 26a 11, 23a, 26a, 47j,k 23c,d, 26a, 47j,k 23c,d, 26a, 26a, 275,

(a) The mean ± its standard deviation is given.

(b) The number of determinations involved in the calculation of the median and mean.

(c) The numbers refer to reaction series in tables 1 to 3.

(d) Substituent constant for reactions of phenols and anilines ( $\sigma^*$ ).

number of compounds involved in the calculation of  $\rho$  is different. However, considering the precision of the Hammett equation, the agreement is as good as could be anticipated.

For fifteen substituents from five to twenty-seven values of  $\sigma$  have been calculated. These include, in some cases, values from identical reaction series under different conditions, and even occasionally under identical conditions, but reported from different laboratories. For these groups table 8 lists not only mean values of substituent constants, but also their median values, their range, and the standard deviations of the mean values. This table thus illustrates the precision with which substituent constants are known. Median and mean values are seen to agree reasonably well in most cases. However, in many cases the range and the standard deviation of the mean are rather large, indicating the low precision of the Hammett equation. The factors affecting these constants are discussed in the next section.

Branch and Calvin have suggested that certain groups of substituents (e.g., Cl, Br, and I; OH, OCH<sub>3</sub>, and OC<sub>2</sub>H<sub>5</sub>) have, for a given position, substituent

constants which are not significantly different from one another (43a,b). This suggestion is supported by the fact that the order of the effect of these substituents is not constant. A similar situation appears to hold for the p-alkyl groups (methyl, ethyl, isopropyl, and tert-butyl), where reversals of order also have been observed (24, 25). The data in table 7 further suggest that, in a given position, substituent constants for amino and alkylamino groups, and for the carboxy, carbalkoxy, carbophenoxy, carbamido, and acetyl groups do not differ materially. Hence, a single substituent constant can probably be used for each of these groups of substituents, and possibly for other groups also. However, since no systematic reëvaluation of substituent constants is being undertaken at this time, and since the data for the evaluation of most of the substituent constants in table 7 are not very extensive, no combined constants for groups of substituents will be proposed.

# C. Choice of substituent constants

The substituent constant for the p-nitro group, applicable to most reactions, does not give good results when used with reactions of phenols and anilines. Therefore, a special substituent constant has been defined for these reactions (127f), which we propose to denote by  $\sigma^*$ . Hammett suggested that similar special substituent constants would also be required for certain other electron-attracting substituents, such as CN, COOH, and CHO (127f). This prediction was confirmed for the p-cyano group (254), and a similar conclusion has been reached for the p-methylsulfonyl group (36). Table 7 shows further cases of dual substituent constants in the para-position for electron-attracting groups.

The range of application of the  $\sigma^*$  constants is of interest. The statement that this constant should be applied to the reactions of phenols and anilines leaves unanswered the question what structural changes in a phenol or aniline are permissible without removing the compound from this classification. In the calculations underlying the reaction constants of tables 1 to 3 there occasionally appeared some doubt as to whether  $\sigma$  or  $\sigma^*$  should be used with a given reaction. In such cases correlations with both sets of substituent constants were tried. Comparison of the results has led to the following conclusion: the  $\sigma^*$  constants provide the best fit with all the reactions of phenols, phenolic esters, anilines, and dimethylanilines. Two reaction series of phenolic ethers (ArOR') are included in this review (reactions 86 and 86A). In reaction 86,  $\sigma$  gives a much better fit with the experimental data than  $\sigma^*$ ; this fact probably depends on the nature of the group R', which in this case bears two nitro groups, and hence strongly involves the polarizability of the oxygen atom. Reaction 86A, however, requires the  $\sigma^*$  constants.

The reactions of anilides in all of which the substituted aniline is the reaction product also require the use of  $\sigma^*$ , with the possible exception of the methanolysis of the 2-nitroacetanilides (reaction 125). It is doubtful that the applicability of the ordinary substituent constants to this reaction series can be explained by

"While little evidence is available for other p-alkyl groups, and for m-alkyl groups, the situation is likely to be quite similar.

the presence of the  $\sigma$ -nitro group, since reaction 86A has two such groups and still requires the use of  $\sigma^*$ . None of the reactions of the azo, hydrazo, and iminolike compounds listed in section A,IV,d of table 2 require the use of  $\sigma^*$ , <sup>11a</sup> except the reduction of the arylhydrazines to anilines (reaction 132). Similarly, the reduction of substituted nitrobenzenes to anilines by catalytic hydrogenation (reaction 135), by chemical means (reactions 133 and 134), and by polarographic reduction (reaction 205) is best represented by the use of  $\sigma^*$ . Accordingly, it appears that the  $\sigma^*$  constants must be used not only for the reactions of phenols and their esters and ethers, and of anilines and alkylanilines, but also in reactions which lead to the formation of such compounds. Further, reactions in which the polarizability effects of electron-attracting substituents in the para-position are greatly reduced by the presence of other competing groups in the molecule apparently may not require the use of  $\sigma^*$ .

It is not known at this time whether  $\sigma^*$  should be used with reactions of anilides not leading to anilines (e.g., the pK's of anilides) and with reactions occurring in a group linked to the ring through an -O- or -NR- group, when the reaction site is actually beyond the linking group.

The  $\sigma^*$  constants do not appear to apply to reaction 23. Since the side chain in this series is  $-N = NC_6H_4N(CH_3)_2 - p$ , so that the dimethylamino group is conjugated with the ring bearing the rate-affecting substituent, it might have been anticipated that  $\sigma^*$  should be used. This reaction series is the only example where a reacting amino or hydroxyl group is conjugated in this manner; hence no generalizations appear justified.

Examination of the data also shows that the free-radical polymerization reactions of substituted styrenes and related compounds appear to be somewhat better represented by the  $\sigma^*$  constants. This might be due to the importance of polarizability effects on the stabilization of the free-radical intermediates. However, the existing data are insufficient in number to permit a definite decision concerning the use of  $\sigma^*$  in this type of reaction. Moreover, substituent effects in most of these reactions are small, and the data are based on reactivity ratios, which do not permit great precision.

A further use of the  $\sigma^*$  constants has been proposed for nucleophilic substitution reactions on the benzene ring bearing the rate-affecting substituent (57), since polarizability effects can be expected to be specially important in such reactions. The available data are not numerous; only three reaction series are available to test this postulate (reactions 202, 204, 204A), and in all three cases  $\sigma^*$  gives very much better fit.

In a few reaction series there arises the problem of deciding whether a substituent is in the meta- or para-position to a side chain. Thus, in reactions of 4-substituted catechols either hydroxyl group may undergo reaction. In the acid dissociations of these compounds (reaction 24) the hydroxyl group in the position

<sup>11a</sup> Note added in proof: The oxidation of the trans-azobenzenes (reaction 127B) also requires the  $\sigma^*$  constants. The explanation for this fact can probably be found in the great difference in resonance energy between azo- and azoxybenzene (or between azobenzene and the transition state of the oxidation).

for which the substituent has the larger (more acid-strengthening) substituent constant might be assumed to dissociate first (74). However, since the O<sup>-</sup> and OH groups are hydrogen-bonded in the ion, there is very little difference between the ions formed by dissociation of either hydrogen. Hence, an average value of  $\sigma_m$  and  $\sigma_p$  may be expected to represent the data best; such is actually the case (74). Similar assumptions are made in correlating the infrared absorption frequencies of free and hydrogen-bonded hydroxyl groups in the same series of compounds (reactions 213 and 214) (149).

A somewhat similar situation is encountered in the alkaline hydrolyses of phthalide and its derivatives (reactions 57-60). In these compounds the reacting side chain is attached in two places to the ring bearing the rate-affecting substituent; hence the substituent effect may be transmitted to the reaction site by two paths, and separate reaction constants should apply. Since the substituent constants for the two points of attachment are different, the situation is complicated. As a first approximation we have neglected the transmission through the methylene group, and have correlated the hydrolysis rates with  $\sigma_m$ . If the effects through both parts of the side chain are to be included, we must write:

$$\log (k/k^0) = \sigma_m \rho_1 + \sigma_p \rho_2$$

Since only one of the reactions 57-60 involves more than four compounds, no test of this relation was made.

The acid dissociation constants of the 5-substituted 2-furoic acids (reaction 11) also require a choice between  $\sigma_m$  and  $\sigma_p$ . In this case there seems to be little reason to suggest either choice. We have followed Hammett (127f) in using  $\sigma_p$ , which gives a much better fit than  $\sigma_m$  in this series.

# D. Factors determining the substituent constants

In Section II it was shown that the substituent constant is a measure of the effect of the substituent on the activation energy of the reaction of the unsubstituted compound. This interpretation of substituent constants is of little practical use, since little is known about the estimation of such energies. Therefore, we shall discuss substituent constants from the viewpoint of electron densities introduced in Section II. This type of interpretation was first suggested by Hammett, who has stated that  $\sigma$  measures the effect of the substituent on the electron density at the reaction site (127f). This view is confirmed by a recent evaluation of the effects of substituents on the electron density in a side chain. The method consisted in measurements of the nuclear magnetic resonance absorption of F<sup>19</sup> and Cl<sup>25</sup> in substituted fluoro- and chlorobenzenes (121, 204).

On the basis of the assumption that substituent constants are proportional to changes in electron density induced by the substituents,  $\sigma$ -values can be correlated with electron densities calculated by molecular orbital theory (150–152). Although the theoretical work leaves much to be desired, particularly in terms of the parameters (Coulomb and resonance integrals, inductive parameter) involved in the wave-mechanical calculations, it appears to indicate in which direction theoretical interpretation of substituent constants can be found. Both

resonance and inductive effects are considered in the calculations, and neither effect alone leads to satisfactory results. Price (241, 243) and Westheimer (308) have made some calculations of the effect of substituents based on their electrostatic effects alone. However, their calculations do not appear to indicate that resonance effects can be neglected in the explanation of substituent constants. It seems reasonable to conclude that these constants depend on both inductive and resonance effects of the substituents.

The general applicability of the Hammett equation shows that substituent constants must be essentially independent of the nature of the reacting side chain. However, an important exception to this statement has been noted. Hammett found it necessary to assign two different substituent constants to the nitro group in the para-position (127f). As discussed in Section IV, C, this duality of substituent constants also applies to a number of other electron-attracting substituents in the para-position.

It is believed (36, 43b) that the duality of substituent constants for electronattracting substituents is connected with the resonance of structures II and III.



Thus, different substituent constants describe the effect of R depending on whether or not structure III is important. Since the importance of structure III may vary widely in a series of side chains, it can be anticipated that there are side chains which require a substituent constant intermediate between the two extreme values. The only case for which such an intermediate value has been observed is Y = SH (reaction 25), and the special  $\sigma$ -values are listed in footnotes to table 7 (see also 35a). It might have been anticipated that special substituent constants would be required for Y = SH, since this group, although electronically closely related to OH, does not resonate as strongly with the benzene ring.

If resonance between structures II and III can lead to a dependence of substituent constant on the nature of the side chain for electron-withdrawing substituents, a similar dependence can be expected for strongly electron-releasing substituents in the para-position. Data presented in this review concerning the substituent effects of the p-hydroxy and p-dimethylamino groups suggest such a dependence on the nature of the side chain. In tables 9 and 10 the various substituent constants obtained for these two groups have been arranged by classes of side chains, and there appears to be a definite variation in substituent constant. With the p-hydroxy group this dependence is further complicated by a solvent dependence, which is discussed below. It is likely that similar effects exist for other groups.

<sup>12</sup> Evidence for such an effect has recently been found by Bordwell (35). In a paper which appeared after this review was written, Hünig, Lehmann, and Grimmer (144a) have discussed the possibility of a multiplicity of substituent constants for electron-repelling substituents. These authors conclude that, for the p-dimethylamino group, there should be two distinct values of  $\sigma$ , rather than a continuous range, as found in this paper (see table 10).

The multiplicity of substituent constants may be interpreted qualitatively in terms of a difference in resonance stabilization between ground and transition states. Any appreciable effect of a substituent on this difference in resonance stabilization can be expected to give rise to an increment in the substituent constant applicable to that particular reaction. This argument suggests that increments of all magnitudes should be observed. Graded series of substituent con-

TABLE 9

The dependence of the substituent constants for the p-OH group on solvent and side chain

	Y = -OH, -SH, -NR2, -NR2, -PO3H2				Y = -COOR		Y = -NO <sub>2</sub> ,CH=CHC <sub>6</sub> H <sub>6</sub> , C <sub>6</sub> H <sub>4</sub> COOH-p		
SOLVENT	n(a)	σ <sup>(b)</sup>	REAC- TIONS <sup>(c)</sup>	n (a)	σ(b)	REAC- TIONS (c)	n(a)	<sub>Ø</sub> (b)	REAC- TIONS (c)
H <sub>2</sub> O (d)	5	$-0.268 \pm 0.049$	14a, 15a, 18 23e, 26a	3	$-0.328 \pm 0.008$	la,	2	$-0.475 \pm 0.105$	133, 205
40-80% C <sub>2</sub> H <sub>6</sub> OH	4	$-0.279 \pm 0.033$	14b, 15b, 23c, 25a	4	$-0.339 \pm 0.041$	lk-n			
90-100% C <sub>2</sub> H <sub>5</sub> OH Other	2 1	$-0.300 \pm 0.040$ -0.403 <sup>(e)</sup>	23d, 25b 185	4	$-0.408 \pm 0.043$	lo-r	2	$-0.628 \pm 0.065$ (f)	7, 207
All	12	$-0.288 \pm 0.054$		11	$-0.361 \pm 0.050$		4	$-0.552 \pm 0.135$	
All side chains and solvents				27	$-0.357 \pm 0.104$				

- (a) The number of separate estimates of  $\sigma$ .
- (b) The error term is the standard error.
- (c) The numbers refer to the reaction numbers in tables 1 to 3.
- (d) Including up to 10 per cent of organic solvent.
- (e) The solvent is chloroform.
- (f) The solvents are 50 per cent butyl Cellosolve and 75 per cent dioxane.

TABLE 10

The dependence of the substituent constant for the p-N(CH<sub>3</sub>)<sub>2</sub> group on the nature of the side chain

Y	n (a)	σ <sup>(b)</sup>	REACTIONS <sup>(c)</sup>
NR <sub>2</sub> , SiHR <sub>2</sub> , Br COOR CHO Others <sup>(d)</sup>	5	$\begin{array}{c} -0.4?5 \pm 0.165 \\ -0.642 \pm 0.034 \\ -0.972 \pm 0.077 \\ -0.622 \pm 0.104 \end{array}$	119a,b, 160, 203a,b, 211a,b 47g-k 141, 142 21, 125, 207
A11	17	$-0.600 \pm 0.213$	

<sup>(</sup>a) (b) (c) See table 9. (d)  $Y = -CH = CHC_6H_6$ , -CH = NOH,  $-NHCOCH_1$ .

stants are actually encountered for electron-releasing groups (see tables 9 and 10) but have not been noted for electron-attracting groups. The data collected in this review have confirmed Hammett's conclusion (127f) that the substituent constants of the latter groups have either of two discrete values rather than a continuous range. Since our knowledge of the nature and particularly of the energy of transition states is at best sketchy, the argument presented permits little quantitative reasoning about the magnitude of the effects to be expected.<sup>2</sup>

A more quantitative understanding of the multiplicity of substituent constants

appears to be available through the interpretation of reaction rates in terms of electron densities at the reaction site (see Section II). In this approximation we consider only the electron distribution in the initial state. In compounds where resonance between structures II and III is important, the electron density at the reaction site is frequently greatly affected by this resonance. Where the side chain is electron-releasing and the substituent electron-withdrawing, only two sets of substituent constants ( $\sigma$  and  $\sigma^*$ ) have been observed, with the exception of the special constants discussed above for Y = SH. However, electron-releasing side chains are few, and the available data refer to  $Y = NX_2$  or OX, with X = H or a hydrocarbon or acyl radical. If the substituent is electron-releasing and the side chain electron-withdrawing (cf, structure IV), the range and variety of side



chains are much greater, and accordingly a much greater range of  $\sigma$ 's is observed. The "normal" substituent constants for the electron-releasing substituents (e.g., OH and NH<sub>2</sub>) should probably be evaluated from reaction series in which either the reaction site is insulated from the benzene ring (e.g., by a methylene group) or the side chain itself is electron-repelling, so that resonance II  $\leftrightarrow$  IV is unimportant. Then the substituent constants for these substituents applicable for reactions of compounds involving electron-withdrawing side chains would be analogous to the  $\sigma^*$ . The substituent constants for these groups were actually derived by Hammett from reactions of compounds with moderately electron-withdrawing side chains (COOH or COOR) (127f); hence the values lie somewhere near the center of the possible range and represent roughly a median value. The wide validity of the Hammett equation is in some measure due to this rather fortuitous circumstance.

The above interpretation of the multiplicity of substituent constants leads to the conclusion that the "normal"  $\sigma$ -values must be numerically smaller (closer to zero) than the  $\sigma^*$  or their analogs for the electron-repelling groups. This conclusion is amply verified by the data in tables 7, 9, and 10.

The substituent constant for the p-dimethylamino group reported by Hammett (127f) was obtained from a reaction of N, N, N', N'-tetramethylphenylenediamine and therefore is a "normal" value. It is the lowest of the values given in table 10. This fact explains the difficulties encountered with this substituent constant (see, e.g., 111).

Experimental points for the p-methoxy group in plots of log  $(k/k^0)$  against  $\sigma$  frequently deviate greatly from the best straight line. This fact is probably due to a great variability of the substituent constant of this group (cf. 35), which can be expected to behave much like the p-hydroxy group.

Since a complete reëvaluation of substituent constants is anticipated, no separate "normal" values and  $\sigma^*$ -values for electron-releasing substituents are proposed in this paper.

The "English School" interprets the total effects of substituents in terms of

four separate effects (see 250c): inductive, mesomeric, inductomeric, and electromeric. The first two of these have been discussed at the beginning of this section. However, in considering substituent constants, the latter two, which may be combined into a single polarizability effect, have usually been neglected. If we consider these four effects as evaluated from nuclear substitution reactions in monosubstituted benzenes, it can easily be seen that the above explanation of the multiplicity of substituent constants is equivalent to an interpretation in terms of the polarizability of the substituent groups.

Polarizability effects may further play an important role. They are believed to operate only in one direction, and only if they can favor a reaction, and their importance varies greatly with the requirements of the reaction (250c). Hence, it is reasonable to assume that they are responsible for some of the deviations from the Hammett equation. In particular the existence of separate lines for the plots of the log  $(k/k^0)$  against  $\sigma$  for m- and for p-substituted compounds (273) may be explained in this manner, since electromeric effects can occur only with p-substituents. Hammett has suggested the possibility of including a term in equation 1 to take care of such effects (128):

$$\log (k/k^0) = [\sigma + \sigma' f(\rho)] \rho \tag{5}$$

Here  $\sigma'$  expresses the polarizability effects and vanishes when these effects are unimportant.

In one group of substituents the polarizability effects appear to be specially important. It has long been observed that the m- and p-phenyl and the  $\beta$ -naphthyl groups frequently lead to serious deviations from equation 1 (see, e.g., 115, 195, 247). The reason for this special position of these groups may be that resonance of the type  $V \leftrightarrow VI$  occurs in such a way that the substituent either attracts or

repels electrons. Although the m-phenyl group cannot be involved by an electromeric effect, its polarizability in terms of the inductomeric effect is large and may operate in either direction. Frequently, rate and equilibrium constants for unsubstituted compounds deviate seriously from the best straight line, possibly also owing to polarizability effects, since the phenyl group can enter in resonance VII  $\leftrightarrow$  VIII as either donor or acceptor. This effect may be responsible for the

occasional observation that p-fluoro and m-methoxy substituents appear to be electron-releasing, or that m-methyl substituents appear to be electron-attracting.

In considering the structure of substituents, one must recognize that many groups, particularly the more polar ones, can interact with solvent molecules.

Thus, many groups in dilute aqueous solution are almost certainly hydrogen-bonded to water molecules. If such solvent interaction were identical for all substituents, it would not affect substituent constants, but would be included in the solvent-dependent part of the reaction constant. However, solvent effects are probably neither identical nor similar for all types of substituents. Thus, hydrogen bonding of hydroxyl groups to solvent molecules must be important in water, ether, and dioxane, whereas a nitro group cannot be hydrogen-bonded to the latter two solvents, and for methyl groups hydrogen bonding must be much less important in all solvents. Consequently, substituent constants should not be independent of the solvent. Such a dependence for the p-methyl (but not for the m-methyl) group has recently been observed (cf. table 11), and has been

TABLE 11

The dependence of the substituent constant for the p-CH<sub>3</sub> group on the solvent (180)

SOLVENT	n (a)	σ	SOLVENT	n (a)	σ
H <sub>2</sub> O	9	-0.17	C <sub>2</sub> H <sub>5</sub> OH	6	-0.14
25-50% C <sub>2</sub> H <sub>6</sub> OH	3	-0.17	CH <sub>2</sub> OH	1	-0.11
87-98% C <sub>2</sub> H <sub>6</sub> OH	5	-0.15	C <sub>2</sub> H <sub>5</sub> OH/(C <sub>2</sub> H <sub>5</sub> ) <sub>2</sub> O	1	-0.105

<sup>(</sup>a) The number of values of σ calculated.

TABLE 12

The dependence of the substituent constant for the m-OH group on the solvent

SOLVENT	n (a)	σ <sup>(b)</sup>	REACTIONS(c)
H <sub>2</sub> O (d) 40-80% C <sub>2</sub> H <sub>3</sub> O H 90-100% C <sub>2</sub> H <sub>5</sub> O H Others	6 6 3 1	$\begin{array}{c} 0.102 \pm 0.073 \\ -0.046 \pm 0.056 \\ -0.130 \pm 0.004 \\ 0.021 ^{(e)} \end{array}$	1a, 14a, 15a, 23e, 26a, 205 lk, n-o, 14b, 15b lp-r 212b
All	16	$-0.002 \pm 0.106$	

<sup>(</sup>a)-(d) See table 9.

interpreted in terms of the effect of hydrogen bonding on hyperconjugation of the methyl group (180). A solvent dependence of the substituent constant of the p-nitro group has been inferred indirectly by Gutbezahl and Grunwald (120). The evaluation of substituent constants in this review provides further evidence for this effect. When the substituent constants for the m- and p-hydroxy groups are arranged in groups of similar solvents, as in tables 9 and 12, it is seen that some systematic variations exist. The simultaneous variation with the nature of the side chain makes the evaluation of this effect for the p-hydroxy group somewhat uncertain. Similar dependence on solvent also appears to exist for the p-dimethylamino and the p-cyano groups, but in these cases the evidence is not clear-cut. Similar effects can probably be observed with other substituents. No attempt has been made to detect solvent effects on the substituents for which no new substituent constants were evaluated.

Considering the different precision of the reaction series from which the substituent constants have been evaluated, and the complications arising from the

<sup>(</sup>e) The solvent was carbon tetrachloride.

effect of the nature of the side chain, the evidence presented for the solvent dependence of  $\sigma$  might not be completely convincing. Fortunately, a much stricter test of their dependence is available for the m- and p-hydroxy groups. Bright and Briscoe have measured the acid dissociation constants of several substituted benzoic acids in a series of mixtures of water and ethanol (reactions 1k, 1m-1r). These reactions permit evaluation of substituent constants for m- and p-hydroxy groups, in a long series of ethanol-water mixtures; not only is the same side chain involved in each solvent, but essentially the same set of substituents is used to calculate the reaction constants. From the data listed in table 13 it is seen that the substituent constants of both groups decrease uniformly with increasing alcohol concentration.

Hammett has shown that there is no theoretical reason to expect substituent constants to depend on the temperature (126), and no such dependence has ever been observed. If  $\sigma$  were a function of the temperature, the precision of reaction constants should also depend on the temperature, but no such effect can be ob-

TABLE 13
Solvent dependence of substituent constants in a single reaction series

ETHANOL	р-ОН	m-OH	REACTION (a)	ETHANOL	р-ОН	m-OH	REACTION (a)
per cent 0	-0.335	+0.124 <sup>(0)</sup> -0.014 -0.055 -0.102	la lk lm ln	per cent 80 90 95 100	0.414	-0.111 -0.126 -0.129 -0.134	lo 15 11 1r

(a) The numbers refer to the reaction numbers in table 1.

(b) The average of three values.
(c) The reaction constant is 1.000 by definition and the reaction is not strictly comparable to reactions lk, lm-lr.

served in tables 1 and 2. The precision with which the Hammett equation represents a given reaction is remarkably constant from temperature to temperature in practically all cases, especially if the reaction constants are based on the same set of substituents.

#### V. PRECISION OF THE HAMMETT EQUATION

### A. General

When the Hammett equation is applied to a series of experimental data, the data are, of course, not exactly represented by the equation. The deviations observed are usually much larger than the experimental error in the determination of the rate or equilibrium constants (91, 125). Hence, it appears important to have reliable measures of the precision with which a given set of data is represented by equation 1.

Although the median deviation of experimental points from the best straight line (regression line) has been used as a measure of this precision (127f), we have chosen the standard deviation (s) from the regression line in order to simplify the computations. The standard and median deviations are equivalent, except that the former indicates the range of two-thirds of the deviations, whereas the latter involves half of them. The standard deviation is proportional to the

probable error ( $s = 1.48 \times \text{probable error}$ ), and the median deviation is usually considered as a measure of the probable error. According to modern statistical theory the standard deviation is the quantity of choice for the estimation of the precision with which data can be predicted by the use of a linear equation such as the Hammett equation. However, s is not independent of the magnitude of the reaction constant, but increases with it. This fact is illustrated in table 14,13

s			Į,	o			TOTAL	OTAL MEDIAN		
	0-0.2	0.2-0.5	0.5-1.0	1.0-2.0	2.0-4.0	>4.0	2022			
0-0.05 0.05-0.10 0.10-0.15 0.15-0.20 0.20-0.25 0.25-0.30 0.30-0.40 0.40-0.50	11 5 2	19 17 11 6 1	45 26 12 3 6 2 2	13 26 22 8 9 1 1	7 30 21 15 9 9 5	3 3 1 1 1 1 1 11 3	95 107 69 33 26 14 19	.851 1.168 1.627 1.957 1.752 2.579 4.435 1.680 4.072		
otal	18 0.033	55 0.074	97 0.057	80 0.106	99 0.122	21 0.338	371 0.091	1.176		

TABLE 14 The distribution of s and | o | [a]

<sup>(</sup>a) The numbers in the table are the numbers of reactions for which the parameters lie between the limits given in the column and row headings. The medians at the right are the median values  $|\rho|$  for the given range of r, and the medians at the bottom are the median values of r for the given range of  $|\rho|$ .

		<i>1</i>	he distri	bution of	r and	ρ (α)				
,			L	ρ			TOTAL	MEDIAN		
-	0-0.2	0.2-0.5	0.5-1.0	1.0-2.0	2.0-4.0	>4.0				
>0.99 0.95-0.99 0.90-0.95 0.80-0.90 0.50-0.80 <0.50	1 1 1 3 9 3	3 15 6 6 17 8	41 33 4 12 7	30 37 11 2	50 42 4 1 2	4 9 8	129 137 34 24 36 11	1.476 1.455 1.657 .557 .309 .213		
Total	18 0.718	55 0.842	97 0.984	80 0.985	99	21 0.957	371 0.977	1.176		

TABLE 15

where the distribution of s and its dependence on the magnitude of  $\rho$  are given. Therefore s is not a good measure of the fit of data to equation 1 if one is interested in the use of the reaction series for the calculation of substituent constants or the prediction of relative values of substituent effects. Accordingly, we have also calculated the correlation coefficient (r) for all the reaction series treated. This latter quantity decreases with  $\rho$  (see table 15), and approaches zero when the reaction constant approaches zero, unless all rate or equilibrium constants in the series become identical.

<sup>(</sup>a) The numbers in the table are the numbers of reactions for which the parameters lie between the limits given in the column and row headings. The medians at the right are the median values of  $|\rho|$  for the given range of r, and the medians at the bottom are the median values for r for the given range of  $|\rho|$ .

<sup>18</sup> In the tabulations of this section, reactions from tables 1, 2, and 3A only have been considered. Reaction constants in tables 3B and 3C are based on data so different in character that direct comparison of the constants with those in tables 1, 2, and 3A does not appear justified.

Tables 14 and 15 also give the median values for s, r, and  $\rho$  for each of the ranges of the other parameters considered. Finally the median value of each of the parameters for the entire body of 371 reaction series<sup>13</sup> is given. The median value of s (0.091) agrees well with Hammett's value for the mean probable error (127f), if the relation between these two quantities mentioned above is recalled.

We have also computed the standard deviation  $(s_{\rho})$  of the reaction constants in order to be able to apply statistical tests for the difference of such constants. However, owing to the large uncertainty in  $\rho$ , it was rarely possible to demonstrate significant differences where they might have been of interest; hence the  $s_{\rho}$ -values are not tabulated in this review. The precision with which reaction constants are known is indicated by the following figures:  $s_{\rho} < 0.05 \times |\rho|$  in 25 per cent and  $s_{\rho} > 0.10 \times |\rho|$  in 47 per cent of all reaction series. Thus, the median value of  $s_{\rho}$  is slightly smaller than 10 per cent of the absolute value of  $\rho$ . The large group of reaction constants having  $s_{\rho} > 0.1 \times |\rho|$  includes the reactions which are not greatly affected by substituents, and which accordingly have small values of  $\rho$ .

Examination of tables 1 and 2A shows no major differences between the distributions of s and r in the various subsections of these tables; hence, no serious differences appear to exist between the precision with which reactions of different types of compounds are expressed by equation 1. A single exception to this generalization is found in the reactions of the alkyl halides (section A,III, b of table 2), which are discussed in detail below.

On the basis of the dependence of substituent constants on the solvent (cf. Section IV, D), the precision of the Hammett equation was expected to depend on the solvent used in the experimental measurements. Since the majority of the substituent constants were evaluated from reactions in aqueous solution, the precision was expected to be lowest in reactions in non-polar solvents. Accordingly, all the reactions in tables 1 and  $2A^{14}$  were arranged in groups according to the following solvent classifications: (a) water, (b) 30-70 per cent alcohol (all aliphatic alcohols), (c) alcohols above 80 per cent, (d) various mixed aqueous solvents, such as dioxane-water, acetone-water, etc. from 30 to 70 per cent, (e) the same solvents, above 80 per cent, (f) aromatic solvents (benzene, toluene), (g) acetic and sulfuric acids. For each of these groups the distribution of r and s was determined. No major differences in these distributions could be observed; some minor differences noted were probably fortuitous. Thus, the precision seems particularly good for group (g), but reactions 167 to 183 were a major portion of this group and are so similar that no normal distribution within such a closely similar group can be expected. Similarly, ten reaction constants from reaction 89 were included in group (d) and led to an apparently poor precision for this group. If such sets of similar reactions were not included separately, the differences observed would probably have disappeared.

<sup>14</sup> Tables 2B, 2C, and 3A were excluded from this consideration, since the precision in these tables may differ from that in tables 1 and 2A (see Section VI,A). The distribution of solvents is different in these two groups of tables; hence serious error could have been introduced by inclusion of tables 2B, 2C, and 3A.

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On the preceding pages the two measures of the precision of the fit of data to the Hammett equation have been discussed. It seemed desirable to set up a scale of the significance of these parameters. While such a scale is entirely arbitrary, it has helped in the consideration of the data. This reviewer has considered r > 0.99 to indicate excellent, r > 0.95 satisfactory, and r > 0.9 fair fit to the Hammett equation. If r < 0.9 but > 0.8 while  $\rho > 1.0$ , and if r < 0.8 while  $\rho > 0.5$ , the data are considered as not being adequately represented by equation 1. For small values of  $\rho$  the total range of rate or equilibrium constants is usually small, and the constants can therefore be predicted with reasonable precision from the Hammett equation, even when r is small. Such predictions are frequently little better than predictions based on the assumption that substituents have no effect on reactivity.

No scale will be proposed for the significance of the magnitude of the standard deviation from the regression line, since s depends too strongly on the magnitude of  $\rho$ . However, reactions are also considered to violate the Hammett equation if s exceeds certain values for certain ranges of  $\rho$ , as follows: s > 0.4 for all  $\rho$ , s > 0.3 for  $\rho > 3$ , s > 0.25 for  $\rho > 2$ , and s > 0.2 for  $\rho > 1$ .

Only 26 of the 371 reaction series listed in tables 1 through 3A are found to violate the Hammett equation according to the above criteria, <sup>15</sup> although many others are expressed only to a relatively rough approximation. In many reaction series reasons for the poor fit to equation 1 are apparent, and these will be discussed in the following paragraphs.

# B. Causes of deviations

The reactions constants in tables 1–3 are based on measurements of widely varying precision. However, serious deviations from the Hammett equation probably do not depend on experimental error, except in rare cases (91, 125). Such exceptional cases may be reactions 129 and 149, where the rate constants were evaluated as differences between reactions catalyzed by H<sup>+</sup> and CH<sub>3</sub>COOH + H<sup>+</sup>. Some reaction constants are based on relative measures of rate constants, such as reactivity ratios, migratory abilities, relative reactivities, and conversion times (see footnotes in table 2), which are subject to relatively large experimental uncertainties. Differences in kinetic order may also be involved in these cases.

Closely related to experimental error are deviations from equation 1 due to reactive or catalytic impurities in the compounds used (20, 155, 156), failure to isolate a single reaction, or complications arising from side reactions. In a few cases reaction constants are calculated from data which, owing to the experimental method employed, were necessarily obtained under slightly varying conditions (e.g., reaction 30).

Another cause for serious deviations from the Hammett equation is found in the approximation inherent in the equation. Thus, the assumptions of the independence of substituent constants of the nature of the side chain, the reaction,

<sup>15</sup> These reaction series are reactions 30, 33, 47l, 63a, 81, 82c, 82d, 89a, 89f, 96, 99, 101, 123, 127, 129a, 129b, 129c, 136, 149a, 149b, 149c, 166, 168, 185, 193, and 199 of tables 1 and 2.

and the solvent have been shown above (see Section IV, D) to be only approximations. The necessary condition of constancy of entropy changes, or their linear dependence on free-energy changes (Section II), is occasionally violated (e.g., reaction 127). Since entropies of activation are rarely known accurately, the extent to which deviations from the Hammett equation occur for this reason is difficult to evaluate.

Some reaction series appear to violate equation 1, not because of many moderate deviations from the regression line but rather owing to the wide deviation of a single compound. Reactions 33, 47l, and 168 are examples of this situation. Thus, reaction 33 would fit the Hammett equation with a correlation coefficient r = 0.968 and a standard deviation s = 0.069, if the equilibrium constants for the p-methoxy and p-methylmercapto compounds (12) were not included. Similarly, the inclusion of the  $\beta$ -naphthyl derivative in reaction 47l and of the m-methyl derivative in reaction 168 has a great effect on the precision with which these series appear to be represented by the Hammett equation. The reasons for such single large deviations are not understood.

One of the underlying assumptions of the Hammett equation is that all the members of a given series undergo the reaction by the same mechanism. Changes in mechanism which occur within a series can frequently be detected by a change in the kinetic order of the reaction (e.g., 108). Since reaction rate constants derived from reactions of different order do not have the same dimensions, no comparison between such constants is possible. However, many reaction series are studied under conditions which lead to pseudo-first-order kinetics, and under such conditions changes in mechanism need not affect the kinetic order.

If a reaction occurs by two or more competing mechanisms, the susceptibility to the effect of substituents will in general differ between the different mechanisms. Accordingly, one may expect different reaction constants to apply. The situation is illustrated in figure 2. In the region where the rates due to the two mechanisms are comparable, the actual rate will correspond to the sum of the two. Hence, the actual dependence of  $\log (k/k^0)$  on  $\sigma$  will be given by the curve shown, which must necessarily be concave upward.

Curves of the type of figure 2 have been observed (e.g., 273) and are most frequently encountered in the reactions of alkyl and acyl halides with nucleophilic reagents. A change in mechanism for such reactions is easily visualized (e.g., reaction 96). Brown and Hudson have postulated that transitions from  $S_N = 2$  to  $S_N = 1$  mechanisms are responsible for the partial reversal in the normal order of substituents observed in the hydrolysis of benzoyl chlorides in some solvents (53). Swain and Langsdorf doubt the existence of such duality of mechanism and propose that the reactions occur by a concerted process (273). According to their arguments, a delicate balance between bond-breaking and bond-forming steps exists in the transition states. They postulate that the reaction constant is not independent of the substituent constant and demonstrate that a concave

<sup>&</sup>lt;sup>16</sup> In such cases the median deviation may be a better measure of precision than the standard deviation, since the median deviation is not seriously affected by a single large deviation.

upward curve should be observed. This author prefers to consider the change in the balance between bond-forming and bond-breaking steps as a gradual change in mechanism. Accordingly, the curvilinear dependence of log  $(k/k^0)$  on  $\sigma$  is equally well explained if two distinct mechanisms are involved, or if a delicate balance of two concerted processes is slightly shifted.

If the reaction constants for the two mechanisms discussed above have opposite signs, the plot of  $\log (k/k^0)$  against  $\sigma$  should have a minimum. Such plots with a minimum have occasionally been observed (e.g., 53).

Among the reactions which appear to fit the Hammett equation least satisfactorily we find, aside from the reactions of the alkyl and acyl halides just dis-

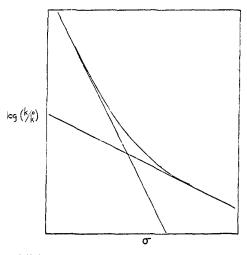


Fig. 2. A plot of log  $(k/k^0)$  vs.  $\sigma$  for a change in mechanism  $(\rho_1 = 1/4 \rho_2 \text{ was assumed})$ 

cussed, the esterifications (e.g., reaction 60), the acid hydrolyses of esters (e.g., reaction 84), and the allylic rearrangements of the phenylpropenylcarbinols (reaction 89). All of these reactions involve bond-breaking and bond-forming steps, and probably neither step alone is rate-determining. The balance between the importance of these steps, whether they are concerted or occur subsequent to each other, will depend on the nature of the substituent, and plots of the type of figure 2 can be expected. Such curves are frequently observed in the reactions named (273).

In connection with the above arguments it is interesting to note that a plot of the rates of decomposition of the aryldiazonium cations against  $\sigma$  for parasubstituents only is concave downward (59, 79). Such a curve cannot result from a change in mechanism. The data have been interpreted as indicating a competition between a stabilization of the C—N bond by resonance, and an activation by electron-attracting (59) substituents. The rates for the meta-substituents show the normal order and, since no resonance stabilization of the C—N bond is possible, are in agreement with the argument (59).

## VI. RANGE OF APPLICATION AND USES OF THE HAMMETT EQUATION

# A. Range of application

When the Hammett equation was first proposed, no substituent constants were reported for any substituents carrying an integral charge (ionic substituents). Substituent constants for the  $N(CH_3)_3^+$  group (253) and for the COO- group (27) have since been evaluated. Table 7 lists substituent constants for some further ionic substituents. Since the available data indicate no greater uncertainty for substituent constants of ionic substituents than for those of neutral groups, the Hammett equation also appears to be applicable to substituents which carry an integral charge. Because ionic substituents should be especially subject to interaction with polar solvents, their substituent constants should be particularly solvent-dependent (253). Reactions of compounds with ionic substituents may further be expected to violate the requirement of constancy of entropy changes (or their linear relation to enthalpy changes), since they belong to a different class in terms of the classification according to the ionic or dipolar nature of the reactants (cf. 5). Such entropy effects for ionically substituted compounds have actually been observed in at least one reaction series (reaction 204).

The substituent constants for the O<sup>-</sup> group reported in table 7 should be considered with special reservation, considering the difficulties encountered with the hydroxyl group.

Equation 1 was originally proposed to correlate the structure of benzene derivatives with the reactivity of a side chain (127f). Some authors have stated or implied that the range of application should be further restricted. Thus, Pearson, Baxter, and Martin (236) have proposed that the substituent constants tabulated by Hammett are valid only for reactions involving nucleophilic attack on the substituted benzene derivative, and must be modified if equation 1 is to be applied to reactions involving electrophilic attack. These authors cite four reactions as evidence for this point of view. One of these reactions involves nuclear substitution, which will be discussed below, and another involves relative migratory abilities, which are only a rough measure of rate constants. Owing to the obvious difficulties in classifying all the reactions listed in table 2A into nucleophilic or electrophilic reactions, no attempt at such a classification has been made. However, at least three groups of reactions undoubtedly involve electrophilic attack on the benzene derivative bearing the substituent. These groups are the reactions of the phenoxide ions in section IIa of table 2A, most of the reactions of the amines in section IVa of table 2A, and the chlorinations of the benzyl phenyl ethers (reactions 167-182). Examination of table 2A reveals that the Hammett equation represents these reaction series as well as the typically nucleophilic reactions, and some of these series are among those best represented, Furthermore, it may be inferred that the rate-determining step in every heterolytic reaction with a negative reaction constant is primarily electrophilic (see 273). Again, no difference in the precision with which the data are represented by equation 1 can be detected between reactions with positive and negative re-

action constants. Also, the substituent constants derived by Pearson, Baxter, and Martin do not differ from Hammett's values more than might have been expected from the variation of substituent constants in table 8. Hence, the Hammett equation applies equally to nucleophilic and electrophilic reactions.

No free-radical reactions were included in Hammett's tabulation (127f). Several authors have questioned whether equation 1 should be valid for such reactions (34, 263, 274). For this reason all free-radical reactions have been collected in table 2B. These reactions do not appear to fit the Hammett equation as well as the reactions in table 2A. However, the less satisfactory fit of the free-radical reactions may be due to the greater experimental difficulties encountered in the precise measurement of the rates of such reactions. Many of the reaction constants of table 2B are based on reactivity ratios and relative reactivities rather than true rate constants. In several reaction series reproducible rate constants could be obtained only by addition of catalysts (reactions 192 and 194) or inhibitors (reaction 186b), and some appeared to depend strongly on trace impurities (reaction 184) (see 155). In spite of these facts, some of the free-radical reactions appear to be represented very satisfactorily by the Hammett equation.

Equation 1 has recently been applied to several reaction series involving substitution in the benzene ring bearing the rate-affecting substituent. The reaction series involving such nuclear substitutions are collected in table 2C. Hammett (127g) recognized that the effect of substituents on the rate of electrophilic nuclear substitution followed  $\sigma$ , at least approximately. The median deviation of the reaction of 4-substituted 2-nitrobromobenzenes with piperidine is appreciably larger than the mean value given by Hammett (27). This fact has been interpreted as evidence that nucleophilic substitution reactions are not as well represented by the Hammett equation as are side-chain reactions (27). However, the reaction constants for nuclear substitution reactions are invariably large, since the reaction site is very close to the substituent; hence large deviations can be expected in view of the relation between the magnitudes of  $\rho$  and  $\rho$  and  $\rho$  and  $\rho$  are within the normal range for other reactions, if the magnitude of the reaction constants is considered.

The problem of the correlation of the structure of compounds and their biological activity has received considerable attention in recent years. The inhibition of erythrocyte cholinesterase by diethyl phenyl phosphates (reaction 87) is the only reaction involving a biological system included in table 2 and is seen to follow equation 1. However, the Hammett equation does not express, even qualitatively, such important biological properties as the toxicity or the antibacterial activity of arylarsenoxides (96), or the antibacterial (282) or anticholinesterase activity (106) of arylphosphonic and diarylphosphinic acids. Other examples of the failure of the Hammett equation to express such properties might be cited. No systematic search of the literature has been attempted, but the author has never seen any data on biological properties or reactions of biological systems, with the one exception cited above, which follow the Hammett equation even qualitatively. Information concerning the mechanism of such reactions, and particularly of biological activity, is usually extremely sketchy.

In many cases the reactions may not actually involve the side chain, but the molecule as a whole; or they may depend on a superposition of several individual reactions. However, in spite of these findings it seems reasonable that reactions of biological systems should follow the Hammett equation, provided the reaction system is sufficiently simple to permit the isolation of a single reaction of a side chain.

Although the Hammett equation was devised to correlate the structure of certain compounds with their chemical reactivity, certain physical properties of molecules have been correlated with substituent constants. It is not surprising to find that polarographic reduction potentials can be correlated with substituent constants, since these potentials are measures of equilibrium constants. The data in table 3A are listed separately only because of the uncertainties involved in their conversion into equilibrium constants, which arise largely out of the uncertainties of the reference potentials in the mixed solvents used. The data in table 3A fit equation 1 as well as other equilibrium data.

The application of the Hammett equation to infrared spectra is more surprising. The effects of substituents on the infrared frequencies associated with several side chains have recently been correlated with substituent constants (74, 104, 168, 270c). The relevant "reaction constants" are given in table 3B. In order to make these constants dimensionless, they have been calculated by correlating  $(\nu - \nu^0)/\nu^0$  with  $\sigma$ . Although the relative effects of substituents are small, the correlation is satisfactory in almost all cases.

Table 3C lists several other "reaction constants" obtained by the correlation of physical properties with substituent constants. The carbon-bromine bond dissociation energies (reaction 215) in benzyl bromides do not appear to be even qualitatively expressed by the Hammett equation. Unfortunately, the kinetic details of the reactions have not been published, but it may be assumed that the free-radical dissociation of a series of benzyl bromides at high temperatures would not obey the Hammett equation. Two reaction series in table 3C involve measurements of the nuclear magnetic resonance phenomenon. This phenomenon is believed to depend on the electron density at the side-chain atom (F19 and Cl35, respectively) (121, 204), and a correlation with substituent constants might have been anticipated. The correlation in the chlorine derivatives is reasonably satisfactory, but for the fluorine compounds the authors claim that the metaand para-substituted compounds lie on separate curves with widely differing slopes (121). The range of meta-substituents studied is so small that this conclusion does not appear too certain. The correlation of the substituent constants with these physical properties appears to give further weight to the view that the reactivity is affected by substituents primarily through the changes they cause in the electron distribution.

Substituent constants have also been correlated with the ultraviolet absorption spectra of monosubstituted benzenes (94). The shift which a substituent causes in the wave length of the primary absorption band<sup>17</sup> of benzene is pro-

 $^{17}$  The term "primary absorption band" is used as defined by Doub and Vandenbelt (94).

portional to the difference of the substituent constants in the meta- and parapositions  $(\Delta\sigma)$ . Since the effect of substituents on the absorption spectrum of benzene is believed to depend largely on the resonance effect of the substituent (269), this proportionality suggests that  $\Delta\sigma$  measures the resonance effect of the substituents and is at variance with Price's view that  $\Delta\sigma$  depends primarily on electrostatic effects (241, 242).

It has been noted that the optical rotatory power of certain Schiff bases can be correlated with the pK's of the benzoic acids corresponding to the benzaldehydes used (27b). This fact suggests that there might be a correlation between optical rotatory power, not only in the compounds investigated by Betti but in aromatic compounds in general. This possibility is being examined and will be discussed elsewhere.

# B. Uses of the Hammett equation

Equation 1 expresses the rate or equilibrium constants of a large series of reactions of side chains in benzene derivatives in a very simple form to a median accuracy of approximately ±15 per cent (127f). Thus, tables 1 and 2 together with table 7 and equation 1 represent rate and equilibrium constants for 3180 reactions which have been experimentally measured. The same equation furthermore permits the estimation of the rate or equilibrium constants of reactions which have not been determined experimentally, as long as a reaction constant is available for the series, and a substituent constant for the substituents involved. Since table 7 lists substituent constants for 111 different substituents<sup>18</sup> and tables 1 to 3A list 379 reaction constants, equation 1 potentially expresses a total of 42,000 rate or equilibrium constants at this time. This number is constantly growing, as more reaction constants and substituent constants become available. The figure given is somewhat of an overestimate, since it includes some compounds which are either incapable of existence or which cannot undergo a given reaction, owing to interference of the substituent with the reaction of the side chain. Use of equation 6 (see Section VII, A) further greatly extends the number of reaction rate and equilibrium constants which can be estimated.

Since progress is being made in the theoretical calculation of reaction and substituent constants, it is hoped that prediction of rate and equilibrium constants may become feasible without prior experimental determination of all the necessary reaction constants or substituent constants.

Workers interested in the mechanism of organic reactions have found other uses for the Hammett equation. Thus, a knowledge of the sign and magnitude of reaction constants permits certain inferences about the mechanism of a reaction (273) (see Section III, B).

The duality of substituent constants for some electron-attracting substituents (see Section IV, C and D) provides a test for the presence or absence of conjugation of such substituents with the benzene ring. Thus, the appreciable difference between  $\sigma$  and  $\sigma^*$  for the p-methylsulfonyl group has been interpreted as evi-

<sup>18</sup> Here the same group in the meta- and para-positions is counted as two substituents.

dence for strong resonance interaction of this group with the benzene ring (36, 179). A similar use of the dependence of substituent constants of electron-repelling substituents on the nature of the side chain appears possible, although great care is indicated for all such arguments, owing to the relatively large uncertainty in substituent constants and their dependence on the solvents employed (see Section IV, C). 20

#### VII. EXTENSIONS OF THE HAMMETT EQUATION

In the preceding sections of this paper the data to which the Hammett equation can be applied have been summarized, the reaction and substituent constants have been discussed, and the precision and range of application of the equation have been treated. In the present section we shall deal with a number of extensions of the equation which have been proposed.

# A. Multiple substitution

In several reaction series the effect of substituents on activation energies in polysubstituted compounds can be expressed as the sum of the individual effects of the substituents in the corresponding monosubstituted compounds (166, 267, 272). Since entropies of activation (or entropy changes) are essentially constant in those reaction series, the effects of multiple substituents on rate (or equilibrium) constants must be the sum of the effects of the individual substituents. Hammett has listed a substituent constant for the 3,4-dimethyl substituent (-0.229) which appears to agree well with the sum of the values for m- and p-methyl groups (127f). It appeared desirable to test whether substituent constants are in general additive. Accordingly, substituent constants were calculated for all multiple substitutions for which data could be found, subject to the same restrictions as the calculation of substituent constants for groups not listed by Hammett (see Section IV, B). The relevant data are collected in table 16, where the mean value of the computed constants is compared with the sum of the value for the individual substituents. Considering the variability of substituent constants (see table 8) the agreement is satisfactory. The median deviation is 0.052. No systematic deviations or saturation effects are apparent, since both the mean value of the deviation and the mean value of  $|\sigma_{\rm caled}| - |\Sigma\sigma|$  are small compared to the median deviation. The additive relation was not expected to hold if the two substituents were adjacent, particularly in cases where steric inhibition of resonance could occur, or where the substituents might be hydrogenbonded to one another, or where some other strong interaction could be anticipated.

Deviations from additivity have been observed in the deacylation of acetanilides (reactions 123 and 125) and in these reaction series could be attributed to steric inhibition of resonance (307). However, such effects appear to be un-

<sup>&</sup>lt;sup>19</sup> Note added in proof: Recently conjugation of the groups  $p\text{-SO}_3^-$  (317a),  $p\text{-}(CH_3)_2S^+$ ,  $p\text{-}CH_3SO$  (35b), and  $(CH_3)_3Si$  (18c) with the benzene ring has been demonstrated by similar methods.

<sup>&</sup>lt;sup>20</sup> Note added in proof: Kloosterziel (178a) has recently used substituent constants to detect steric inhibition of resonance of functional groups by ortho-substituents.

important or absent in most reactions, since no systematic deviations are observed in table 16.

TABLE 16 Substituent constants for multiple substituents

$\mathbb{R}^1$	R2	Σσ	σfound	n (a)	REACT	ions <sup>(b)</sup>	Δ
			a. 3,4-Disubstitu	ition (3-R)-4-	R2C6H2Y)		
TI T	CI OH CH, CH, NO2. OCH, N(CH); CI NH, OCH, OCH, OH CI NO2. CI Br OCH, OCH, CH, CH, CH, CH, CH, CH, CH, CH, CH,	0.600 -0.016 -0.203 0.105 -0.239 0.709 -0.337 -0.669 0.158 -0.729 -0.153 -0.242 0.342 1.488 0.937 0.942 0.442 0.540 1.980 -0.359 -0.331 -0.351 -0.231	0.525 -0.049 0.235 0.268 -0.303 0.694 -0.265 -0.302 0.174 -0.716 -0.117 -0.329 0.338 1.379 0.901 0.826 0.414 0.505 2.036 -0.278 -0.278 -0.299 -0.176 0.150	4 1 2 1 4 1 1 3 1 1 1 1 1 2 2 3 1 1 1 2 1 1 2 1 1 1 2 1 1 1 1	11, 47j, k, 138 1a 112, 120 130 112, 125, 138, 1 1a 1a 47j, k, 125 130 125 1a, 8, 31, 47g, 1a 130 1a 1a, 22, 26g, 112 1a 1a, 157 22, 125, 138 23a 47j, k 47j, k 47j, k 138 138	130	-0.075 -0.033 0.032 0.163 -0.064 -0.015 0.072 0.367 0.016 0.013 0.036 -0.087 -0.004 -0.109 -0.036 -0.087 -0.055 0.056 0.051 0.122 0.205 -0.071 -0.045
			b. 3.5-Disubstitu	ıtion (3-R1-5-	R2C6H3Y)		
NO2 NO2 OCH1 OCH1 CH1 CH1 CH2 CH2 OCH2	NO <sub>2</sub> Cl OCH <sub>1</sub> Cl CH <sub>1</sub> Cl CH <sub>1</sub> Cl OH	1.420 1.093 0.230 0.488 -0.138 0.304 0.782 0.746 -0.004	1.395 1.073 0.050 0.439 -0.173 0.347 0.720 0.746 0.162	2 1 3 1 7 1 3 1 1	la, 47g la so, 130 130 47i-k, 112, 119c, 130, 212b 130 47j,k, 112		0.025 0.010 0.180 0.049 0.035 0.043 0.062 0.000 0.166
		c. Trisu	bstituted compo	unds (3-R1-4-	R <sup>2</sup> -5-R <sup>3</sup> C <sub>6</sub> H <sub>2</sub> Y)		
Rı	R²	R <sup>6</sup>	Σσ	ofound	n(a)	REAC- TIONS <sup>(b)</sup>	Δ
OCH: OCH: OH	OCH <sub>1</sub> OH OCH <sub>1</sub>	OCH <sub>1</sub> NO <sub>2</sub> NO <sub>2</sub>	-0.038 0.468 0.444	0.075 0.433 0.634	2 1 1	31, 47g 1a 1a	0.113 0.035 0.190

(a) The number of estimates of  $\sigma_{\rm found}$ .
(b) The numbers in this column refer to the reaction numbers in tables 1 to 3.
(c) The nitro group requires the  $\sigma^{\bullet}$ -value.

The data presented demonstrate that the effect of multiple substitution on the reactivity of the side chain can be expressed by the Hammett equation in the form (154):

$$\log (k/k^{\eta}) = \rho \Sigma \sigma \tag{6}$$

Another type of multiple substitution occurs where a benzene ring is fused to another ring. Hammett has given substituent constants for two such systems: namely, β-naphthyl and phenyl-3,4-methylenedioxy derivatives (127f). Two further constants for fused-ring systems are given in table 7: namely, for hydrindene [substituent 3,4-(CH<sub>2</sub>)<sub>3</sub>] and tetralin [substituent 3,4-(CH<sub>2</sub>)<sub>4</sub>] with

reacting side chains in the 5- and the 6-position, respectively. However, since each of these constants is based only on a single determination, no test of their constancy and usefulness is available.

Price (247) has initiated a program for the determination of substituent constants in naphthalene. Constants are reported for several substituents in the 5-, 6-, 7-, and 8-positions of naphthalene which have the reacting side chain in the 2-position. Unfortunately, these values are based on a reaction (the alkaline hydrolysis of ethyl benzoates in 70 per cent dioxane at 25°C., reaction 471) for which no reaction constant was available from prior work. Accordingly, the reaction constant was evaluated by inclusion in the reaction series of three compounds with substituents of known  $\sigma$ . The three rate constants on which the reaction constant was based fit the Hammett equation very well, but the rate for ethyl  $\beta$ -naphthoate did not. In spite of these shortcomings the substituent constants for the substitution in the naphthalene ring are probably not seriously

TABLE 17 Substituent constants in naphthalene derivatives

R		Y =				Y =	
	COOC <sub>2</sub> H <sub>6</sub> (247)	NH <sub>2</sub> (55, 56)	OH (318)	R	COOC <sub>2</sub> H <sub>6</sub> (247)	NH <sub>2</sub> (55, 56)	OH (318)
5-NO <sub>2</sub>	0.407 0.322 -0.164 -0.044 -0.068	0.501 0.594 0.512 0.608		8-NH: 8-N(CH1): 5-SO <sub>3</sub> 6-SO <sub>3</sub> 7-SO <sub>3</sub> 8-SO <sub>1</sub>	0.206 0.071	0.215 0.293 0.218 0.240	0.349 0.303

in error. They are reproduced in table 17. The same table includes, for comparison, substituent constants calculated from the acid dissociation constants of substituted  $\beta$ -naphthylamines (55, 56) and  $\beta$ -naphthols (318). The few possible comparisons show reasonable agreement, with the exception of the 8-nitro group. Since the 8-position permits quinoid structures with the 2-position, this disagreement is not astonishing. Accordingly, dual substituent constants for the electron-attracting substituents will be necessary for the positions for which quinoid resonance structures can be written.

A similar program of evaluation of substituent constants for the substituents in the homonuclear ring of quinoline relative to side chains in the heteronuclear ring is being undertaken by McKee and Bailey (203).

### B. Heterocyclic compounds

The acid dissociation constants of all the possible quinolinecarboxylic acids and the alkaline hydrolyses of their methyl esters have been investigated (97),

and the "substituent constants" for the side chains in the various positions in quinoline were thus derived. Jaffé has collected data from the literature for the reactivities of side chains in pyridine, quinoline, and isoquinoline, and has correlated these values with electron-density calculations (152). On the basis of such calculations substituent constants for all positions in isoquinoline, pyrimidine, acridine, phenanthridine, and phenazine were predicted. The experimentally determined substituent constants are reproduced in table 18.

Since the Hammett equation does not apply to substituents in the orthoposition, it appears questionable whether it can be applied to positions in heterocyclic compounds in which the side chain is vicinal to the hetero atom or the fused-ring system (152). Too few data are available at the present time to answer this question. The data available in the literature for other heterocyclic systems also are too scarce to be useful and are not collected in this review.

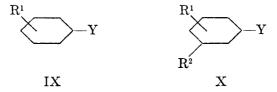
	TAH	3LE	18	
"Substituent	constants"	for	heterocyclic	compounds

		SUBSTITUENT CONSTANT FROM			
COMPOUND	POSITION (8)	Reaction 47g	Reference 97(b)	Others (c)	
Pyridine	2 3 4	0.81 0.62 0.93	· · · · · · · · · · · · · · · · · · ·	0.40 (196)	
Quinoline	2 3 4 5 6 7 8	0.92 0.64 0.76	0.74 0.52 0.59 0.37 0.23 0.24 -0.06	-0.11 (23a)	
Isoquinoline	1	0.70			

<sup>(</sup>a) All positions are numbered in accordance with the Ring Index (232).
(b) These substituent constants were based on some reasonable assumptions of reaction constants by the authors (97).
(c) The number in parentheses is the reaction number from tables 1 and 2.

### C. Constant ortho-substituents

The additivity of substituent constants for multiple substitution has an interesting corollary. Consider two series of compounds, IX and X:



Since the effects of substituents R<sup>1</sup> and R<sup>2</sup> in X can be expressed through equation 6, it follows that

$$\log (k/k^0) = \sigma_1 \rho + X \tag{7}$$

where  $X = \sigma_2 \rho$ , and  $\sigma_1$  and  $\sigma_2$  are the substituent constants of  $R^1$  and  $R^2$ , respectively. It follows immediately that the series of reactions of compounds X in

which only R<sup>1</sup> is varied, while R<sup>2</sup> is the same for the whole series, can be expressed through equation 1,<sup>21</sup> and that the reaction constant for such a series is the same as for the same reaction of a series of compounds having structure IX. Hence, the substituent R<sup>2</sup> does not affect the reaction constant. The arguments presented are independent of the position of R<sup>2</sup>. Furthermore, the additivity of substituent effects on activation energies referred to in Section VII, A also holds for substituents in the ortho-position (166, 267, 272). Hence, it can be assumed that the reaction constant for a series of reactions in compounds of structure XI is

independent of the nature of  $R^2$ , and therefore identical to the constants for the same reactions in compounds having the structure shown in IX. Experimental verification for this conclusion is available from the work of Roberts and Yancey (258) and from several other reaction series which are summarized in table 19. Accordingly, the effects of substituents  $R^1$  in compounds having the structure shown in XI can be expressed by equation 7 (154), where X is a measure of log  $k(o-R^2C_6H_4Y) - \log k(C_6H_5Y)$ . Since the Hammett equation does not apply to ortho-substituents, the quantity X, however, cannot be evaluated in terms of substituent and reaction constants.

Two restrictions are necessary for the use of equation 7. (a) The reaction mechanism must not be affected by the ortho-substituent  $R^2$ . Thus, the relation does not hold for the alkaline hydrolysis of the para-substituted ethyl 2,6-dimethylbenzoates (reaction 51), since the mechanism is not the same as that for the alkaline hydrolysis of the ethyl benzoates (112). (b) Equation 7 does not usually hold for the substituent  $R^1$  in the 3-position (when  $R^2$  is in the 2-position), since the steric interaction of  $R^2$  and Y is affected, and the resonance of  $R^2$  may be inhibited by substituents in the 3-position.

### D. Compounds involving several substituted benzene rings

The Hammett equation has occasionally been applied to compounds containing more than one benzene ring. The ethanolysis of benzhydryl chlorides (reaction 100),  $Ar(C_6H_5)CHCl$ , is an example of the simplest type of such applications. In this case only one ring is substituted, the side chain Y is  $C_6H_5CHCl$ ,

and the Hammett equation is strictly applicable. The situation is unchanged if the unsubstituted ring is replaced by a substituted ring (ZC<sub>6</sub>H<sub>4</sub>), provided the substituent Z is the same throughout a series of compounds.

A more complicated situation is encountered if both rings are equally sub-

 $^{21}$  It should be noted that for such a series  $k^0$  refers to the compound  $m\text{-R}^2\mathrm{C}_6\mathrm{H}_4\mathrm{Y}$  and is given by

$$\log k(m-R^2C_6H_4Y) - \log k(C_6H_5Y) = \sigma_2\rho$$

TABLE 19 The effect of ortho-substituents on the reaction constant(a)

REACTION	SOLVENT	X = H	$X = NO_2$	X ≈ OH	X = Cl	X = CH <sub>4</sub>	X = OCH <sub>4</sub>
R COOII, pK's	H <sub>2</sub> O 50% C <sub>2</sub> H <sub>5</sub> OH	1.000 (1a) (1.423) (1l) (1.601) (1m)	0.905 (2)	1.103 (4)	0.855 (5)	1.430 (3a) 1.673 (3b)	
R COOH, pK's		1.000 (la) <sup>(h)</sup>				1.116 (6) <sup>(i)</sup>	
$ \begin{array}{c} R \\ \longrightarrow PO(OH)_{z_1}, pK's \end{array} $	50% C2H4OH	0.986 (14b)			0.995 (16b) <sup>(g)</sup>		
R PO <sub>P</sub> OH <sup>-</sup> , pK'e	H <sub>2</sub> O 50% C <sub>2</sub> H <sub>4</sub> OH	0.984 (15a) 0.885 (15b)			0.908 (17a) <sup>(g)</sup> 1.191 (17b) <sup>(g)</sup>		
R OII, pK's	İ	3. 197 (23b) <sup>(h)</sup>		3.512 (24) <sup>(c)</sup>			
$ \overset{R}{\underbrace{\hspace{1cm}}} COOCH + (C_6II_6)_2CN_2 \rightarrow \overset{R}{\underbrace{\hspace{1cm}}} COOCH(C_6H_6)_2 $	С2114ОН	0.940 (43)				0.946 (45)	
$\begin{array}{c} R \\ \\ X \\ \end{array} NH_2 + C_6H_5COCl \rightarrow \\ \begin{array}{c} R \\ \\ X \\ \end{array} NHCOC_6II_6 \end{array}$	C <sub>6</sub> H <sub>6</sub>	-2.781 (112)				-2.727 (117)	-2.609 (118)
$ \begin{array}{c} R \\ \hline X \\ NHCOCH_1 + CH_2OH \rightarrow \\ X \end{array} $ $ \begin{array}{c} R \\ \hline X \\ NH_2 \end{array} $	Сн∙он	2.151 (123)	1.723 (125)				
$R \underset{X}{ \bigcirc} Br + C_{\delta}H_{10}NH \rightarrow R \underset{X}{ \bigcirc} NC_{\delta}H_{10}$		4.871 (202) <sup>(d)</sup>	4.918 (203a) <sup>(c)</sup> 4.865 (203b) <sup>(f)</sup>				

<sup>(</sup>a) The numbers in the body of the table are the reaction constants taken from tables 1 to 3, and the numbers in parentheses are the reaction numbers from these tables.
(b) In 30 per cent ethanol.
(c) In 40 per cent dioxane.
(d) In benzene at 99°C.
(e) In piperidine at 25°C.
(f) In piperidine at 25°C.
(g) X = Cl or Br.
(h) In water.
(i) In 20 per cent dioxane.

stituted, as in the dehydrochlorination of the 1,1-diaryl-2,2-dichloroethanes (reaction 110). The validity of applying the Hammett equation to such systems (e.g., 24, 34) must be judged by the success in the treatment of experimental data. In the calculation of the reaction constants of tables 1 and 2 for symmetrically substituted compounds, the Hammett equation has been used in the form (24, 34)

$$\log (k/k^0) = n\sigma\rho \tag{8}$$

where n is the number of substituted rings. Equation 8 was used in order to make the magnitudes of substituent constants comparable. Had the factor n not been included, the reaction constants would express the simultaneous effect of two substituents. The reaction series belonging to this class are summarized in table 20; they obey equation 8 to a reasonable approximation.

TABLE 20
Reactions to which equation 8 is applicable

REACTION NO. (B)	ρ	²(p)	<sub>r</sub> (b)	n(b)	REACTION NO. (a)	ρ	<b>s</b> (b)	<sub>r</sub> (b)	n <sup>(b)</sup>	
186a		0.172 0.212 0.184 0.189	0.687 0.966 0.972 0.970	10 6 6 6	110a	2.456 1.568 1.246 0.782	0.192 0.094 0.038 0.061	0.972 0.995 0.969 0.979	6 9 7 4	

(a) Reaction numbers from tables 1 to 3.
(b) The column headings have the same meanings as in tables 1 to 3.

The validity of equation 8 shows that reaction constants are essentially independent of substituents in benzene rings forming part of the side chain. The correctness of this statement is verified by the following arguments. The lefthand side of equation 8 can be divided into the sum of two terms, as follows:

$$\log \frac{k(\operatorname{Ar_2CHY})}{k((\operatorname{C}_6\operatorname{H}_5)\operatorname{CHY})} = \log \frac{k(\operatorname{Ar_2CHY})}{k(\operatorname{Ar}(\operatorname{C}_6\operatorname{H}_5)\operatorname{CHY})} + \log \frac{k(\operatorname{Ar}(\operatorname{C}_6\operatorname{H}_5)\operatorname{CHY})}{k((\operatorname{C}_6\operatorname{H}_5)\operatorname{CHY})}$$
(9)

The first term on the right-hand side corresponds to the variation of a substituent in one ring only, while the other ring remains constant, and the side chain is ArCHY. The second term in the right-hand side of equation 9 is similar,

but it corresponds to the reaction series in which the second ring is unsubstituted

(side chain is  $C_6H_5CHY$ ). Since the side chains are not identical for these two terms, they should be expressed through equation 1 with different reaction constants, and the right-hand side of equation 9 becomes  $\sigma(\rho_1 + \rho_2)$ . The validity of equation 8 is possible only if  $\rho_2$  is independent of the nature of the substituent and hence identical with  $\rho_1$ . In other words, the presence of a substituent in one ring has no effect on the reaction constant for a substituent in the other ring.

This argument leads immediately to a further extension of the Hammett equation (154) which has been used by some authors without a discussion of its implications (e.g., 198, 199, 274) and which has been justified only empirically.

In compounds which contain unequally substituted benzene rings symmetrically located with respect to the reaction site (e.g., Ar<sup>1</sup>Ar<sup>2</sup>SeBr<sub>2</sub>, reaction 34), the Hammett equation has been applied in the form

$$\log (k/k^0) = \rho(\sigma_1 + \sigma_2) \tag{10}$$

where  $\sigma_1$  and  $\sigma_2$  are substituent constants of the substituents in groups Ar<sup>1</sup> and Ar<sup>2</sup>, respectively. The reaction constants obtained by use of equation 10 are summarized in table 21. Wherever sufficient data were available, reaction constants have been calculated for the variation of the substituent in one ring only, and for the symmetrical variation of the substituents in both rings. These data permit comparison of the precision of reaction constants calculated by means of equation 10 and equation 1, and any decrease in the precision can be attributed directly to the use of equation 10. Therefore this comparison appears to be a

REACTION NO. (2)	Ar <sup>1</sup> Ar <sup>2</sup> Y				(Ar)2Y				Ar(C <sub>6</sub> H <sub>5</sub> )Y				
	ρ	n	s	,	ρ	*	s	,	ρ	n	s	,	
206		12 14 6 5 5 5 5 5 7	0.030 0.149 0.291 0.166 0.097 0.101 0.075 0.022 0.057 0.080 0.284	0.952 0.982 0.955 0.846 0.952 0.961 0.980 0.960 0.923 0.932 0.969	-0.256 2,098 (b) (b) (b) (b) (b) (c) (b) (c) (c) (d) (d) (d)	5 8	0.017 0.133 0.091 0.235	0.995 0.982 0.926 0.966	-0.248 2,244 (b) (b) (b) (b) (b) (c) (c) (d) (d) (e) (e) (e) (f)	7 6	0.035 0.106	0.976 0.985 0.942	
109b	2.604 0.0085 -1.302 -4.072	8 13 5 5 6	0.270 0.0011 0.074 0.527 0.570	0.970 0.955 0.985 0.932 0.651	2.647 0.0078 (b) (b) (b)	6 5	0.221 0.0008	0.968 0.988	0,0093 (b) -4.298 0.184	8 4 4	0.0012 0.368 0.640	0.944 0.978 0.034	

TABLE 21
Reaction series to which equation 10 is applicable

better test of this equation than comparison of the standard deviations and correlation coefficients with median values derived from tables 1 and 2.

Table 21 shows that equation 10 expresses the data with approximately the same precision as equation 1 applied to the compounds involving only one substituted ring, or both rings substituted symmetrically.

Thus, the reaction constant for the variation of a substituent in one ring is not affected by a substituent in another ring in compounds where the rings are symetrically placed with respect to the reaction site. Hence, it is reasonable to assume that reaction constants for the variation of substituents in one ring will also be independent of substituents in the other ring in compounds where the rings are not symmetrically placed with respect to the reaction site. Accordingly, effects of substituents in these latter compounds should be represented by equation 11 (154):

$$\log (k/k^0) = \sigma_1 \rho_1 + \sigma_2 \rho_2 \tag{11}$$

 <sup>(</sup>a) Reaction numbers from tables 1 to 3. The column headings have the same significance as in those tables.
 (b) Insufficient data available for the calculation of a reaction constant.

Unfortunately, only a few reaction series to which equation 11 should apply have been investigated. In many of these series all compounds studied were substituted only in ring  $Ar^1$  or  $Ar^2$ , but not in both. In that case the reaction series can be expressed in terms of equation 1, using different equations according to whether the substituent is in ring 1 or ring 2. The regression lines so obtained will generally not lead to identical values of  $(\log k^0)_{\text{calcd}}$ . Use of equation 11, on the other hand, permits only a single value of  $(\log k^0)_{\text{calcd}}$ , and hence will lead to slightly different values for the reaction constants and appear to give slightly lower precision. In accordance with these considerations it was felt of little interest to compute special reaction constants based on equation 11 for series which did not involve compounds in which both rings are substituted (reactions 128 and 148, 136 and 137, 129 and 149, 192 and 194, 193 and 195 are pairs of such reaction series).

Only five reaction series have been investigated which permit an actual test of the validity of equation 11. These series are summarized in table 22, where essentially the same information is given as in tables 1 to 3. However, the standard errors of the reaction constants  $(s_{\rho})$  are included. The constants  $\rho_1$  and  $\rho_2$  refer to rings  $Ar^1$  and  $Ar^2$ , respectively. R is the multiple correlation coefficient (270b) and is closely analogous to the correlation coefficient r. The calculations of the data in table 22 were made by standard least-square methods for multiple regressions (270b). Footnotes give the relevant data from table 2 for comparison. Since they do not appear in table 2, we have included two reaction series (the last two reaction series in table 22) which involve no compounds substituted in both rings.

The precision of the reactions in table 22 appears to be no poorer than the precision of the corresponding reactions involving variation of substituents in one ring only. Furthermore, equation 11 expresses many more reaction or equilibrium constants than are expressed by a single equation.

It might have been anticipated that rates and equilibrium constants of reaction series of the type:

$$Ar^{1}Y^{1} + Ar^{2}Y^{2} \rightarrow products$$

would also be represented by equation 11. Only three such reaction series have been found where rates were available for compounds substituted in both ring 1 and ring 2 (229, 272, 301, 314). In all cases serious deviations were observed. It thus seems that the reaction constant for the attack of Ar<sup>1</sup>Y<sup>1</sup> on R<sup>2</sup>C<sub>6</sub>H<sub>4</sub>Y<sup>2</sup> depends on the nature of R<sup>2</sup>; hence equation 11 does not hold for such reactions.

### E. Ortho-substituents and aliphatic compounds

Recently a linear free-energy relationship similar to the Hammett equation but applicable to aliphatic and ortho-substituted aromatic compounds has been proposed (278, 279). This relation, however, is applicable only to a restricted class of reaction series, and among the ortho-substituents fluorine, the amino group, and hydrogen (the unsubstituted compound) must be excepted. Since these substituents have the smallest Van der Waals radii, some of the steric inter-

TABLE 22 Test of the validity of equation 11(a)

	1000 05 1100 04110	try of cq.							
REACTION	SOLVENT	T	ρ <sub>1</sub> ± s <sub>ρ</sub>	$ ho_2 \pm s_{ ho}$	s	78	R <sup>(b)</sup>	$-\log k^0$	REPER- ENCES
$Ar^{i}CHOHCOAr^{2} + O_{2} \rightarrow Ar^{i}COCOAr^{2(e)}$	(Not given)	°C. 10 20	1.553±0.379 1.362±0,297	1.437±0.379 1.442±0.297	0.142 0.112	12 12	0.966 0.976	2.746 2.323	(304) (304)
$ \begin{array}{c} H \\ [Ar^1CONOCOAr^2] + NH_1 \rightarrow Ar^1NCO + Ar^2COO^{-(d)} \end{array} $	1 N NH1, H2O	30	$-2.751\pm0.102$	0.851±0.036	0.069	11	0.993	4.609	(251)
$Ar^{1}CAr^{2} \rightarrow Ar^{2}CONPicr^{(e)}$   NOPicr $Ar^{1}$	CCla	80 (f)	-4.113±0.574	-2.166±0.574	0.199	7	0.984	4. 161	(66)
$(trans)$ -Ar <sup>1</sup> N=NAr <sup>2</sup> + CsH <sub>8</sub> CO <sub>8</sub> H $\rightarrow$ $(trans)$ -Ar <sup>1</sup> N(O)=NAr <sup>2</sup> (i)	C <sub>6</sub> H <sub>6</sub>	15	$-1.740\pm0.178$	-1.351±0.082	0.110	19	0.987	3.984	(9a)
(42.11), 12.11 (4)		25 30	$-1.678\pm0.175$ $-1.638\pm0.173$	$-1.309\pm0.081$ $-1.281\pm0.080$	0.108 0.107	19 19	0.986 0.986	3.566 3.393	(9a) (9a)
$Ar^{1}CH = NAr^{2} + H_{2} + PtO_{2} \rightarrow Ar^{1}CH_{2}NHAr^{2(h)}$	C <sub>2</sub> H <sub>6</sub> OH	24-25	$-0.406\pm0.184$	0.524±0.364	0.226	20	0.277	5.557	(259)
$A_{\Gamma^1}N = C(C_0H_0)NA_{\Gamma^1}A_{\Gamma^2} \xrightarrow{k_1} A_{\Gamma^1_2}NC(C_0H_0) = NA_{\Gamma^2}Q$									
for $k_1$ for $k_2$	No solvent No solvent	330 330	$1.521 \pm 0.068$ $1.978 \pm 0.127$	-0.018±0.068 -0.404±0.127	0.049 0.091	6 6	0.997 0.995	4.497 4.270	(68, 69) (68, 69)

<sup>(</sup>a) The meaning of the column headings is the same as in table 1.
(b) The multiple correlation coefficient R closely corresponds to the correlation coefficient r used in tables 1 to 3.
(c) For comparison, from application of equation 1 to symmetrical compounds only, at 10°C.:  $\rho_1 + \rho_2 = 2.858 \pm 0.357$ , r = 0.963, s = 0.166, n = 7 and at 20°C.  $\rho_1 + \rho_2 = 2.669$   $\pm 0.272$ , r = 0.975, s = 0.126, n = 7 (reaction 195).
(d) For comparison, from application of equation 1 to compounds substituted in one ring only:  $\rho_1 = -2.593 \pm 0.295$ , r = 0.982, s = 0.038, n = 5,  $-\log k^0 = 4.587$  (reaction 69),  $\rho_2 = 0.867 \pm 0.005$ , r = 1.000, s = 0.003, n = 4,  $-\log k^0 = 4.634$  (reaction 70).
(e) Pier stands for the radical 2.4, 6. (NO<sub>2</sub>) $\chi_C = 1.000$ ,  $\kappa_1 = 0.003$ ,  $\kappa_2 = 0.003$ ,  $\kappa_3 = 0.003$ ,  $\kappa_4 = 0.003$ ,  $\kappa_4 = 0.003$ ,  $\kappa_5 = 0.003$ ,

<sup>11</sup> may be  $k/k^9 = \frac{1}{2}[10(\sigma(\rho_1 + \sigma(\rho_2)) + 10(\sigma(\rho_2 + \sigma(\rho_2)))]$ , which takes into account reaction at both nitrogen atoms. Badger and Lewis (9a) suggest the use of equation 10, which leads to:  $15^{\circ}$ C.:  $\rho = -1.448 \pm 0.063$ , s = 0.116, r = 0.984;  $25^{\circ}$ C.:  $\rho = -1.402 \pm 0.062$ , s = 0.114, r = 0.984;  $30^{\circ}$ C.:  $\rho = -1.370 \pm 0.060$ , s = 0.112, r = 0.984 (reaction 127B).

actions of the ortho-substituents with the side chain appear to be included in the Taft equation.

The constancy of the entropy terms, or their direct dependence on the enthalpy terms, is a necessary condition for the validity of the Hammett equation. These relations of entropy terms are believed to depend on the great rigidity of the benzene ring. This argument suggests that a linear free-energy relation similar to the Hammett equation should apply to aliphatic systems in which a similar rigidity of the grouping between rate-affecting "substituent" group and reacting "side chain" can be achieved. This hypothesis has recently been tested (256), and it was found that a linear free-energy relation holds if the benzene ring is replaced by a bicyclo[2.2.2]octane system. Substituent constants in this system, which must depend entirely on electrostatic effects, do not agree with those in the benzene derivatives. Hence, it may be concluded that substituent constants in aromatic systems must involve resonance effects.

#### VIII. APPENDIX: CALCULATIONS

In this appendix we shall outline the correlation methods used in the calculations reported in this review, since they include some features not commonly used in chemical applications. Only formulas will be given, and for their derivation and justification the reader is referred to standard texts on statistics (e.g., 270a).

We desire to correlate  $\log k$  with  $\sigma$ , obtain the slope  $(\rho)$  of the regression line, the standard deviation (s) from this line, the correlation coefficient (r), etc. Let  $\log k$  be denoted by Y. The computations then require the following quantities:

$$\Sigma(\sigma - \bar{\sigma})^2$$
,  $\Sigma(Y - \bar{Y})(\sigma - \bar{\sigma})$ , and  $\Sigma(Y - \bar{Y})^2$ 

which will be denoted by  $\Sigma x^2$ ,  $\Sigma xy$ , and  $\Sigma y^2$ , respectively; the barred quantities are the mean values of  $\sigma$  and Y. The above quantities are easily computed in terms of the sums of, and the sums of the squares of  $\sigma$  and Y:

$$\begin{array}{lll} \Sigma x^2 &=& \Sigma \sigma^2 - (\Sigma \sigma)^2/n \\ \Sigma xy &=& \Sigma (\sigma Y) - (\Sigma \sigma)(\Sigma Y)/n \\ \Sigma y^2 &=& \Sigma Y^2 - (\Sigma Y)^2/n \end{array}$$

All quantities of interest can be directly computed in terms of these magnitudes:

$$\rho = \frac{\sum xy/\sum x^2}{r} = \sqrt{\frac{(\sum xy)^2/(\sum x^2)(\sum y^2)}{(\sum y^2 - (\sum xy)^2/\sum x^2)/(n-2)}}$$

$$s = \sqrt{\frac{[\sum y^2 - (\sum xy)^2/\sum x^2]}{(\log k^0)_{\text{calcd}}} = \bar{Y} - \rho\bar{\sigma}$$

Hence, the best straight line for the prediction of rate or equilibrium constants is given by:

$$\log k = \tilde{Y} - \bar{\sigma}\rho + \sigma\rho$$

However, since  $\sigma$ 's are not known without uncertainty, this line should not be used for the calculation of new substituent constants (270a). For this purpose a different line is best suited; its slope b is given by

$$b = \sum xy/\sum y^2$$

If the correlation is perfect (r=1),  $b=1/\rho$ . Otherwise, b corresponds to minimizing the squares of the deviations along the  $\sigma$ -axis, whereas  $\rho$  corresponds to minimizing the squares of the deviations along the Y-axis. b can always be obtained from  $\rho$  by the relation  $b=r^2/\rho$ . New  $\sigma$ 's are given by the expression:

$$\sigma = \bar{\sigma} - b\tilde{Y} + bY$$

The correlations using equation 11 were performed using standard methods for multiple regression (270b) and require no further comment.

The author is indebted to Drs. J. F. Bunnett, G. O. Doak, Leon D. Freedman, and R. L. McKee for many helpful discussions during the progress of this work and for criticism of the manuscript prior to publication.

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